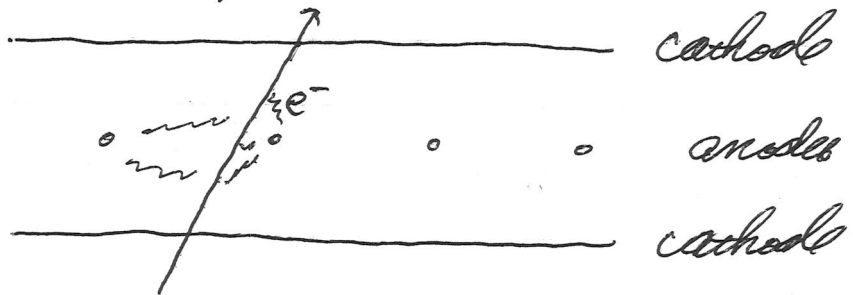


Drift Chamber

Particle passes thru detector (T_d)
- use travel (drift) time of $e^- \rightarrow t_0$
measure spatial position



\rightarrow impact parameter of trajectory to
signal wire \rightarrow drift distance

Consider timing resolution of 2 ns and
drift velocity $\sim 4 \text{ cm}/\mu\text{s}$
 \rightarrow resolution in drift distance

$$\sigma_x \approx v \delta t \sim 80 \mu\text{m}$$

\rightarrow there is a wide range of drift
velocities

More Accurate Calculation of Drift Distance

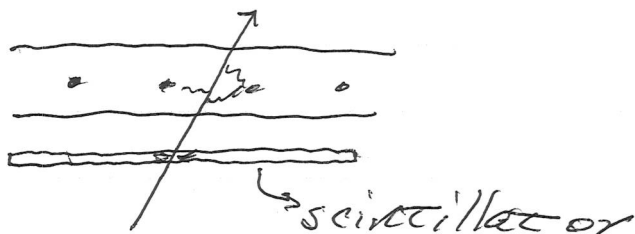
Electric field not strictly constant

- if $w(t)$ is the drift velocity as a function of time

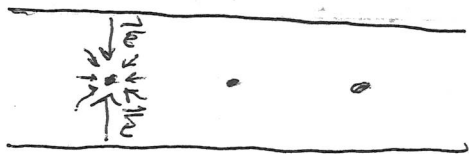
$$x = \int_{t_0}^{t_0 + T_d} w(t) dt$$

- knowledge of field allows more precise determination of drift distance

Note: a timing reference might be provided by a fast scintillation signal in coincidence



Variation in Drift Velocity



Drift velocity in electric field (\vec{E}) direction

$$w_{||} = \frac{2 e |E|}{3 m} \left\langle \frac{\lambda}{v} \right\rangle + \frac{1 e |E|}{3 m} \frac{d\lambda}{dv}$$

(often ignored)

$e, m \rightarrow$ charge + mass of electron

$\lambda =$ mean free path of electron with random velocity in drift chamber gas

$\rightarrow v$ randomized by collisions with atoms.

\rightarrow average λ/v over random velocities

if consider dispersion of velocities in gas

$$w_{||} = \left(\frac{2}{3} \frac{e |E| \lambda}{m} \left(\frac{\Gamma}{3} \right)^{1/2} \right)^{1/2}$$

Γ is the mean fractional energy lost per collision

$$w_{||} \propto \sqrt{|E|}$$

In presence of Magnetic Field

Consider case where have a magnetic field

$\rightarrow \vec{B} \perp \vec{E}$ and in direction of mode wires

\rightarrow this will create a net drift velocity \perp to \vec{E}

$$\omega_{\perp} = \left(1 + \frac{e^2 B^2 \lambda^2}{m^2 v^2}\right)^{-1/2} \left(\frac{1}{3} \frac{e |E|}{m} \omega_L < \frac{\lambda^2}{v^2}\right)$$

(ignoring variation in λ due to v)

ω_L is Larmor frequency eB/m

Including effect of velocity dispersion in the gas

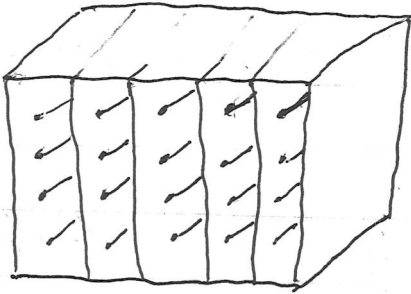
$$\omega_{\perp} = \frac{eB\lambda}{6m} (3\Gamma)^{1/2}$$

Net drift angle relative to \vec{E}

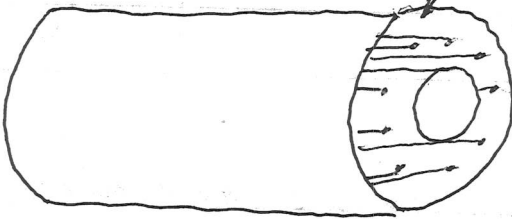
$$\tan \alpha = \omega_{\perp} / \omega_{\parallel}$$

Configurations of Detectors

Planar Chambers



Cylindrical



can have many planes of wires

stereo + axial wire planes

→ resolve ghost hits on 2-coordinate

Proportional Drift Tubes



Advantages over above

→ easier construction

→ cheaper

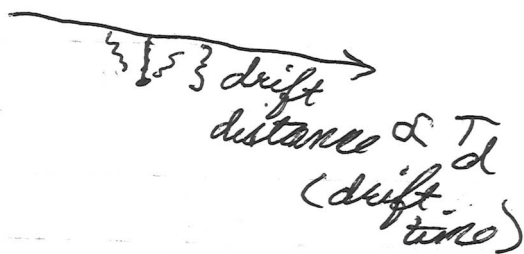
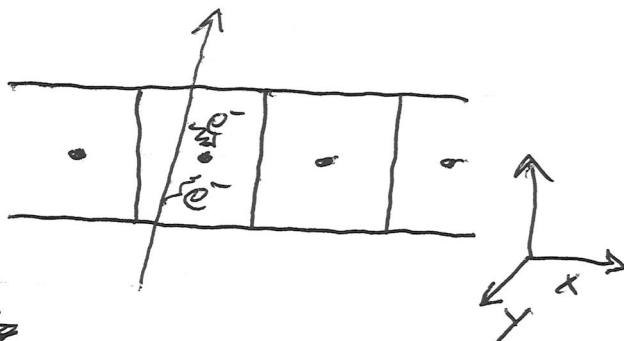
→ modular

→ self-supporting structure

Charge Division to Measure Position

Measure drift time,
 T_d , relative to
 a reference time

- perhaps a scintillator signal
- gives drift distance (x-coordinate)

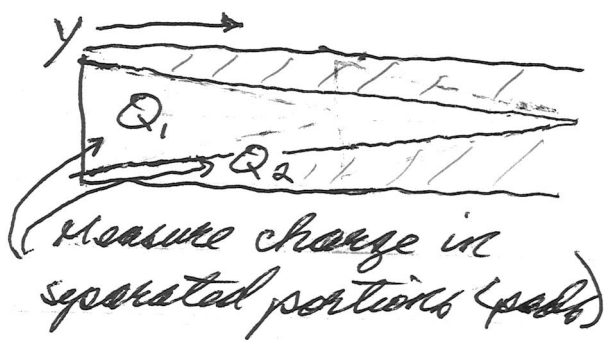


For tube above and below signal wire

- segmented pads can have two granularities

- top could be

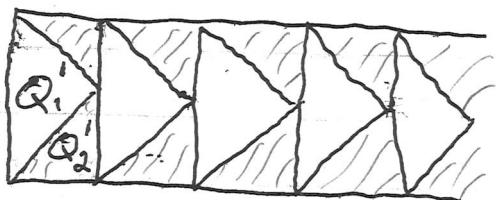
$$y \propto \frac{Q_2 - Q_1}{Q_2 + Q_1}$$



- use same principle with other surfaces

- smaller granularity

\rightarrow localize y -coordinate

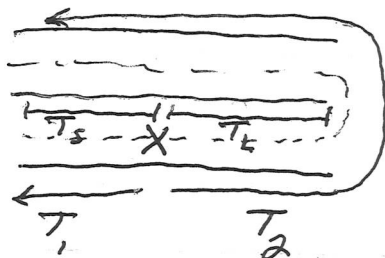


Timing + Charge Division

- Again, measure T_d relative to some reference
 - x-coordinate \perp to wire

- Couple wires of adjacent

Need low
occupancy \rightarrow



\rightarrow time differences at two ends gives
location (approximately) on wire

$$\Delta T = \int (T_1 - T_2)$$

\rightarrow may be accurate to several cm

- Can use charge division to get y -coordinate
more accurately



\rightarrow 20% measurement of charge

- can give δy of \sim few mm