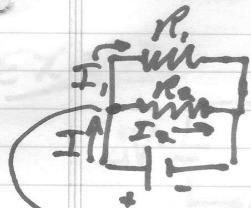


1304/1404

L8, p8



Two resistors in parallel,

$$\Delta V_1 = \Delta V_2 = \Delta V$$

→ junction, where current splits to go thru 2 resistors  
→ result  $I_1 < I$

$$I = I_1 + I_2$$

→ potential

$$I = I_1 + I_2 = \frac{\Delta V}{R_1} + \frac{\Delta V}{R_2}$$

$$= \Delta V \left( \frac{1}{R_1} + \frac{1}{R_2} \right) = \frac{\Delta V}{R_{eq}}$$

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \dots$$

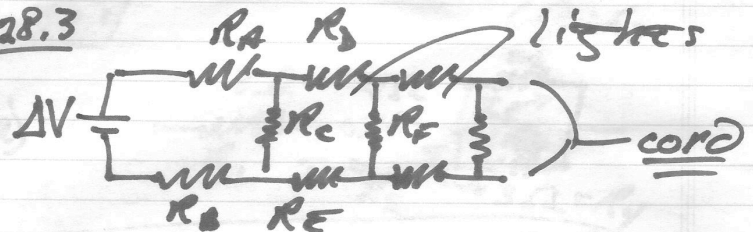
$$\left( R_{eq} = \frac{R_1 R_2}{R_1 + R_2} \right)$$

$$< \min(R_i)$$

1304/1404

L8, p9

EX 28.3



$$\Delta V > \Delta V_C > \Delta V_F$$

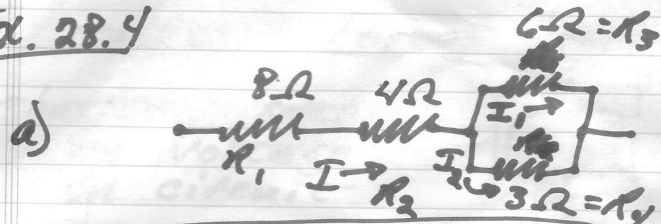
$$\therefore \frac{I_F}{I_C} < 1 \quad (\text{if } R_F = R_C)$$

SO F dimmer than C

1304/1404

L8, P10

Ex. 28.4



$$R_{\text{eq}} = R_1 + R_2 + \frac{R_3 R_4}{R_3 + R_4}$$
$$= 8\Omega + 4\Omega + 2\Omega$$
$$= \underline{14\Omega}$$

b)

$$I_1 = I_2 = I = \frac{\Delta V}{R_{\text{eq}}} = \frac{42\text{V}}{14\Omega} = \underline{3\text{A}}$$

for  $I_3 + I_4$ ,  $I$  splits

$$\Delta V_3 = \Delta V_4, \text{ so}$$

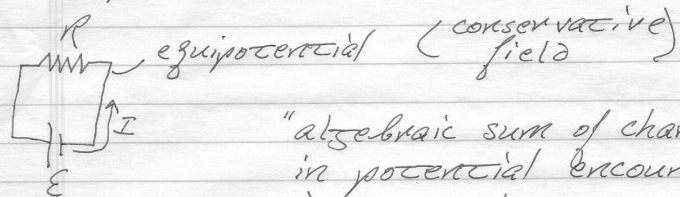
$$(6\Omega)I_3 = (3\Omega)I_4 \Rightarrow \underline{I_4 = 2I_3}$$

$$I_3 + I_4 = 3\text{A}$$

$$3I_3 = 3\text{A}$$

$$\underline{I_3 = 1\text{A}}$$

Loop Theorem



"algebraic sum of changes in potential encountered in a complete traversal of the circuit must be zero."

$$-iR + \mathcal{E} = 0$$

Equivalent to statement of conservation of energy

Two notes:

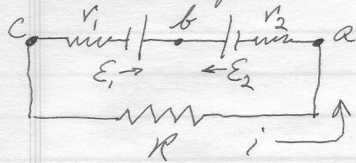
- if a resistor is traversed in the direction of current, the change in potential is  $-iR$ . In the opposite direction, it's  $+iR$

- if the seat of  $\mathcal{E}$  is traversed in the direction of emf, the change in potential is  $+\mathcal{E}$ ; in the opposite direction, it is  $-\mathcal{E}$ .



(2)

### An Example



$$\mathcal{E}_1 = 2.0\text{V}$$

$$\mathcal{E}_2 = 4.0\text{V}$$

$$r_1 = 1.0\Omega$$

$$r_2 = 2.0\Omega ; R = 5.0\Omega$$

What is the current,  $i$ ?

Since we have 2 batteries opposing each other, and  $\mathcal{E}_2 > \mathcal{E}_1$ , the current will flow counterclockwise. (We don't actually need to know this, as we'll see.)

Use the loop theorem:

$$-\mathcal{E}_2 + ir_2 + iR + ir_1 + \mathcal{E}_1 = 0$$

Note signs

$$i = \frac{(\mathcal{E}_2 - \mathcal{E}_1)}{(R + r_1 + r_2)} = \frac{4\text{V} - 2\text{V}}{5\Omega + 1\Omega + 2\Omega} = \underline{0.25\text{A}}$$