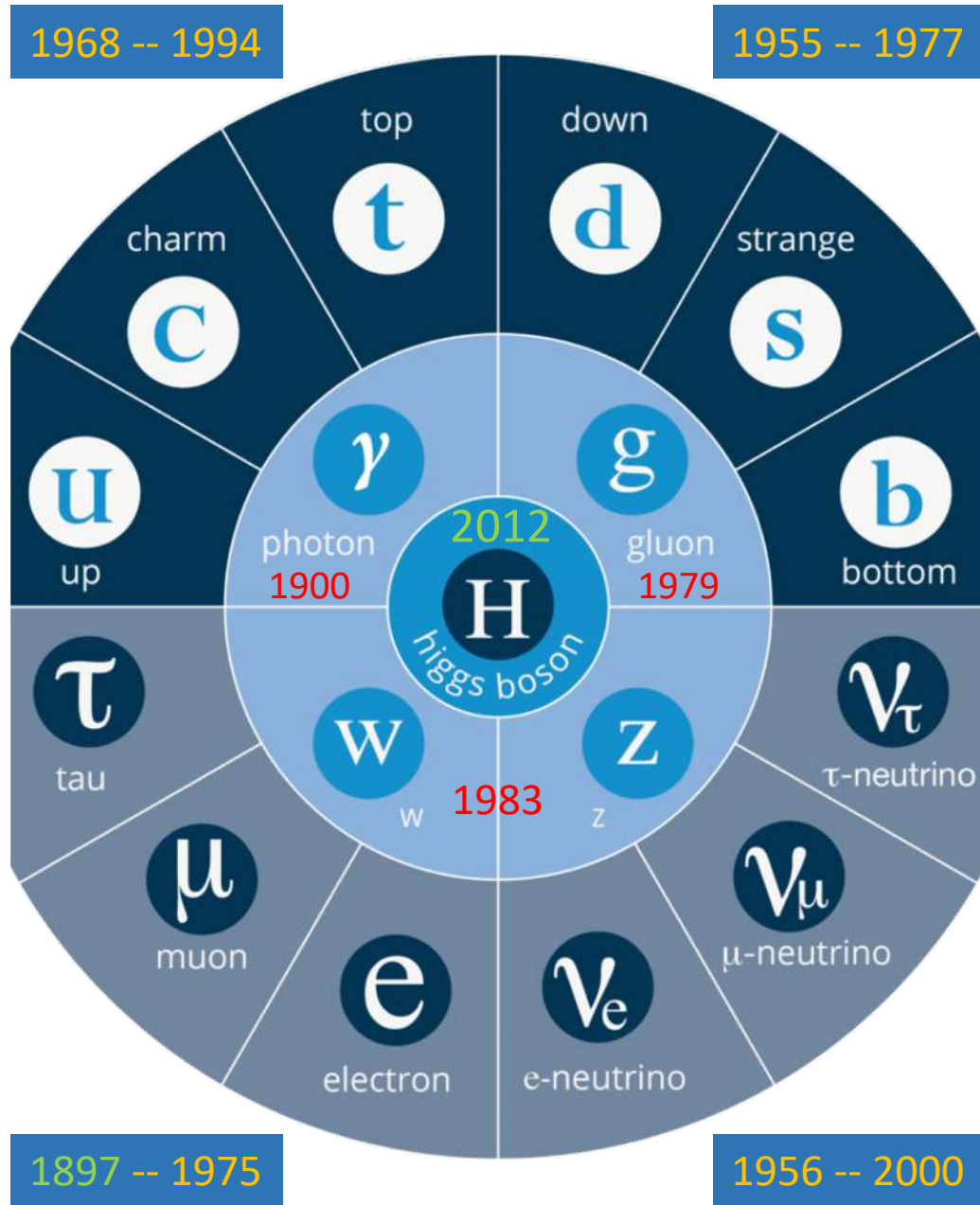


Top, ElectroWeak and QCD at the LHC

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NORTHWESTERN UNIVERSITY & COFI INSTITUTE





50 year anniversary of the Standard Model ^[1]

→ Today: focus on Electroweak Interactions: γ^* , W^\pm , Z^0

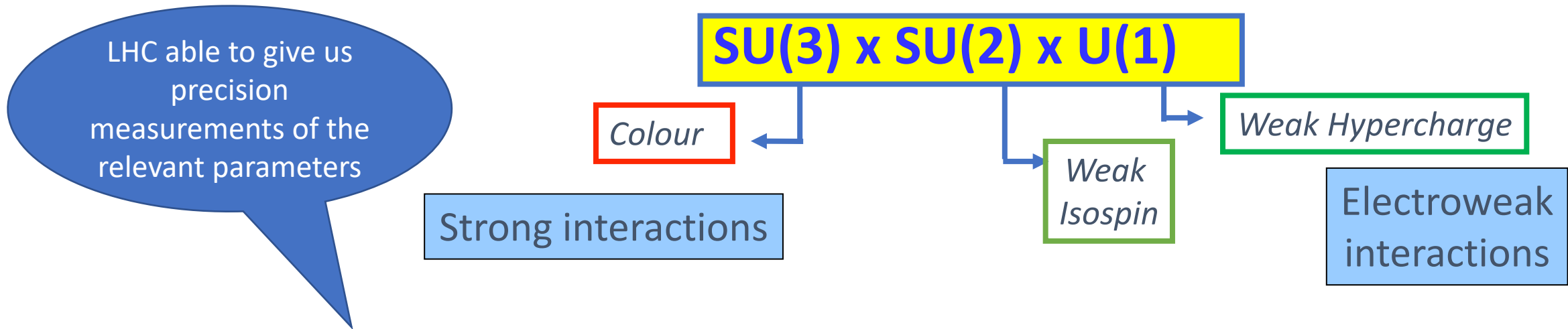
→ Tomorrow: on top-quark

Strong interactions: g will be included in both lectures

Higgs Boson covered by Williams

Formal Description of elementary particles and forces given by the Standard Model of Particle physics

Standard Model: Nature described by the Symmetry Groups



3 symmetry groups

- ⇒ Interactions described by (only!) 3 coupling constants: g_s, g, g'
- ⇒ Universal fermion-boson couplings

ElectroWeak
Interactions act on all known particles

Decay $t \rightarrow Wb$
Higgs Yukawa coupling
Single top production

Top quark
Massive "bare quark"
couples strongly with all known forces

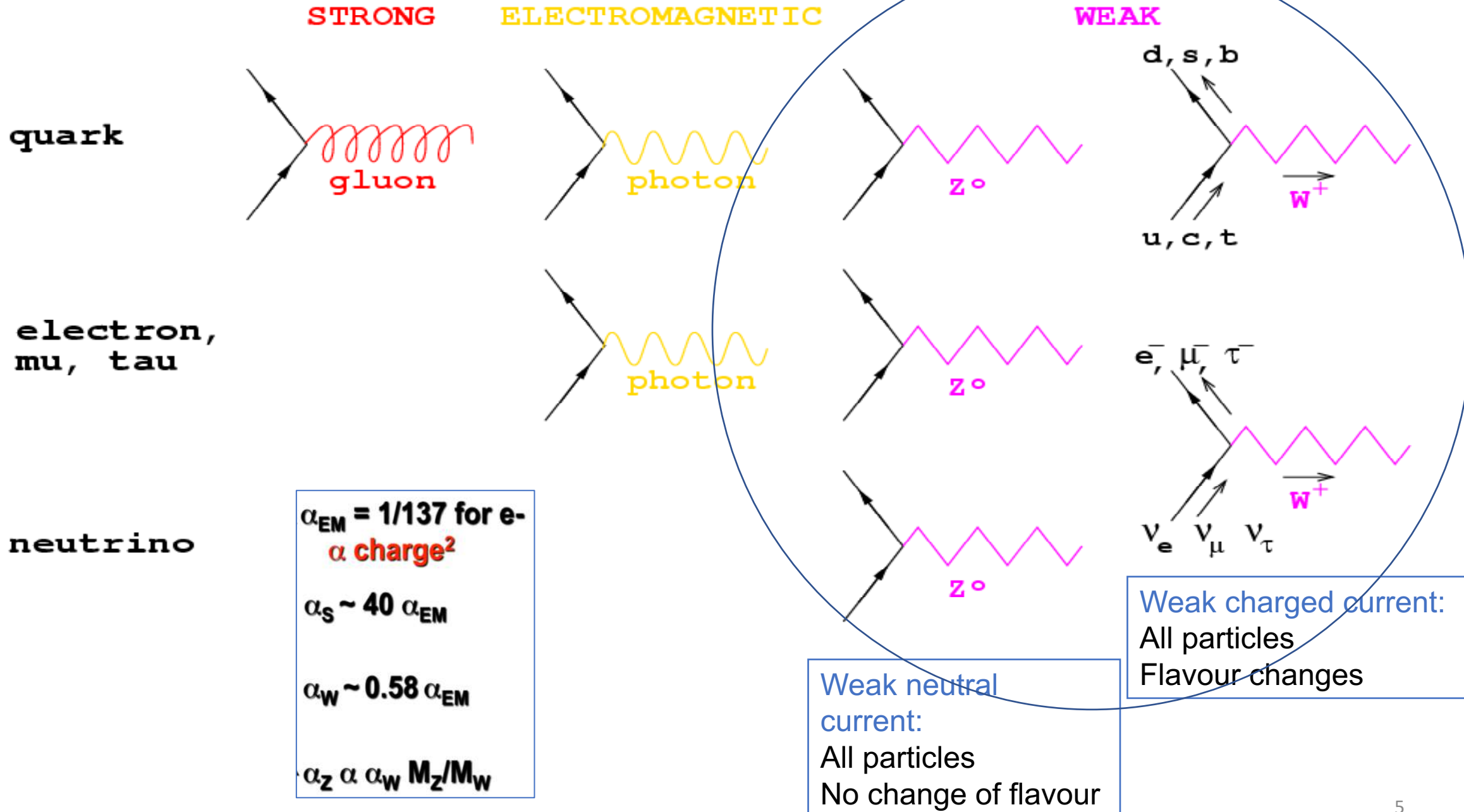
$M_W, \sin^2\theta_W, m_{top}, M_H, \alpha_s$

Perturbative & Non-perturbative regimes
Production

Perturbative regime
 $t\bar{t}$ production

QCD
Interactions are only between gluons and quarks

A lot to be Covered... I will be selective



Collinear factorization

$$\sigma_{pp \rightarrow X} = \sum_{i,j} \int dx_1 dx_2 f_i^P(x_1, \mu) f_j^P(x_2, \mu) \times \sigma_{ij \rightarrow X}$$

Perturbative QCD

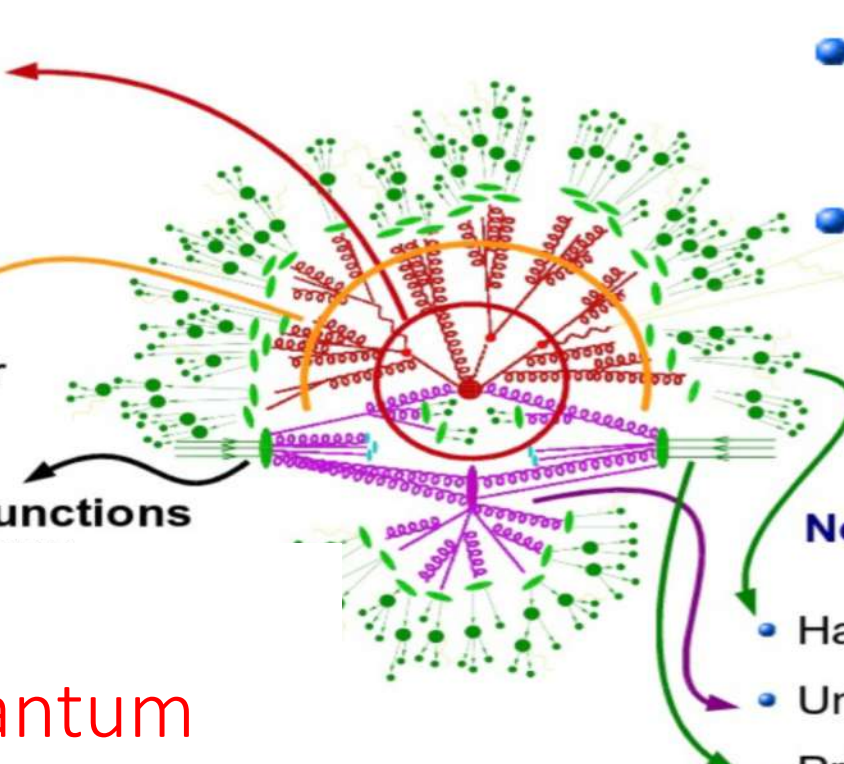
Hard scattering

- Fixed Order
- Resummation

Fragmentation

- Parton Shower
- Initial state
- Final state

Parton Distribution Functions



- EW physics at hadron colliders cannot forget about QCD: almost every EW observable is influenced by PDF, Underlying event, hadronisation

- A good QCD model is a prerequisite for EW physics
- Measurements of clean EW signatures help to constrain QCD parameters and models

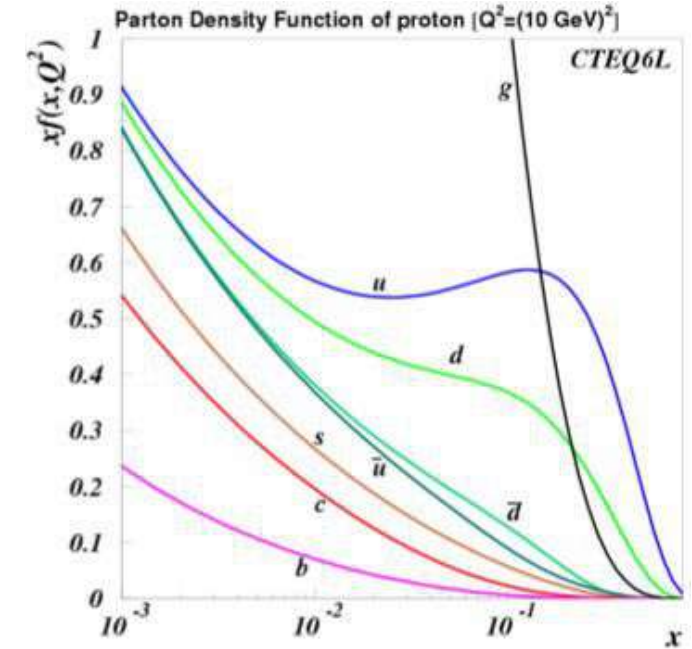
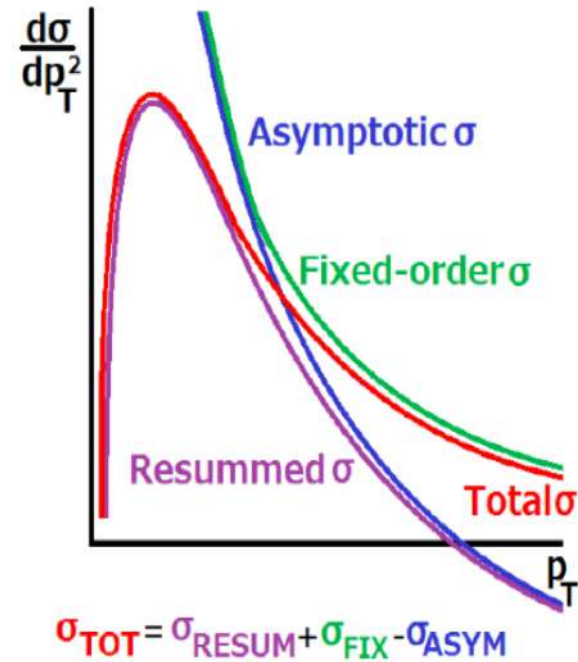
Non perturbative QCD

- Hadronization
- Underlying Event
- Primordial k_T

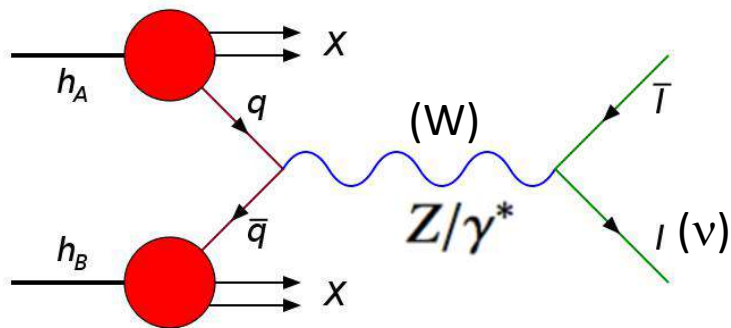
Precision in Quantum Chromo Dynamics(QCD)

Example, Drell-Yan Process: $pp \rightarrow Z$ or W

- Predictions needed as input
- Serious test of QCD with EWK processes



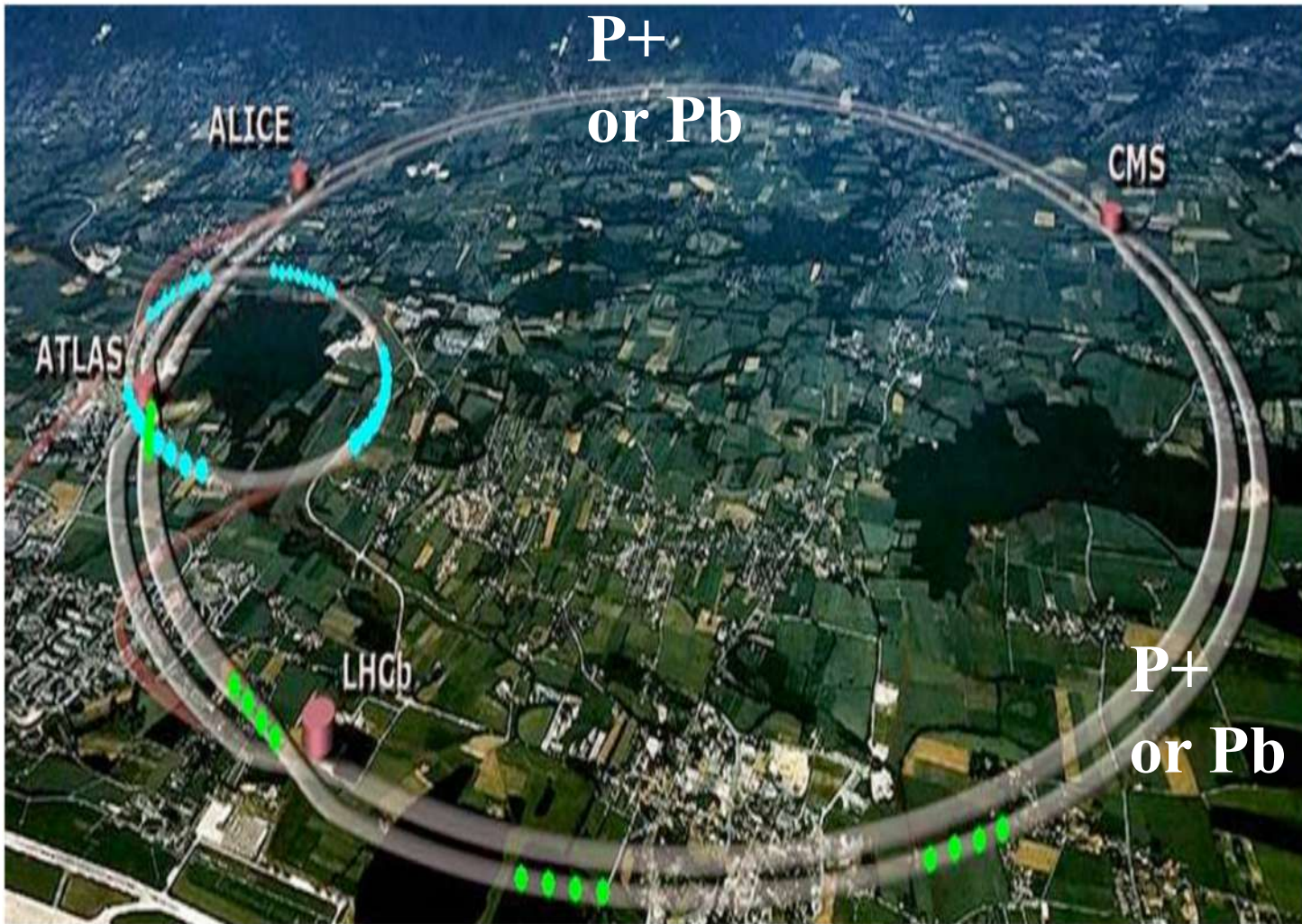
Main uncertainty in important EWK precision measurements



High p_T : described at fixed-order of α_s by perturbative QCD predictions

Small p_T : described using resummation of multiple soft-gluon emissions. Non-perturbative part that has to be parametrised and extracted from the data.

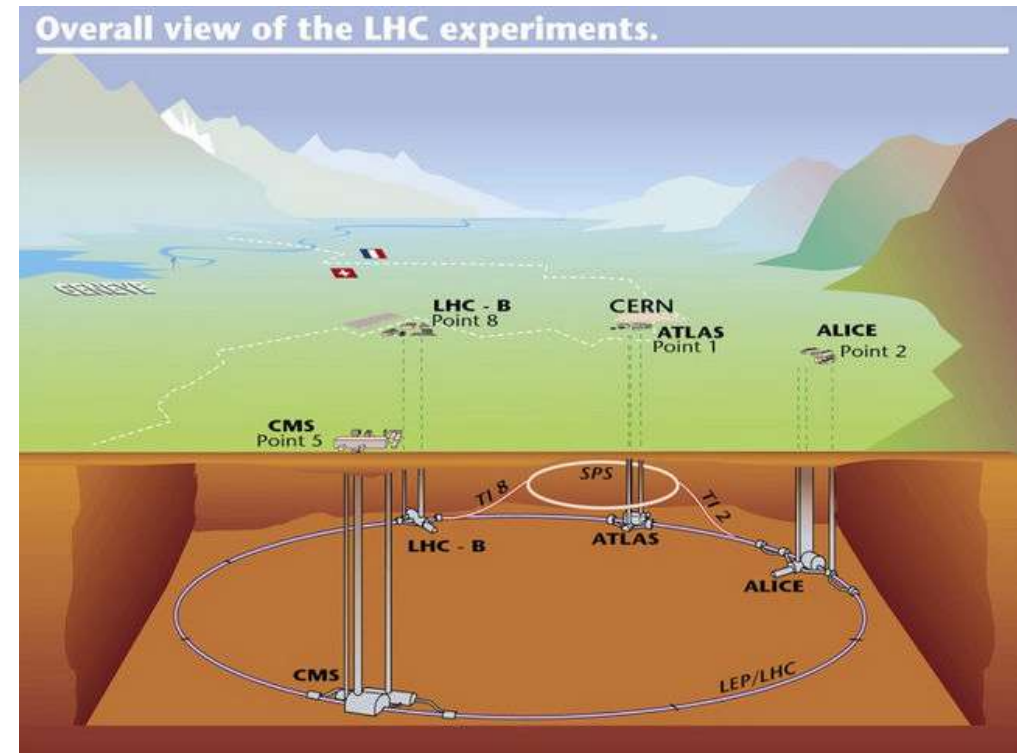
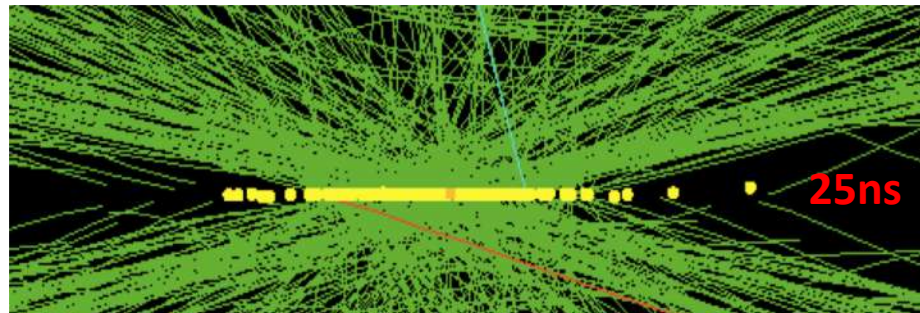
→ This is of great importance when calculating the W-mass



Large Hadron Collider @ CERN

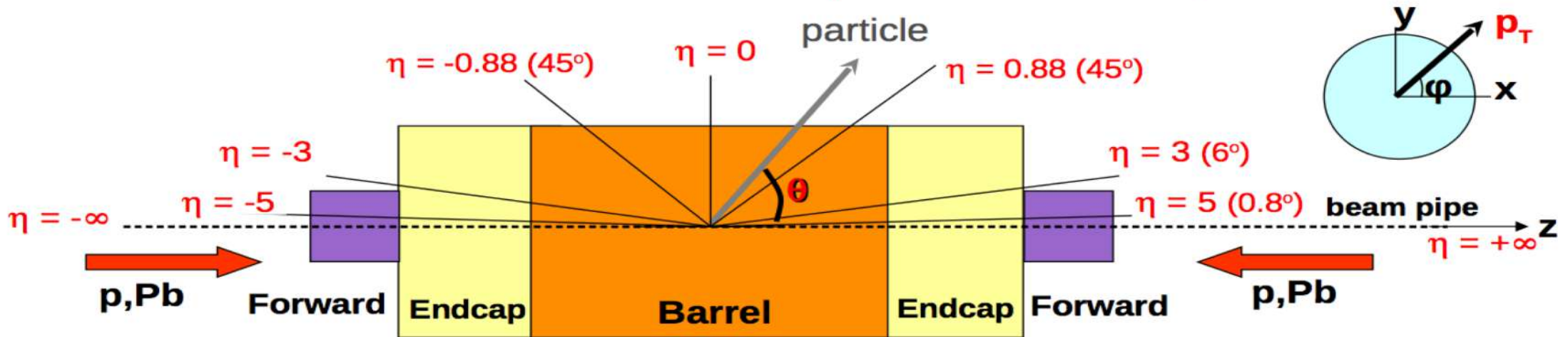
- Energy Frontier
- 20 Year program to accumulate $> 3000 \text{ fb}^{-1}$

High Luminosity achieved with beams with $> 10^{11}$ protons/bunch & > 2800 bunches in the ring



LHC collisions: kinematics

- Hadron = “beam” of partons with initial $p_T \sim 0$ but unknown p_L fractions.
- Hadron-hadron collisions **variables**: p_T (transverse), y or η (longitudinal).

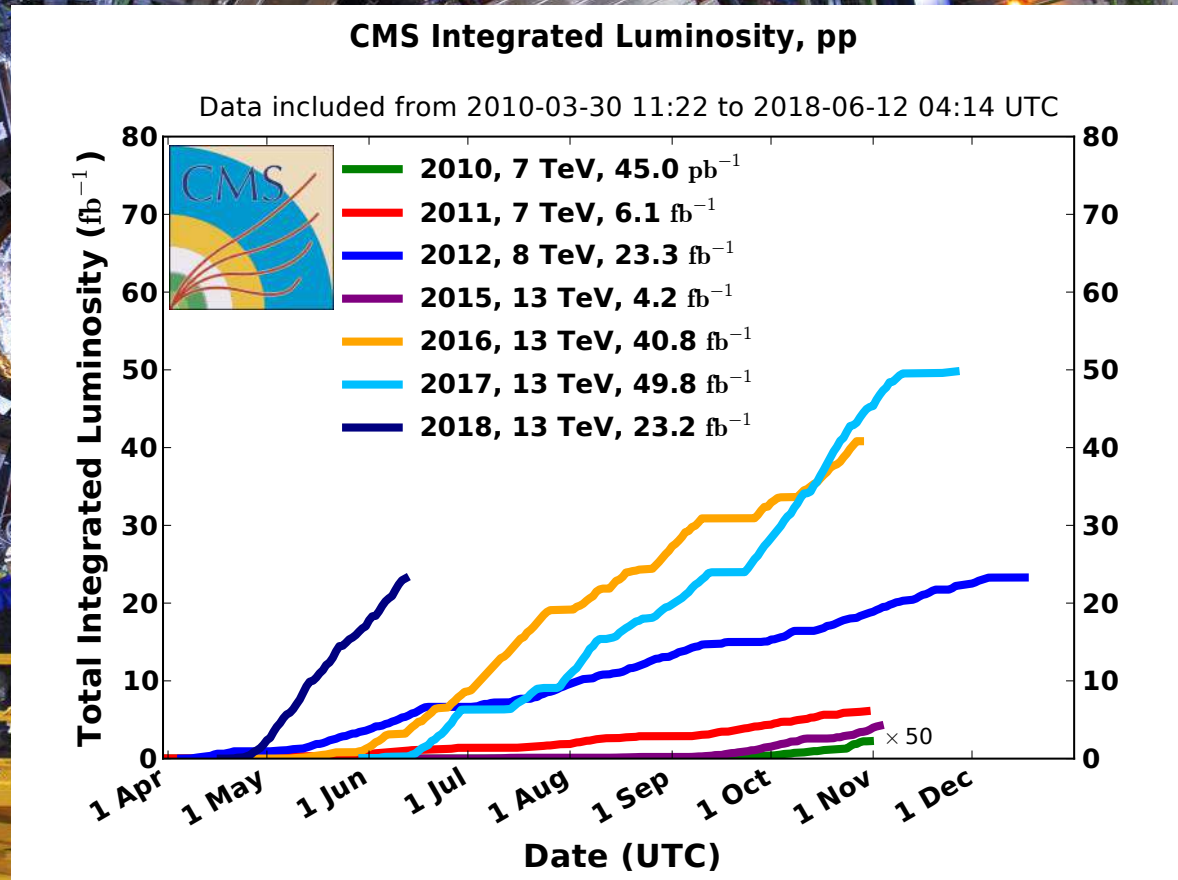
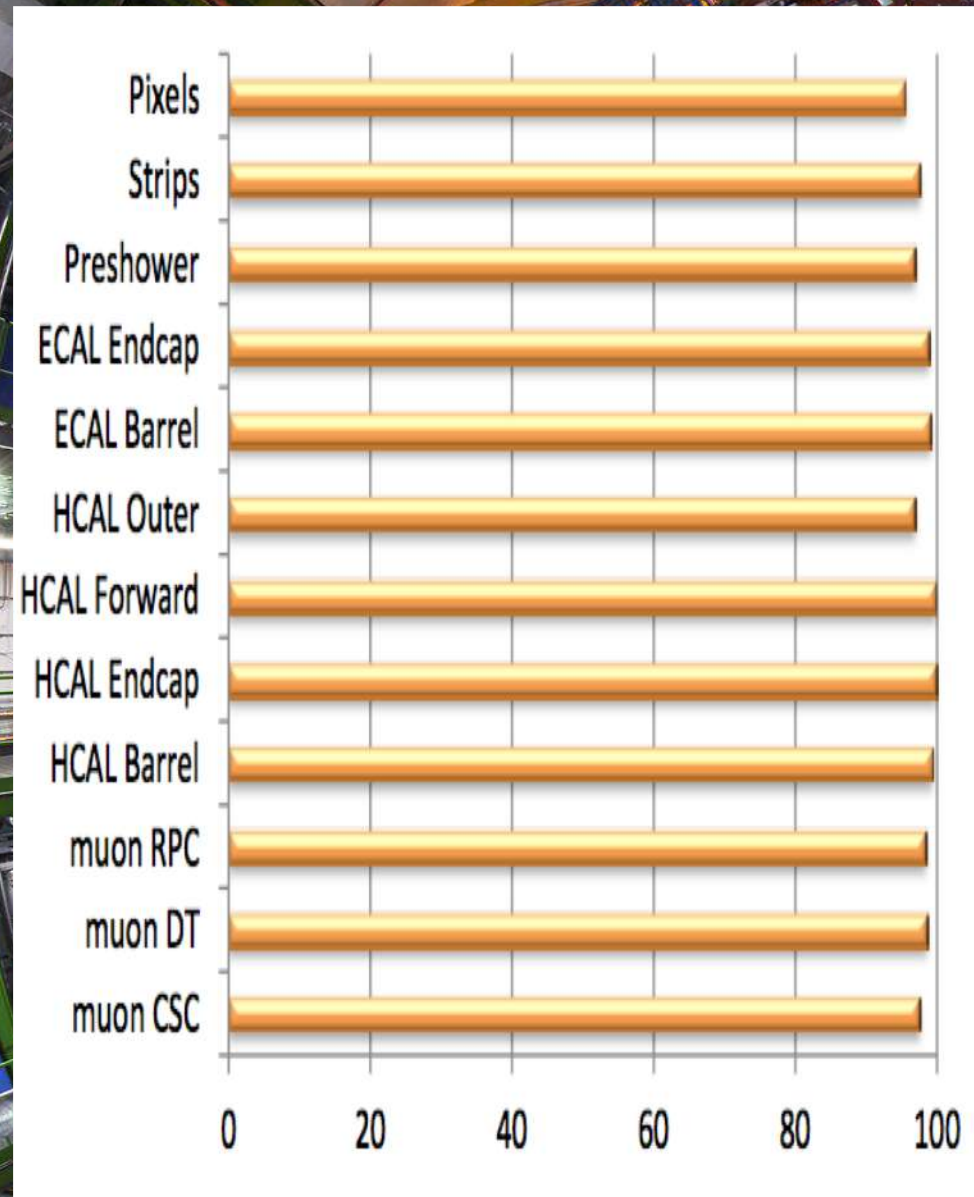


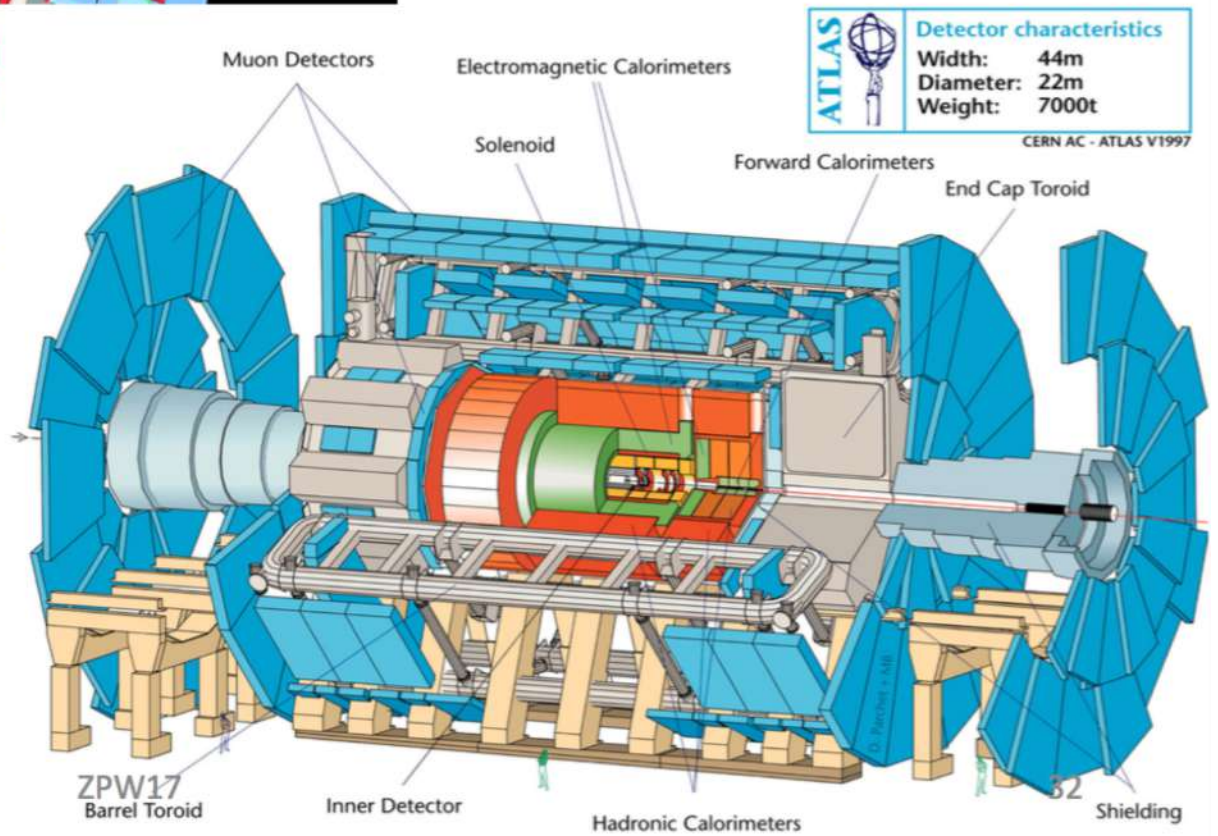
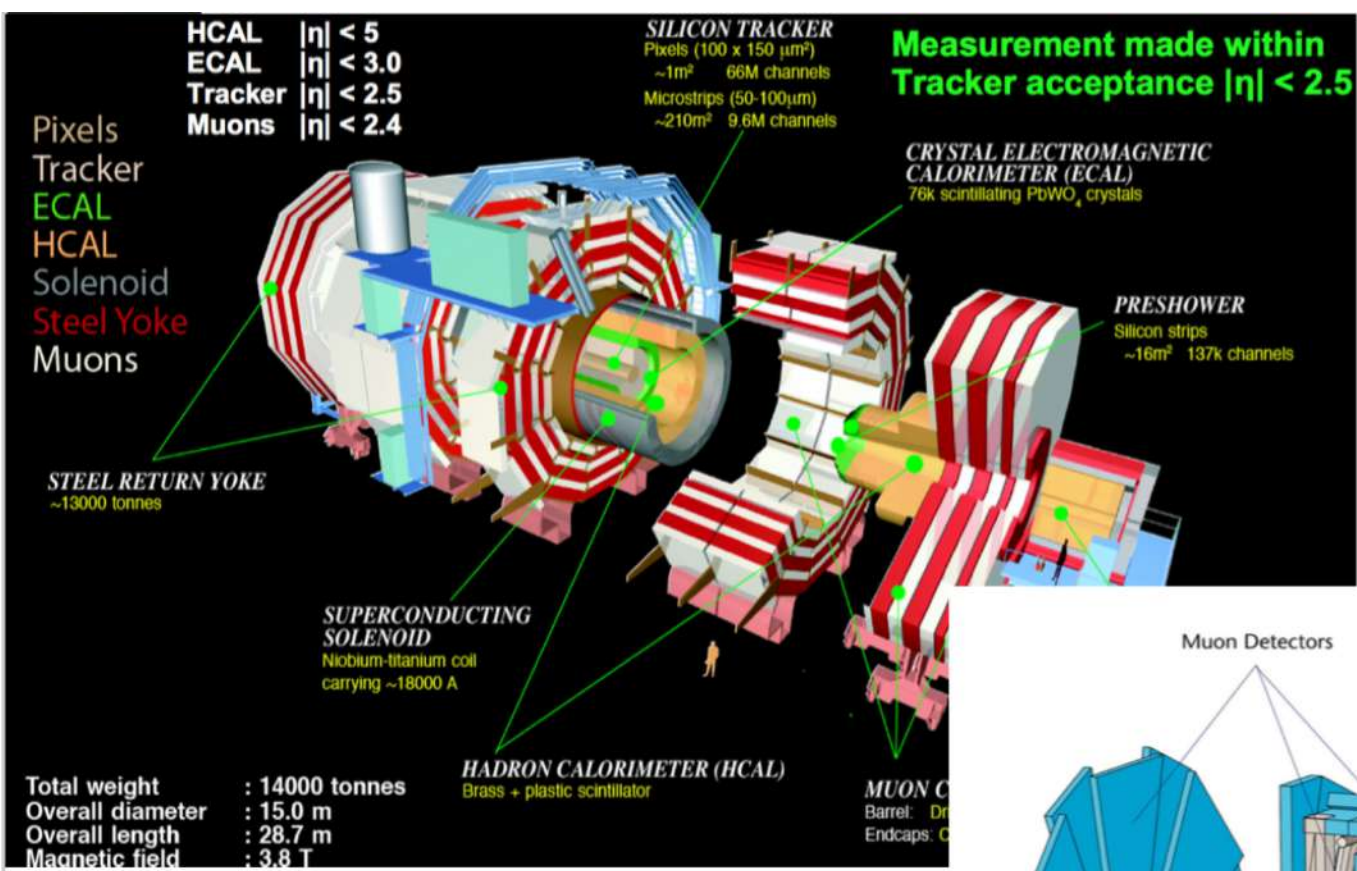
■ **Transverse momentum:** $|\mathbf{p}_T| = p \sin(\theta)$ conserved in hadron-hadron colls.

■ **Rapidity:** $y = -\log \frac{E + p_z}{E - p_z}$ (Differences in rapidity are conserved under Lorentz boosts in the z -direction)

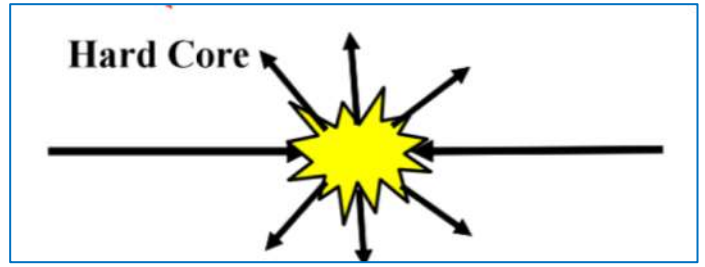
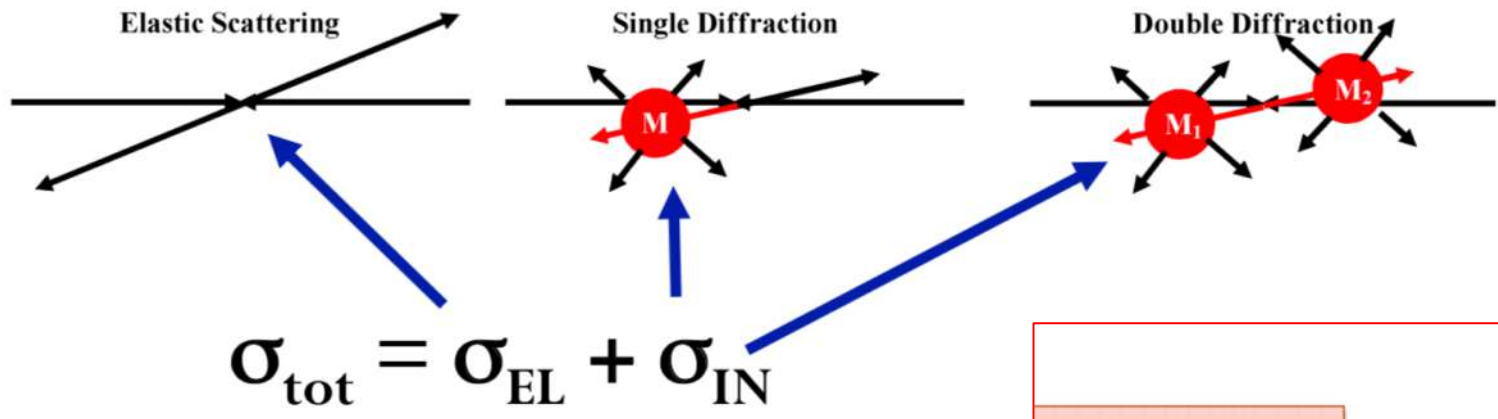
Pseudorapidity: $\eta = -\ln[\tan(\theta/2)]$ ($\eta \sim y$ if $E \gg m$, and θ not too small)

CMS
Transverse
view

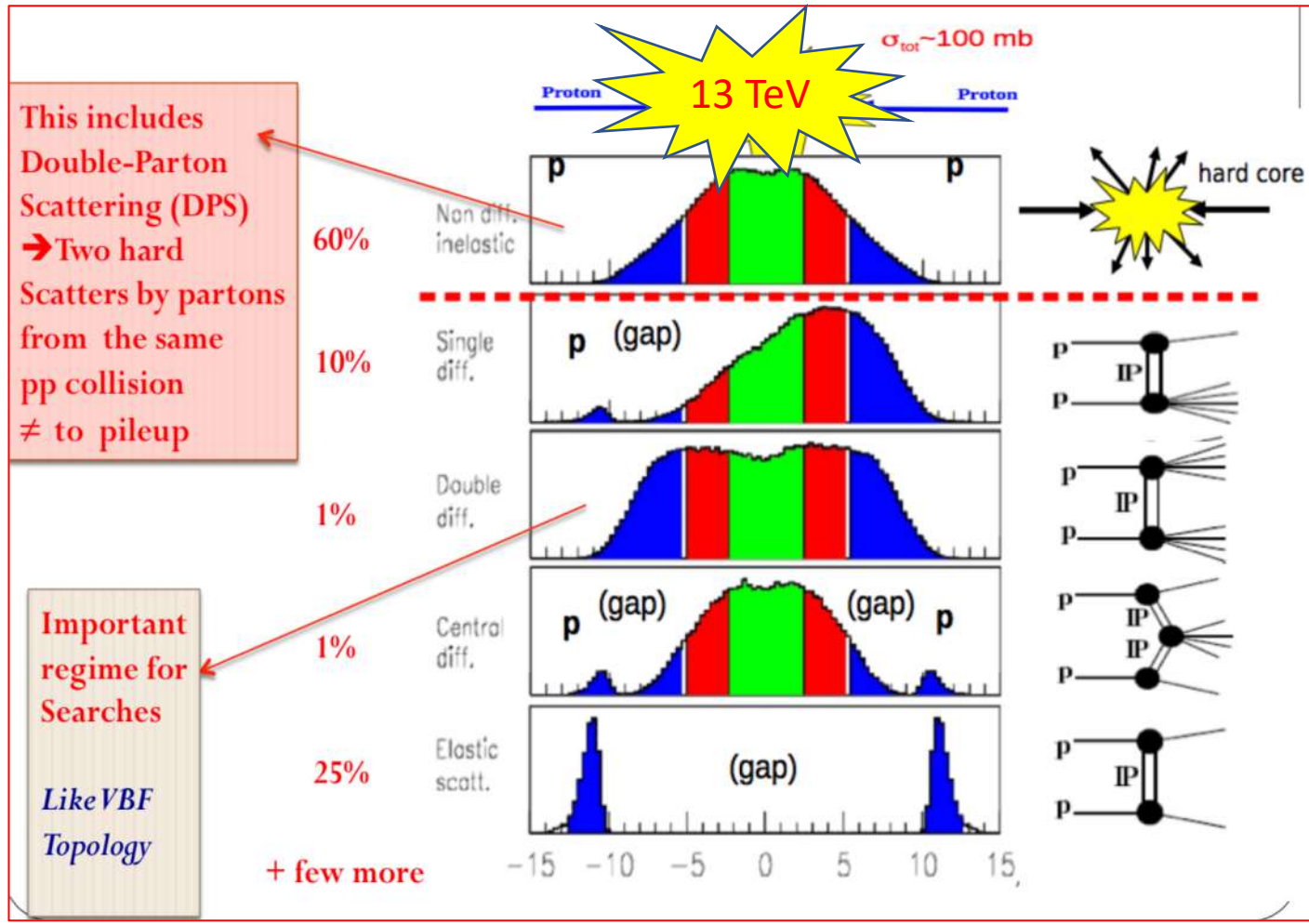




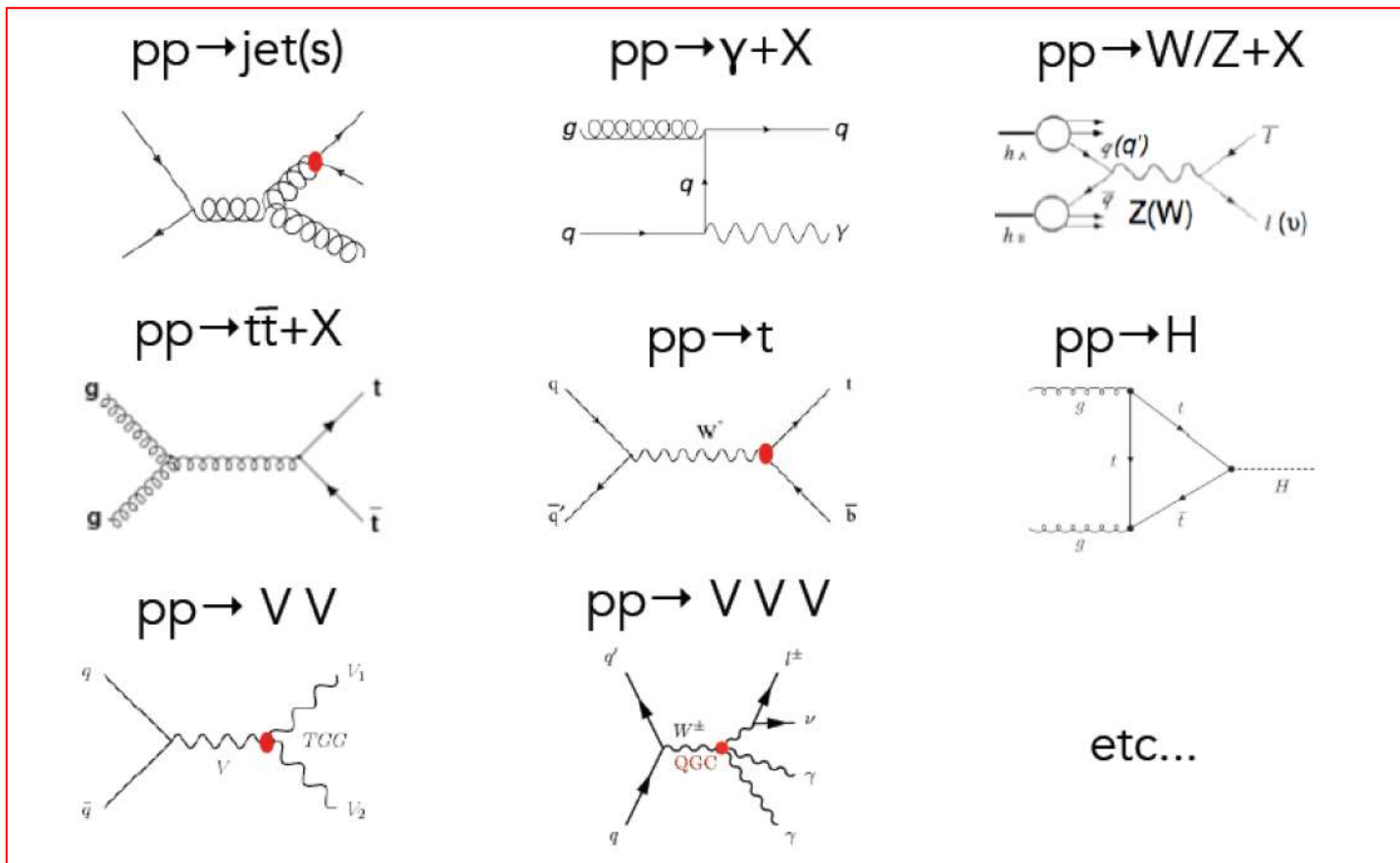
Proton – Proton Collisions



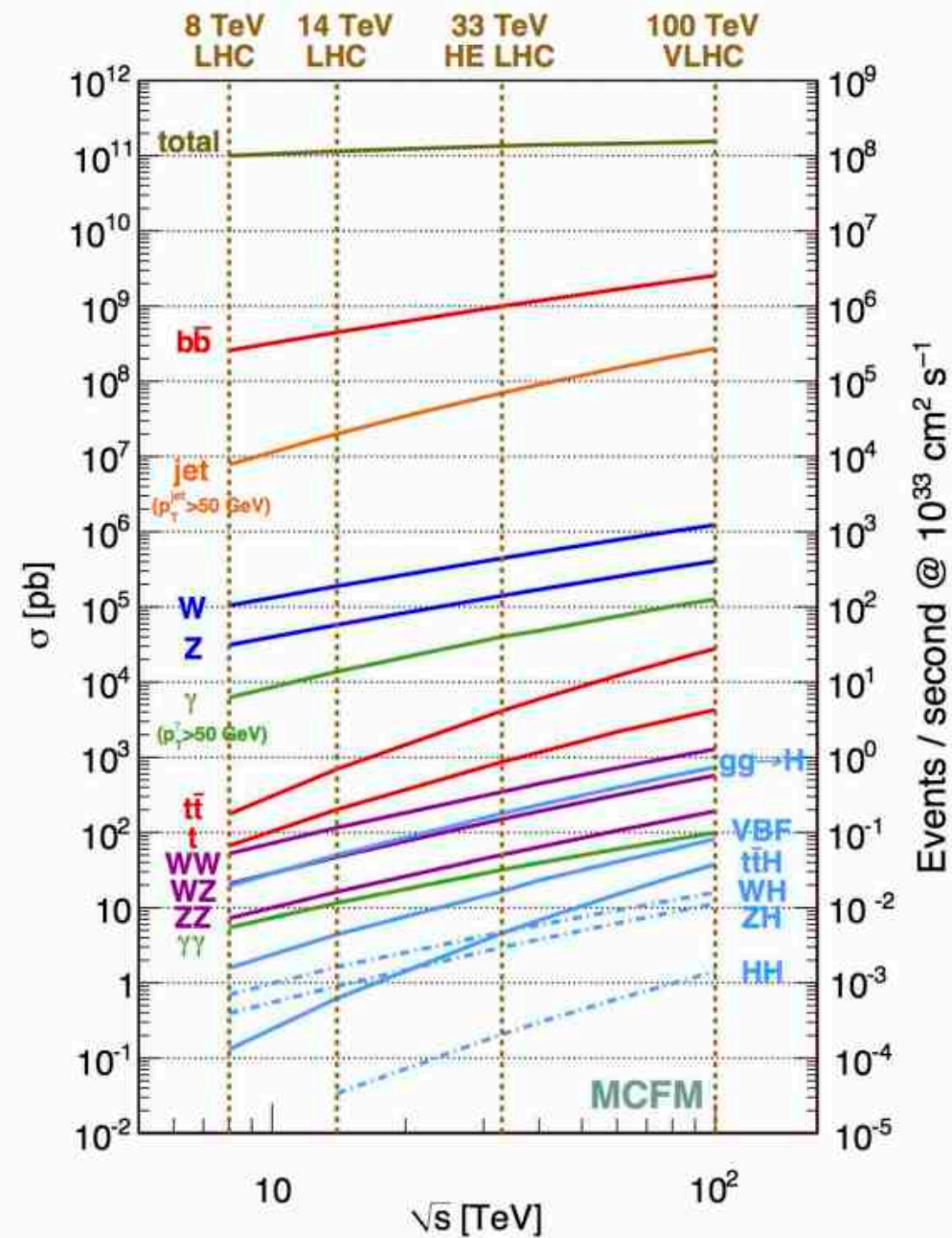
Non Diffractive



Many Hard Processes

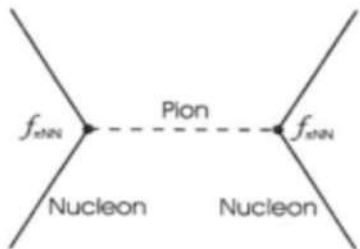
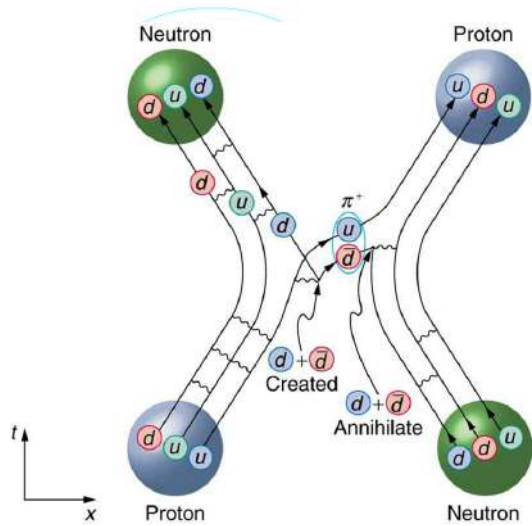


$$N = \mathcal{L} \sigma \text{ (acceptance)} \times \text{(efficiency)}$$

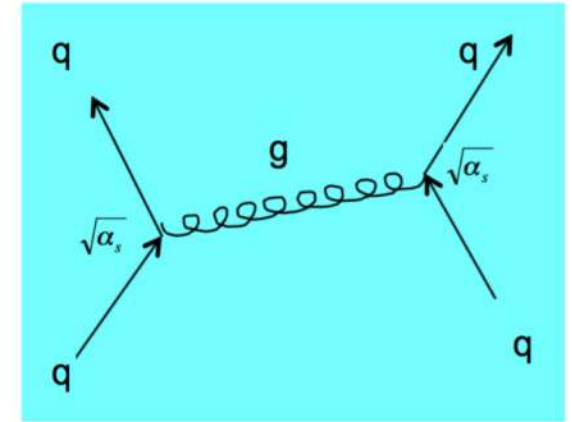
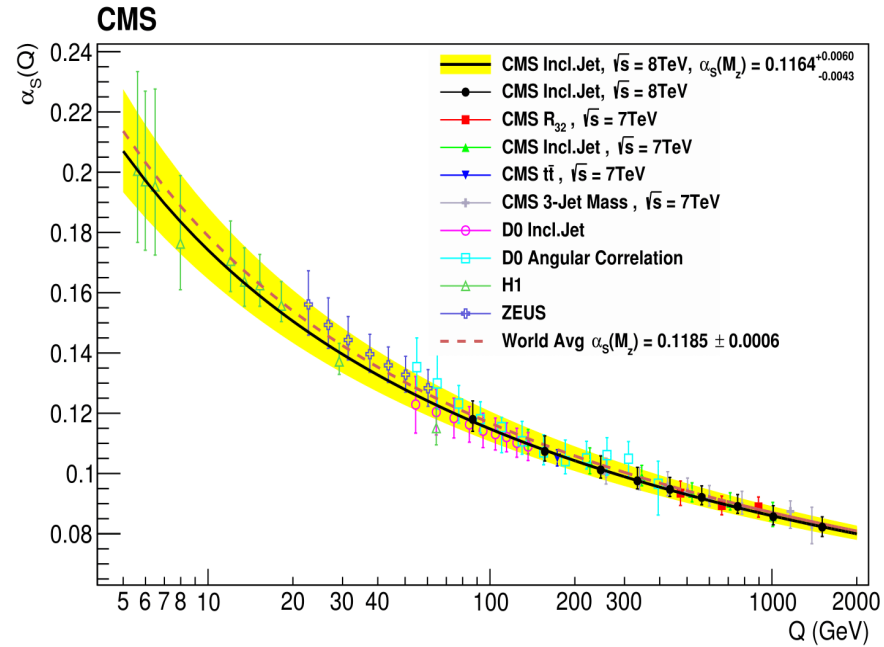


Low energy NUCLEON-NUCLEON INTERACTIONS

3 valence quarks



LHC: For “hard” processes strong Interactions is directly between quarks

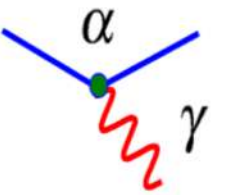


- Effective strength \sim #gluons exch.
 - low Q^2 : more g 's: large eff. coupling
 - high Q^2 : few g 's: small eff. coupling

Few comments on QCD relevant when discussion hard scattering processes

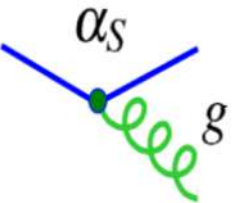
In QED:

- the electron carries one unit of charge $-e$
- the anti-electron carries one unit of anti-charge $+e$
- the force is mediated by a massless “gauge boson” – the photon

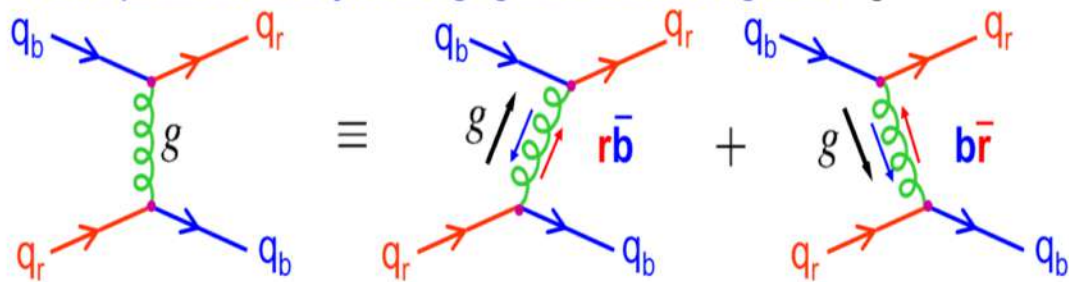


In QCD:

- quarks carry colour charge: r, g, b
- anti-quarks carry anti-charge: $\bar{r}, \bar{g}, \bar{b}$
- The force is mediated by massless gluons



★ In QCD quarks interact by exchanging virtual massless gluons, e.g.

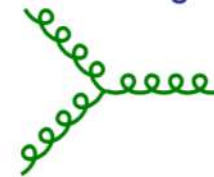


★ Gluons carry colour and anti-colour, e.g.

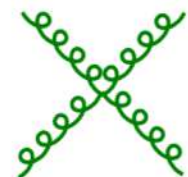


★ Two new vertices (no QED analogues)

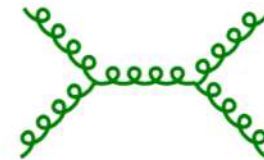
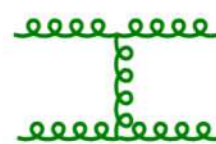
triple-gluon vertex



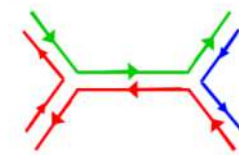
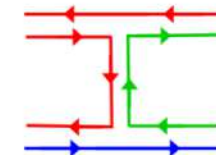
quartic-gluon vertex



★ In addition to quark-quark scattering, therefore can have gluon-gluon scattering

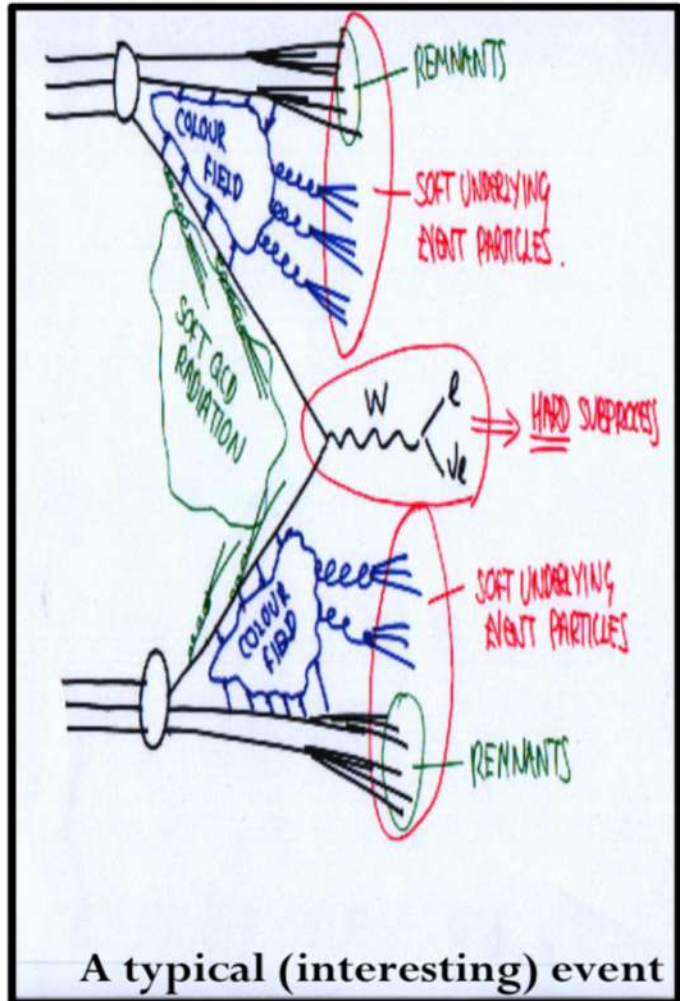


e.g. possible way of arranging the colour flow



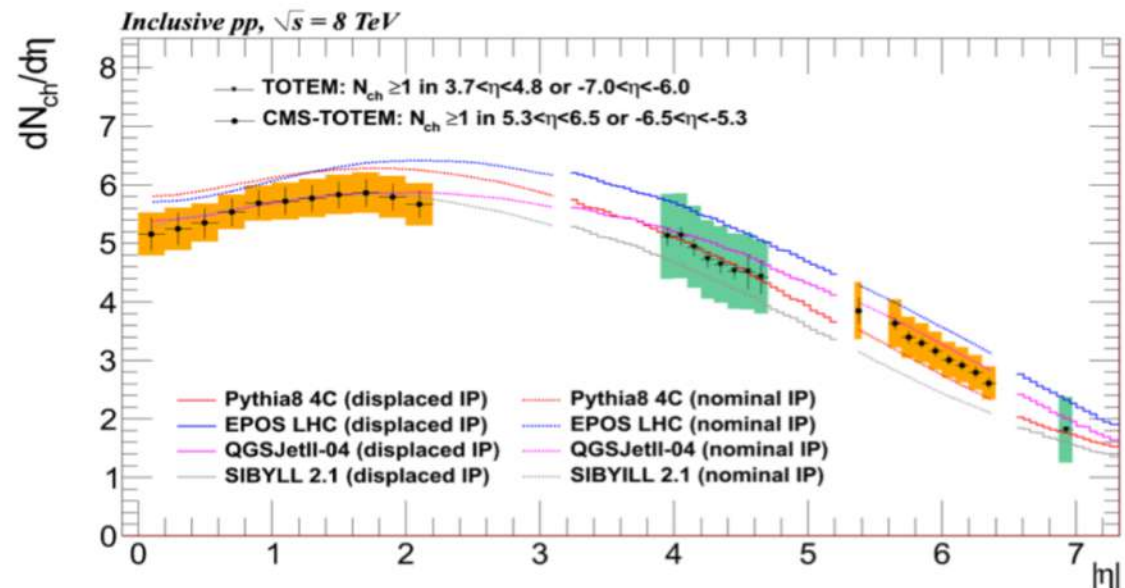
At the LHC we need to have under control both the soft (underlying event) & hard QCD

Will talk more about underlying event when we discuss top-quark

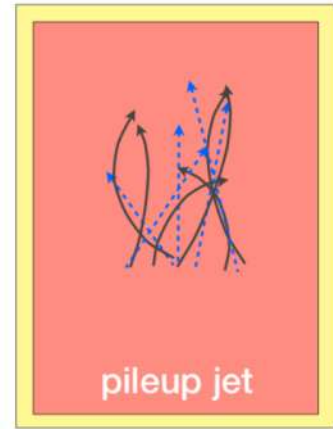
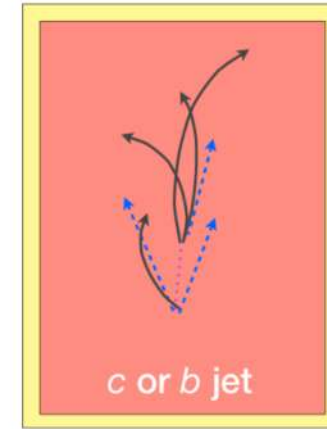
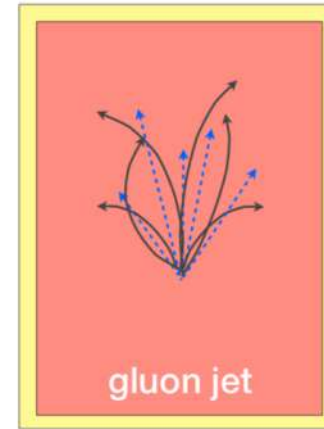
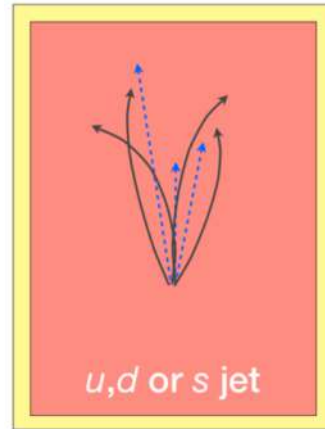


- Measurement of the forward charged particle pseudorapidity density in pp collisions at $\sqrt{s} = 8$ TeV using a displaced interaction point

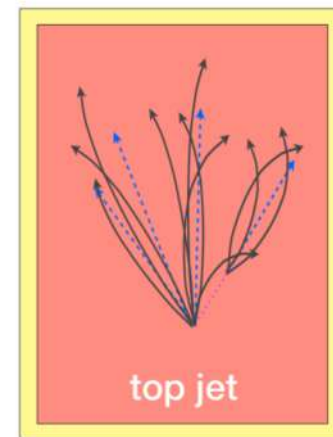
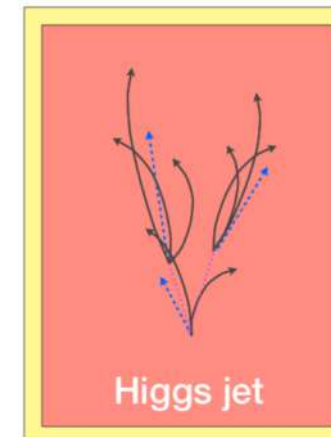
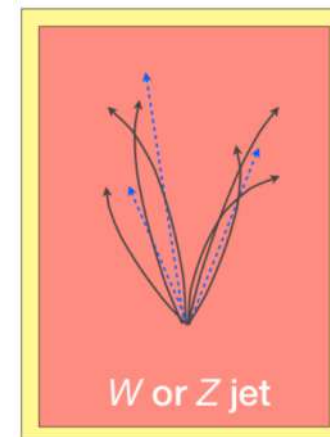
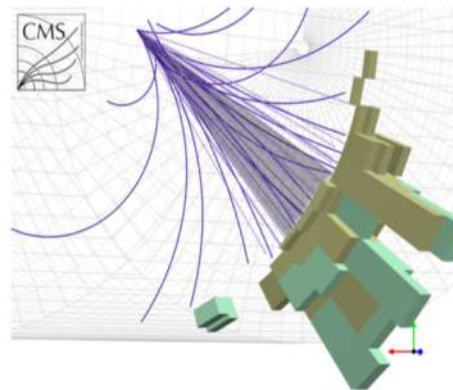
[Eur. Phys. J. C \(2015\) 75:126; arXiv:1411.4963](#)



Before we continue...The hard processes very often produce jets. We are continuously improving our jet reconstruction



- Jets are ubiquitous at hadron colliders.
 - Collimated spray of hadrons resulting from an initial state quark or gluon)
- LHC jet tagging revolution
 - Enabled by new reconstruction techniques (ex. particle flow, sequential recombination jet algorithms)
 - Quark/gluon discrimination, Pileup jet ID
 - Boosted heavy object jet tagging (ex. top, W, Z, Higgs)
 - all decay products of reconstructed within one jet
 - Advanced b-tagging methods
 - Subjet b-tagging, double b-tagging



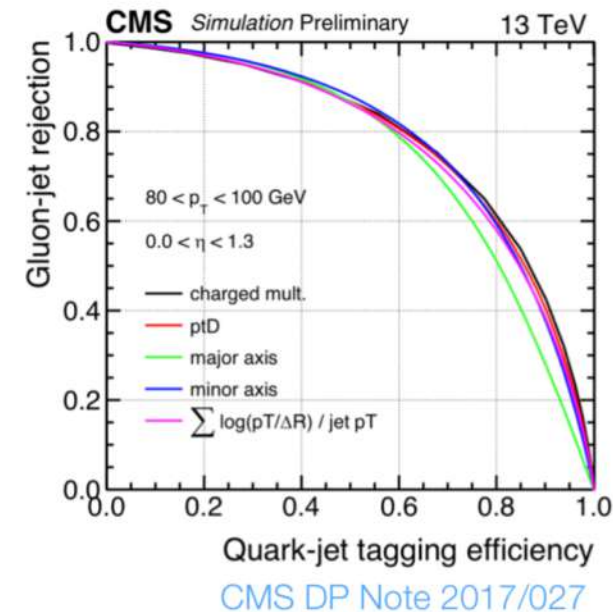
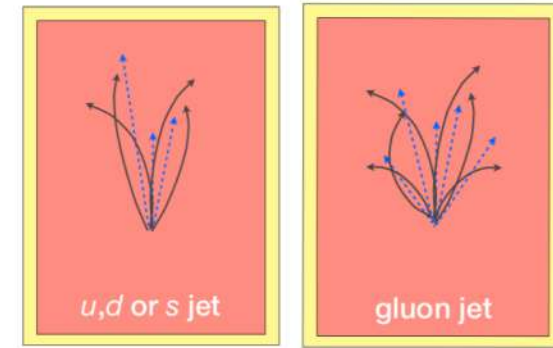
Identifying quark and gluon jets

- Gluon more likely to radiate a gluon ($C_A = 3$ vs $C_F = 4/3$)
- Gluon fragmentation function softer
- Gluon jets
 - Wider than quark jets (η - Φ plane)
 - Larger multiplicities
 - Fewer hard particles
- Quark jets
 - Narrow
 - Smaller multiplicities
 - Asymmetrical energy shared between constituents

- Three tools:
 - Likelihood discriminator (3 variable)
 - BDT discriminator (5 variable)
 - Deep neural net (jet constituents)
- Quark/gluon discriminator variables:
 - Jet particle multiplicity
 - Total or charged
 - Jet shape
 - major axis width
 - minor axis width
 - ΔR weighted p_T $\sum_i \frac{\log(\frac{p_{T,i}}{\Delta R})}{\text{jet } p_T}$
 - Energy sharing (p_{TD})

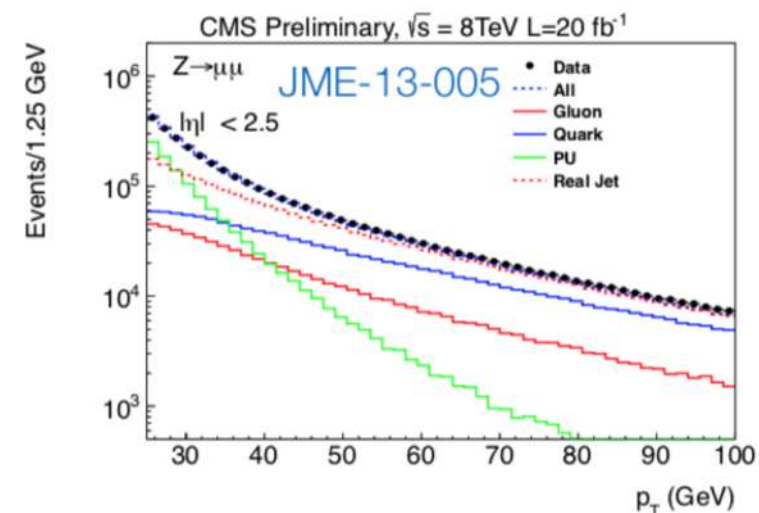
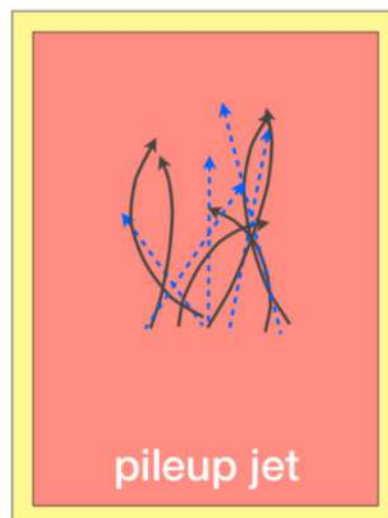
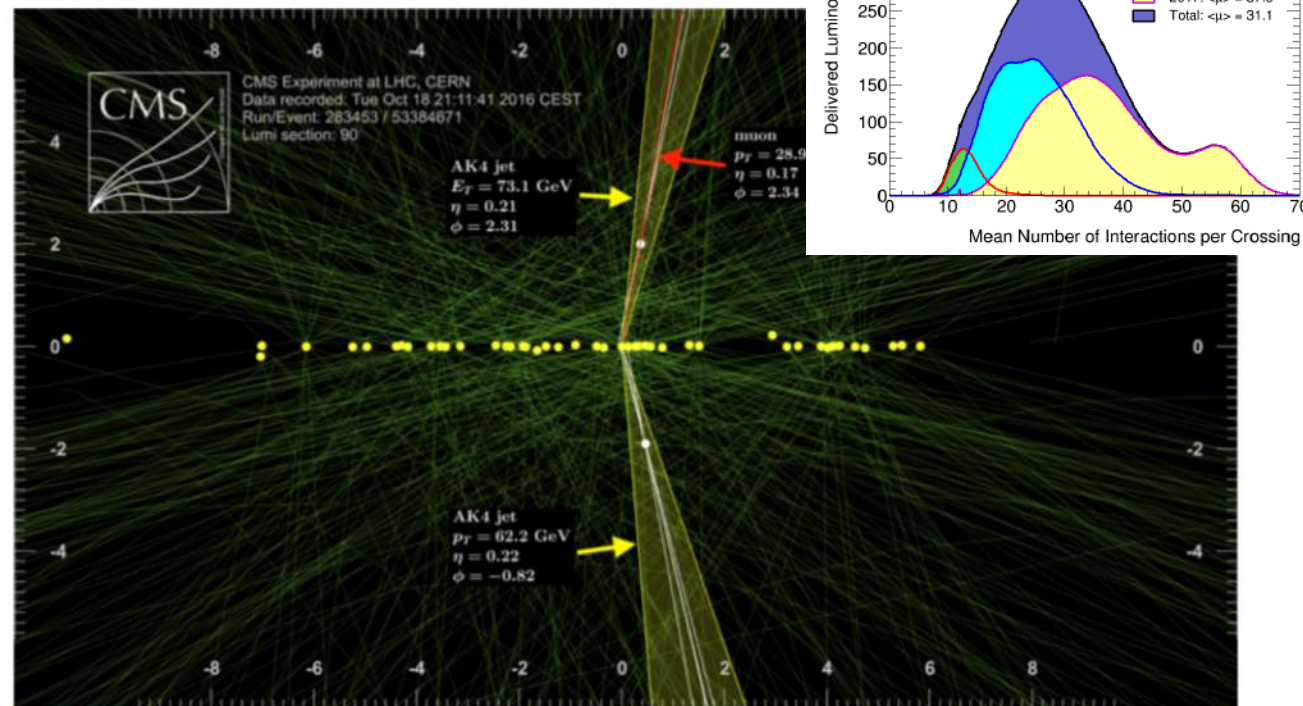
$$p_{TD} = \frac{\sqrt{\sum_i p_{T,i}^2}}{\sum_i p_{T,i}}$$

→ 1 if all momentum carried by one particle
→ 0 if jet has infinite number of particles



LHC Hostile environment

- Pileup jets are formed from overlapping low p_T pileup particles
 - Each pileup vertex contributes ~ 0.7 GeV of energy per unit area (η, Φ) of the detector
- Pileup jet tagging - tool used to identify and reject jets originating from pileup
 - Utilize vertex, track, and jet shape information
 - Charged particles inside pileup jets are not associated with the primary vertex
 - Pileup jets are more diffuse (overlapping soft particles from multiple vertices)



Aside... I am going to show several cross section measurements

$$\sigma = \frac{N_{obs} - N_{bkg}}{A \epsilon L}$$

N_{obs} : observed number of events

N_{bkg} : estimated background

A : detector acceptance ($N_{gen, fiducial} / N_{gen, total}$)

ϵ : experimental efficiency ($N_{reco} / N_{gen, fiducial} * \epsilon_{data} / \epsilon_{MC}$)

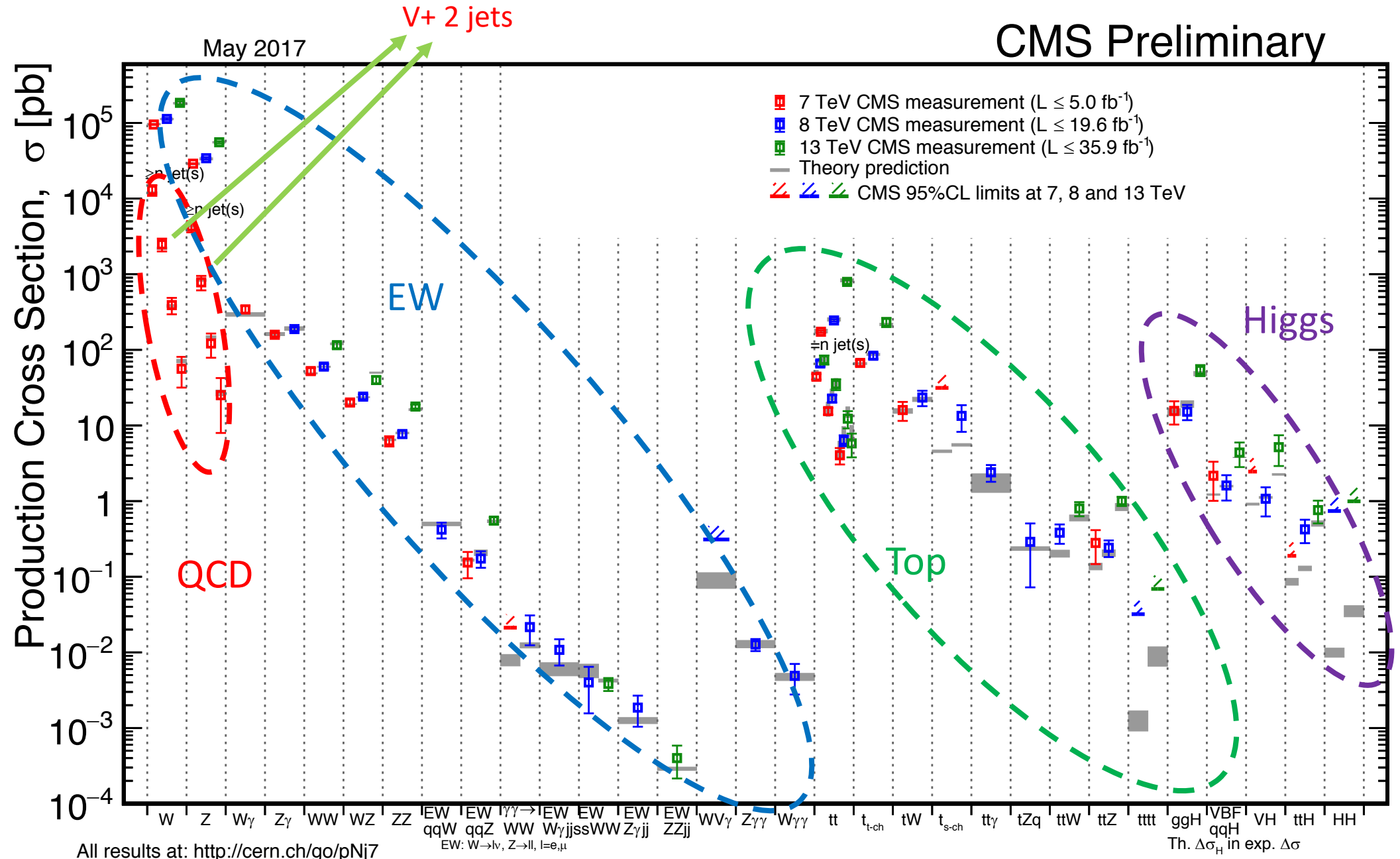
L : integrated luminosity

Fiducial cross-section

- no correction for detector acceptance to avoid theoretical uncertainty on extrapolation to the full phase space

Differential cross-section

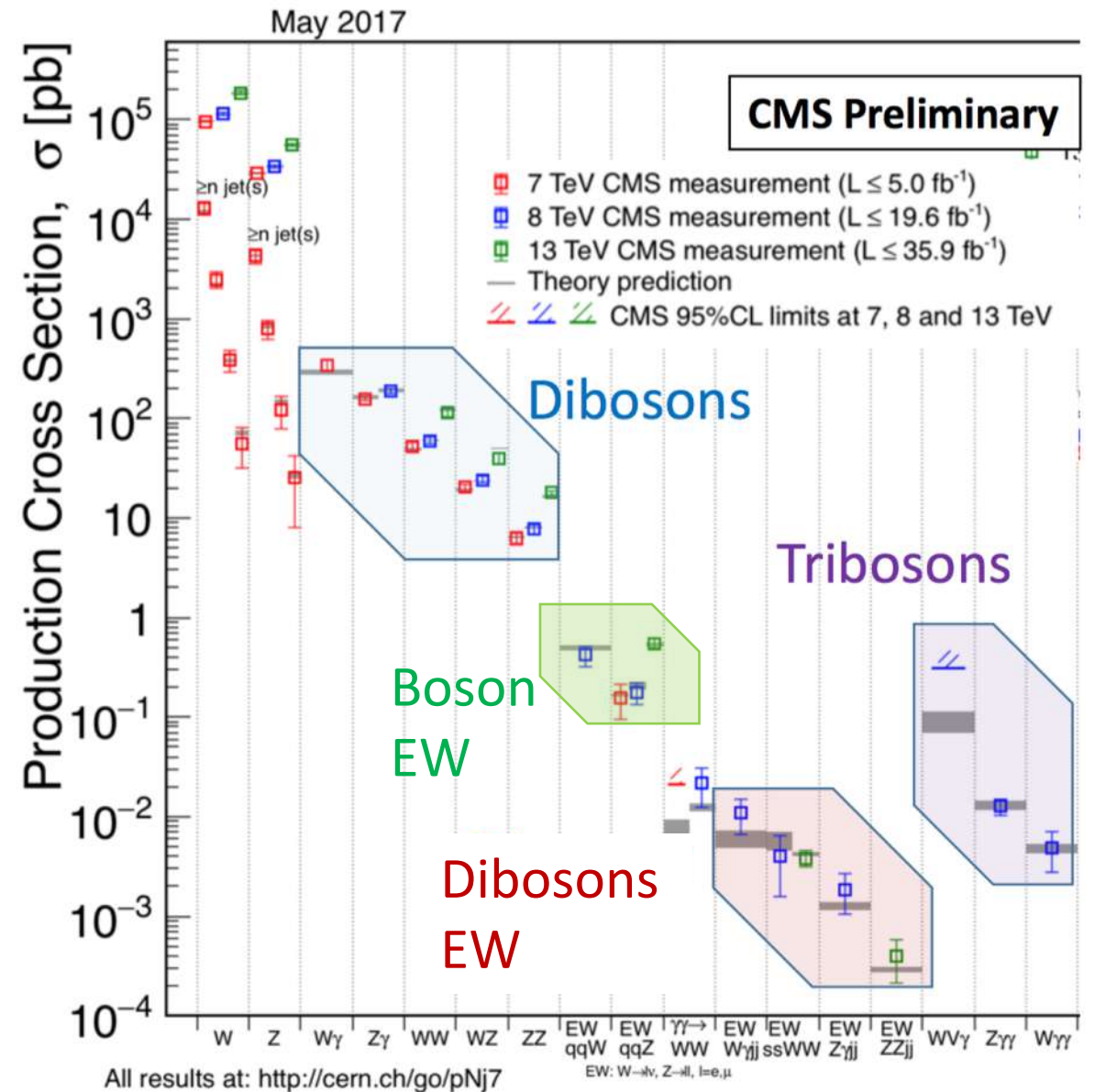
- Measure in bins of a variable (or of several variables)
- Use efficiency matrix that also describes migration between bins → unfolding



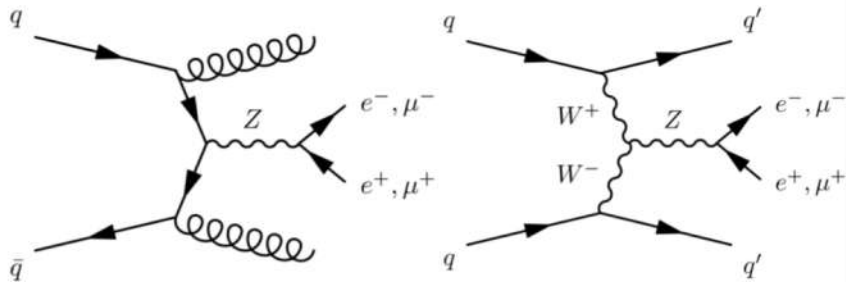
Focus 1st on EW production of single bosons and Multiboson

Huge range of production Cross Sections

- **5-300 pb: Inclusive (QCD) diboson production:**
 - Sensitive to higher order QCD (and QED) perturbative corrections
 - SM gauge structure: Triple Gauge Couplings (TGC)
- **<0.01 pb: VBS/VBF (QED) diboson production**
 - Sensitive to higher order QED perturbative corrections
 - The nature of EWSB
 - SM gauge structure: Triple Gauge Couplings (TGC) and Quartic Gauge Couplings (QGC)
- **10^{-3} - 10^{-1} pb: Inclusive (QCD) triboson production**
 - Sensitive to higher order QCD (and QED) perturbative corrections
 - SM gauge structure: Quartic Gauge Couplings (QGC)



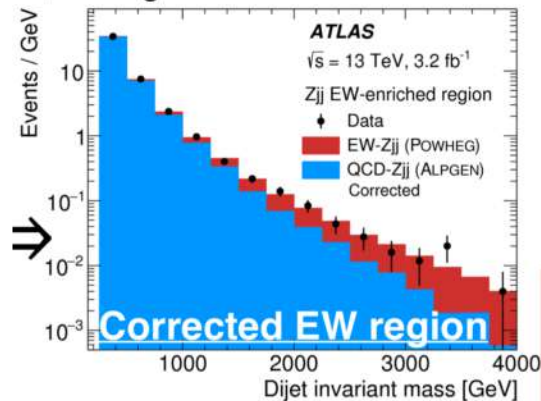
VBF: Vector Boson Fusion



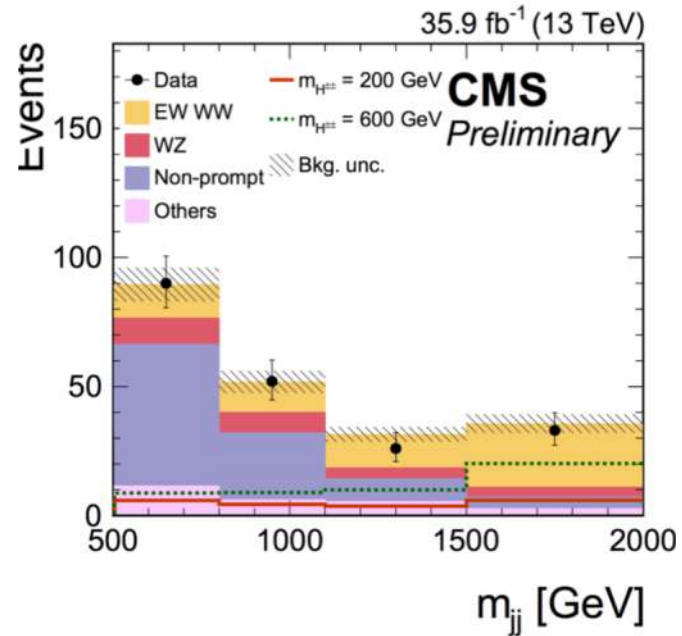
QCD Background

EWK: VBF Signal

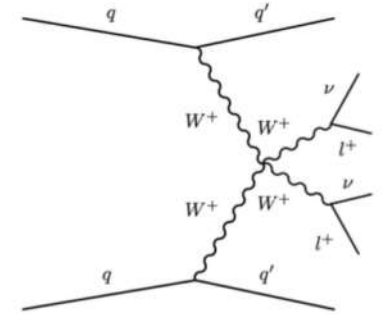
Future of the LHC
Great topology to search for new high mass resonances



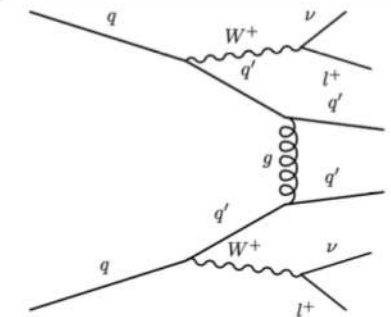
VBS: Vector Boson Scattering



VBS production

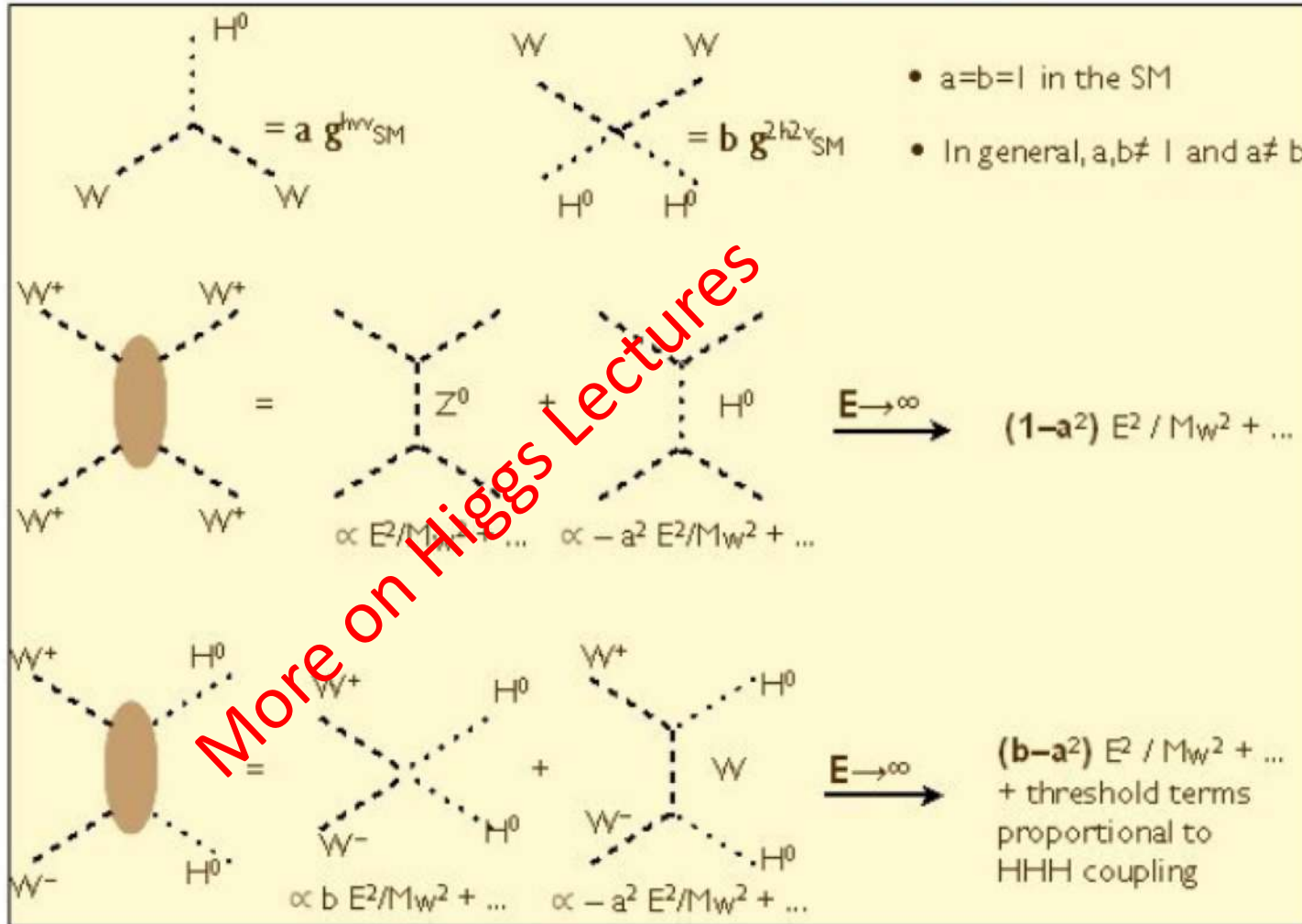
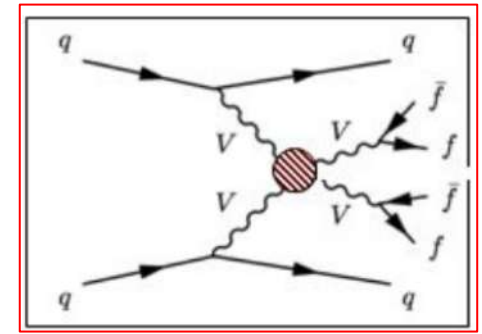


QCD production

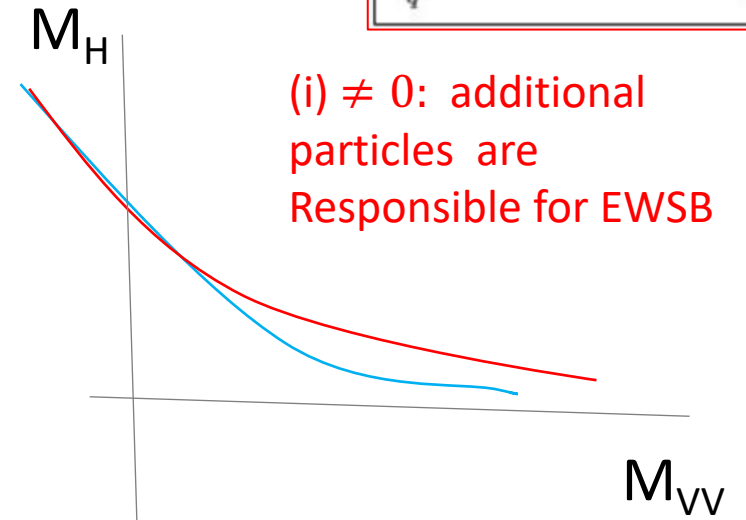


What do I mean by saying QCD or EW boson production?
Many future analysis will have this topology
Notice that they all involve jets...

In SM, VBS crucial because (i) $W_L W_L \rightarrow W_L W_L$ vanishes, only (ii) $W_T W_T \rightarrow W_T W_T$ is present



More on Higgs Lectures

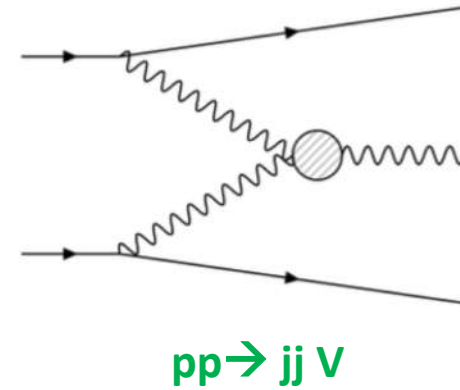


- $V_L V_L$ scattering linked to the mechanism responsible for the EWSB:

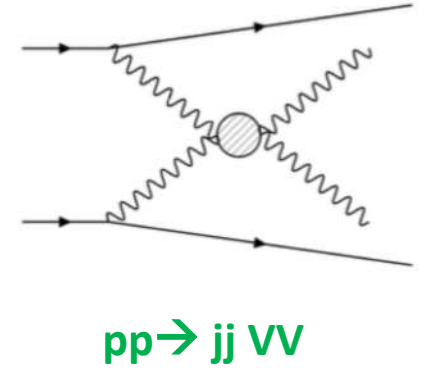
(massless vector) W_μ^a, B_μ	➔	(massive vector) W_μ^+, W_μ^-, Z_μ
(Higgs doublet) σ, χ^a		(Higgs field) H

We know how to reconstruct jets...
therefore we can identify:
 $pp \rightarrow qqV$ or $qqVV$

Vector Boson Fusion

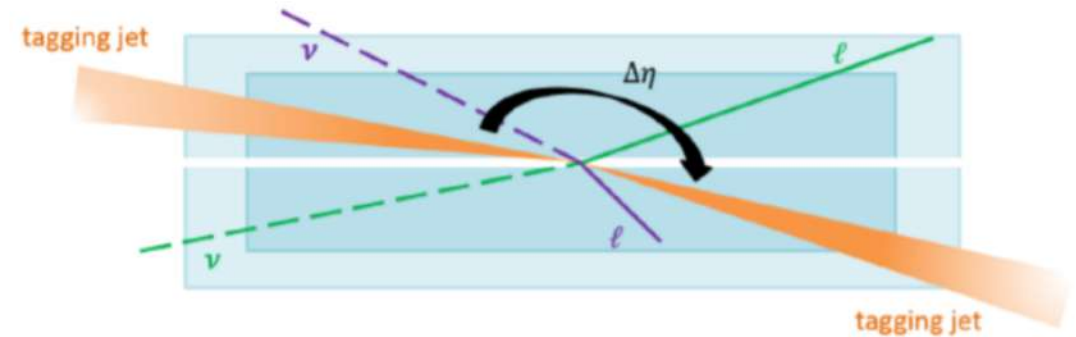


Vector Boson Scattering

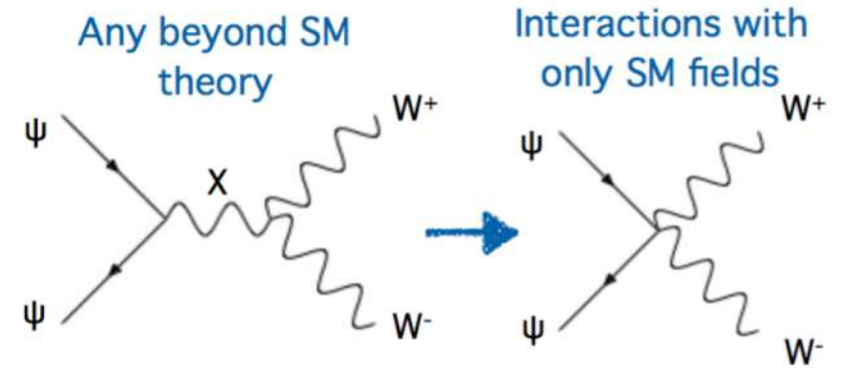


Process characteristics:

- Tagging jets (large $|\Delta\eta_{jj}|$, m_{jj} , quark tagging)
- Little central hadronic activity (jet veto)



Multibosons are also used to search for new physics via anomalous couplings



For large scales $E/\Lambda \ll 1$, only operators with lower mass dimension will matter...

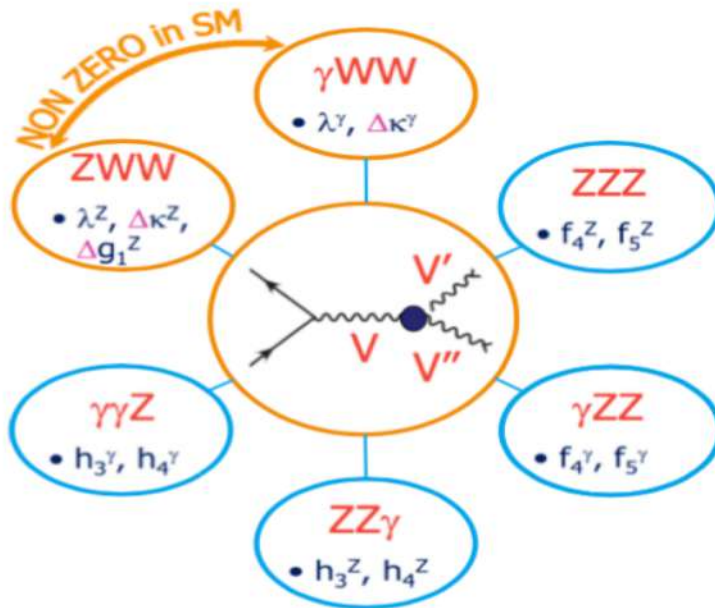
$$\frac{1}{\Lambda^2} \mathcal{L}_6 \rightarrow \left(\frac{E}{\Lambda}\right)^2$$

$$\frac{1}{\Lambda^4} \mathcal{L}_8 \rightarrow \left(\frac{E}{\Lambda}\right)^4$$

$$\mathcal{L} = \mathcal{L}_{SM} + \frac{1}{\Lambda_{\delta L \neq 0}} \mathcal{L}_5 + \frac{1}{\Lambda_{\delta B = 0}^2} \mathcal{L}_6 + \frac{1}{\Lambda_{\delta B \neq 0}^2} \mathcal{L}'_6 + \frac{1}{\Lambda_{\delta L \neq 0}^3} \mathcal{L}_7 + \frac{1}{\Lambda^4} \mathcal{L}_8 + \dots$$

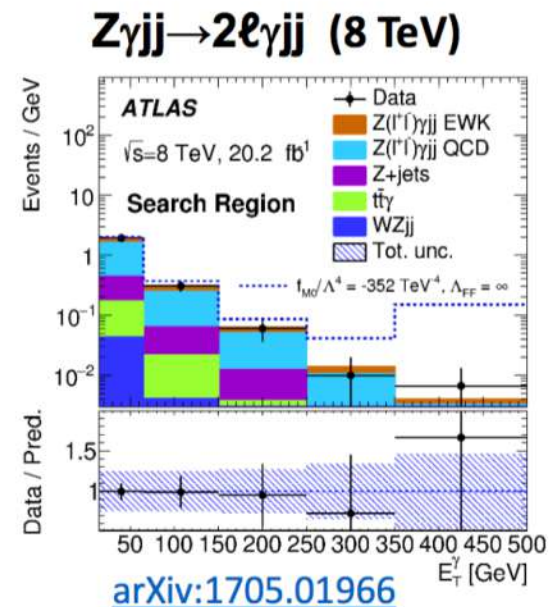
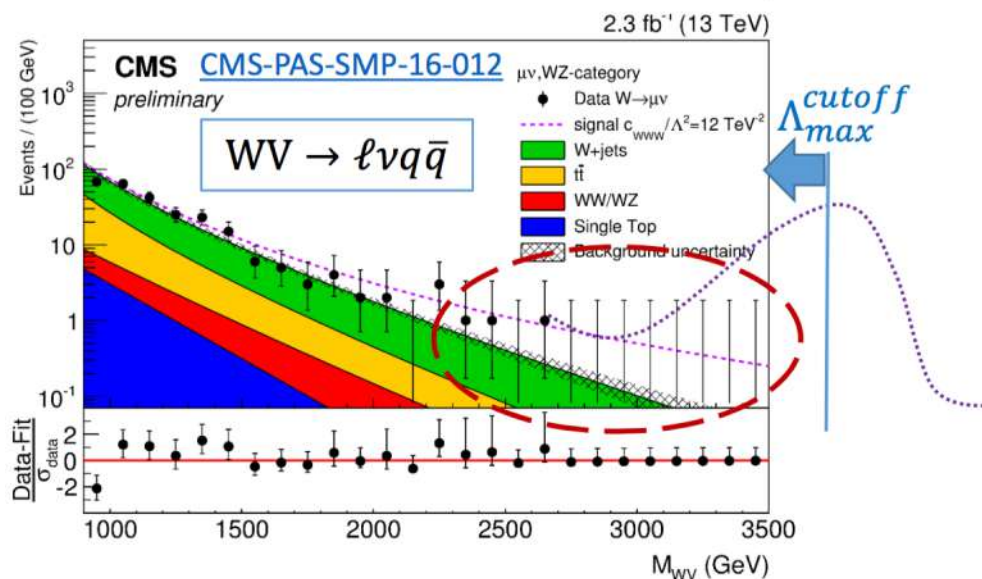
- 14 operators, 18 parameters
- 1 operator, 7 parameters
- 59 operators, 2499 parameters [arXiv:1312.2014]
- 4 operators, 408 parameters (all violate B number) [arXiv:1405.0486]
- 30 operators (all violate L number, 7 violate B number) [arXiv:1410.4193]
- 993 operators [arXiv:1510.00372]

The 2499 parameters in D=6 can be reduced to a bit more than 50 assuming flavor symmetry and CP conservation

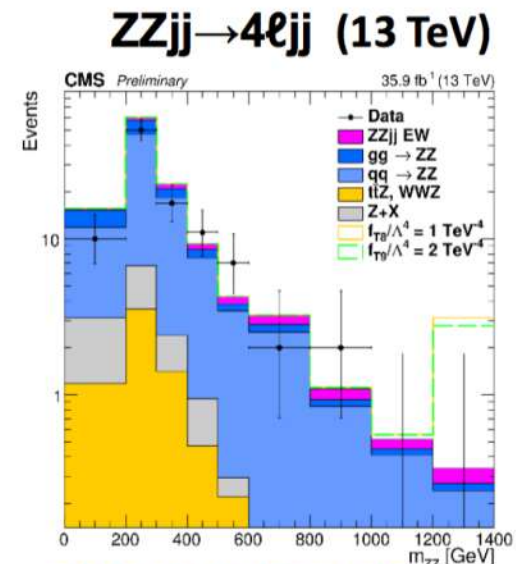


Anomalous couplings

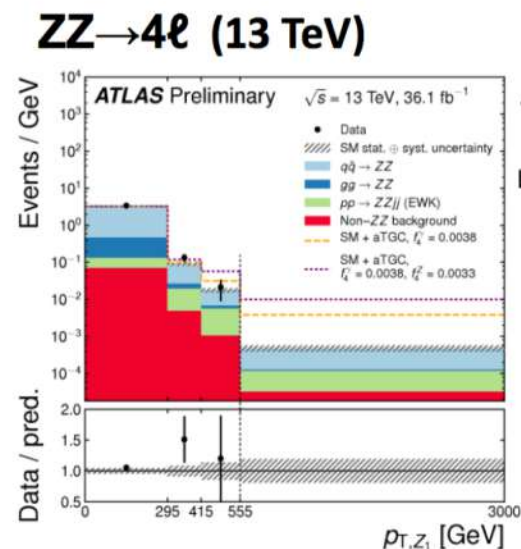
- Limiting factor: Observed statistics in the tail, systematics and statistical uncertainty on the S/B model → Will improve as luminosity increases
- Anomalous couplings result in an increase of cross sections at high energies
 - Invariant mass of the diboson system and the boson p_T are particularly sensitive



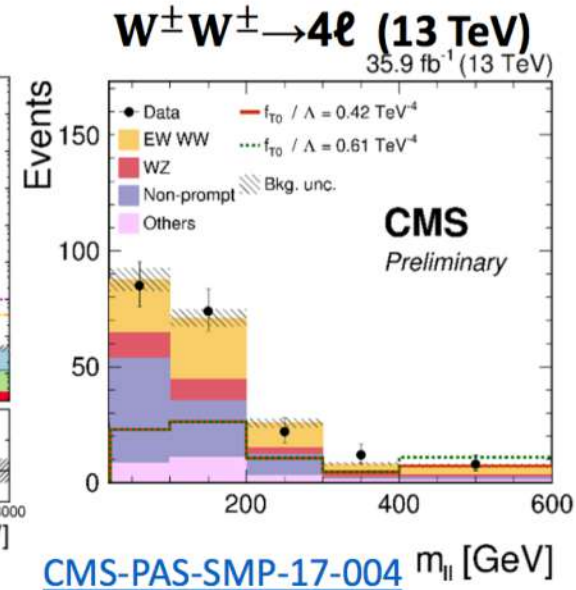
[arXiv:1705.01966](#)



[CMS-PAS-SMP-16-019](#)



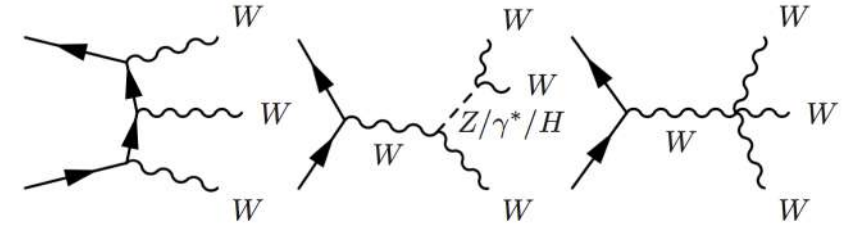
[ATLAS-CONF-2017-031](#)



[CMS-PAS-SMP-17-004](#)

Tribosons

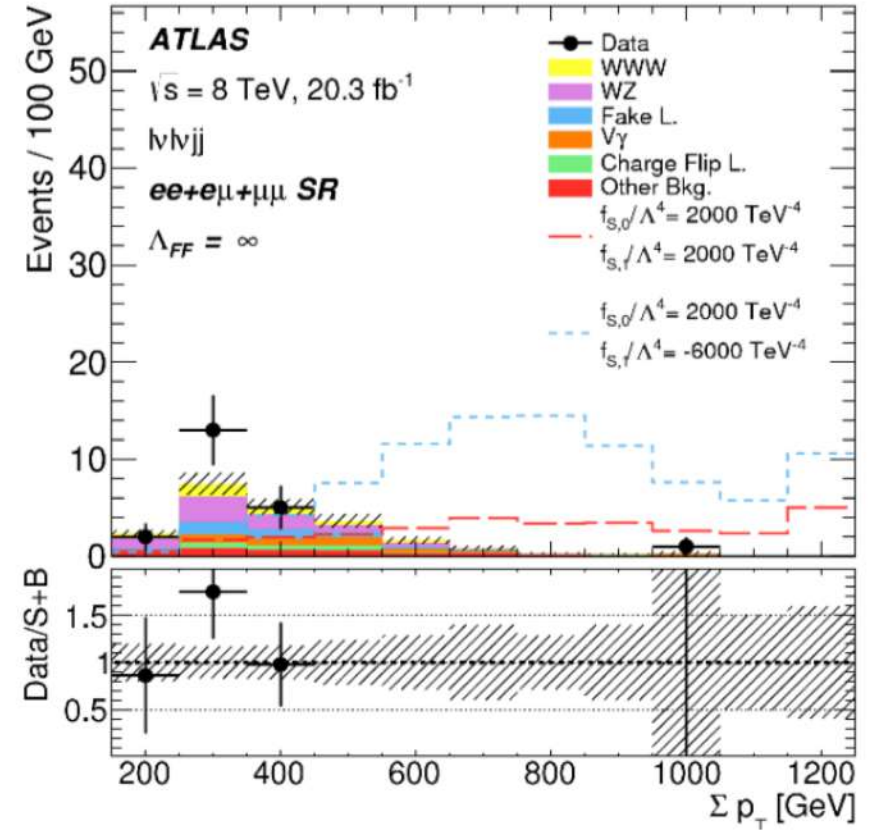
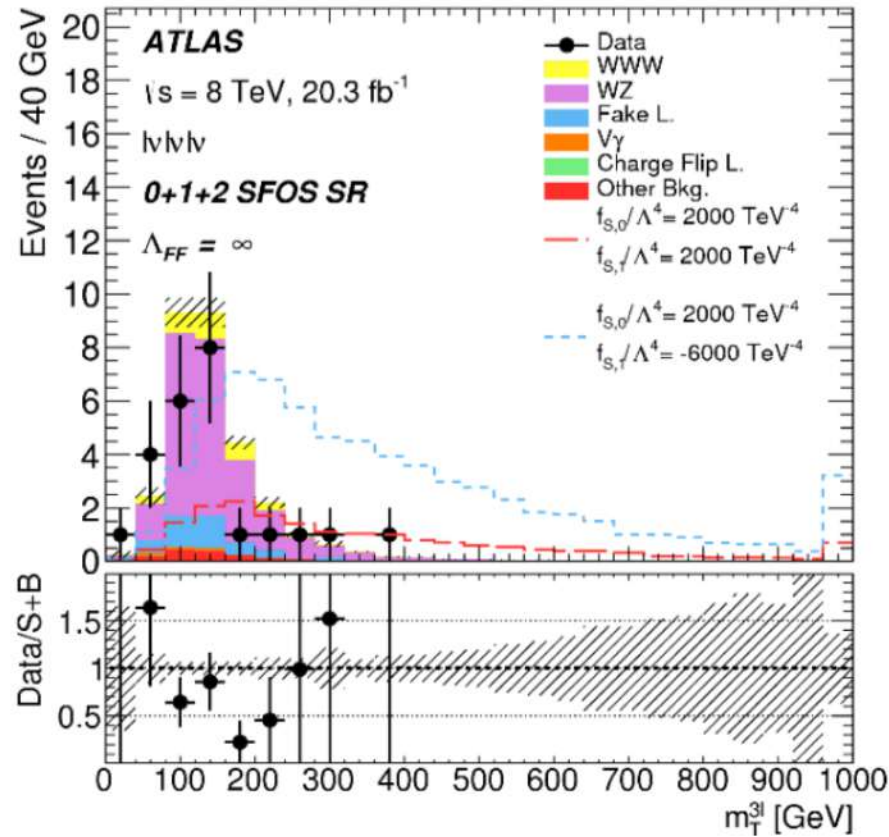
First study by ATLAS of $W^\pm W^\pm W^\mp$ to $l^\pm \nu + l^\pm \nu + l^\pm \nu$ and $l^\pm \nu + l^\pm \nu + jj$



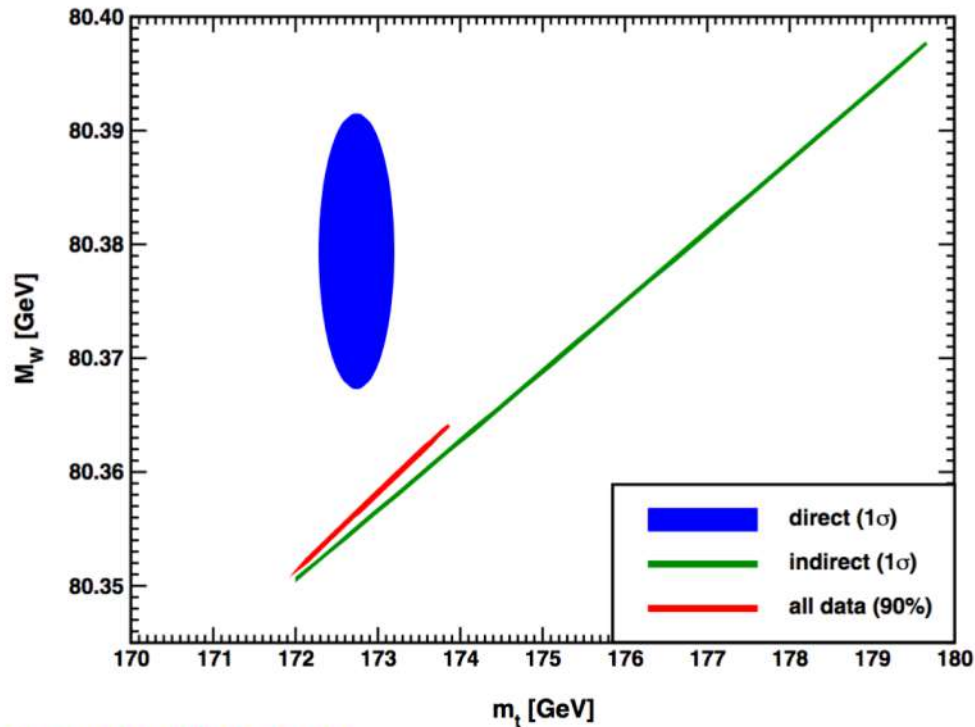
More statistics will come @13 TeV

Access to quartic anomalous couplings

EPJC (2017) 77: 141



Role of precision EWK measurements @ Hadron Colliders



Freitas & JE (PDG 2018)

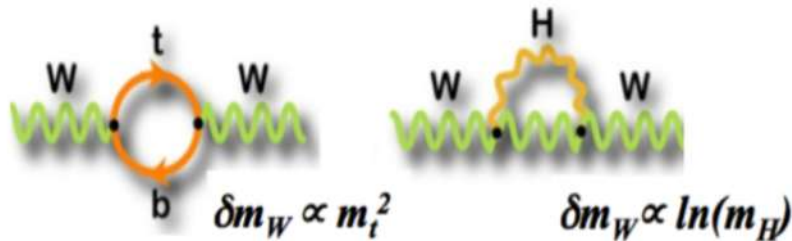
To provide precise measurements of fundamental parameters to tests the theory:

$\alpha_{em}, G_F, M_Z, M_W, \sin^2\theta_W, m_{top}, M_H$

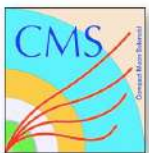
α_s

Why? To have access to potential *virtual new particles* that might not be directly accessible at the current center of mass energy... just as we did for the Higgs before the actual observation

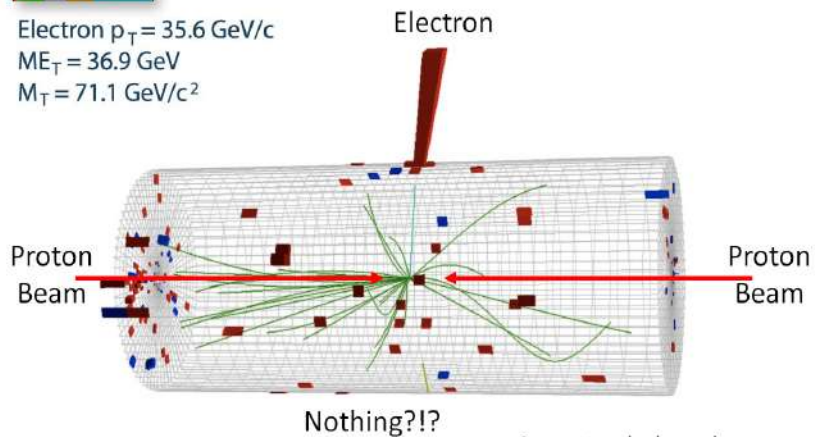
$$m_W = \frac{\pi\alpha}{\sqrt{2}G_F \sin^2\theta_W} \frac{1}{(1 + \delta m_W)}$$



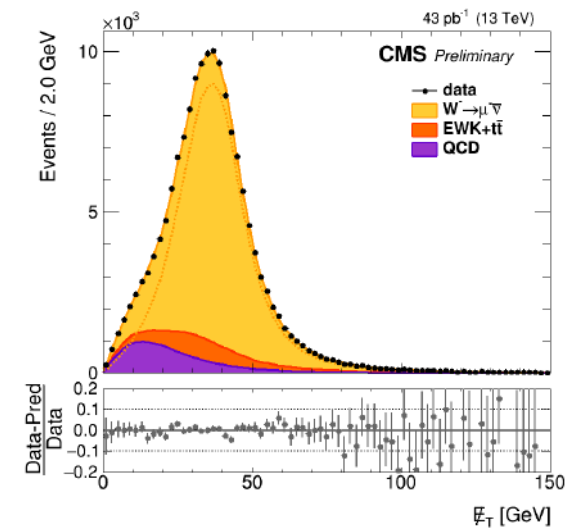
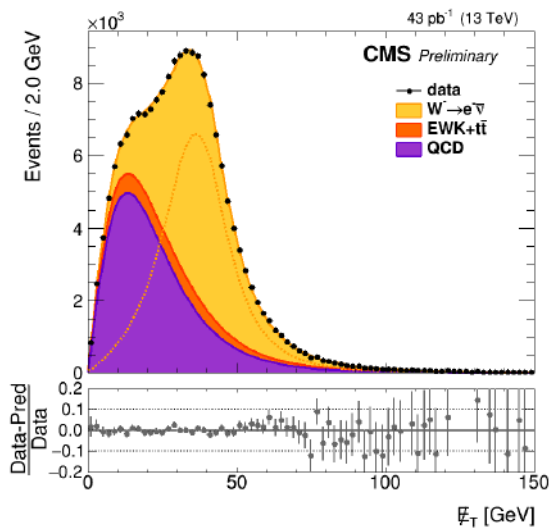
*Some tension already in data
... Better precision before we can
conclude if significant*



Electron $p_T = 35.6 \text{ GeV}/c$
 $ME_T = 36.9 \text{ GeV}$
 $M_T = 71.1 \text{ GeV}/c^2$



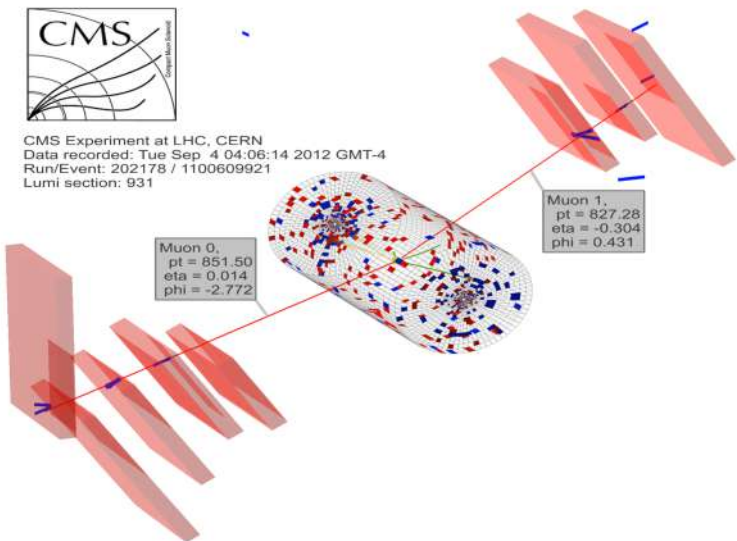
Green tracks have low transverse momentum



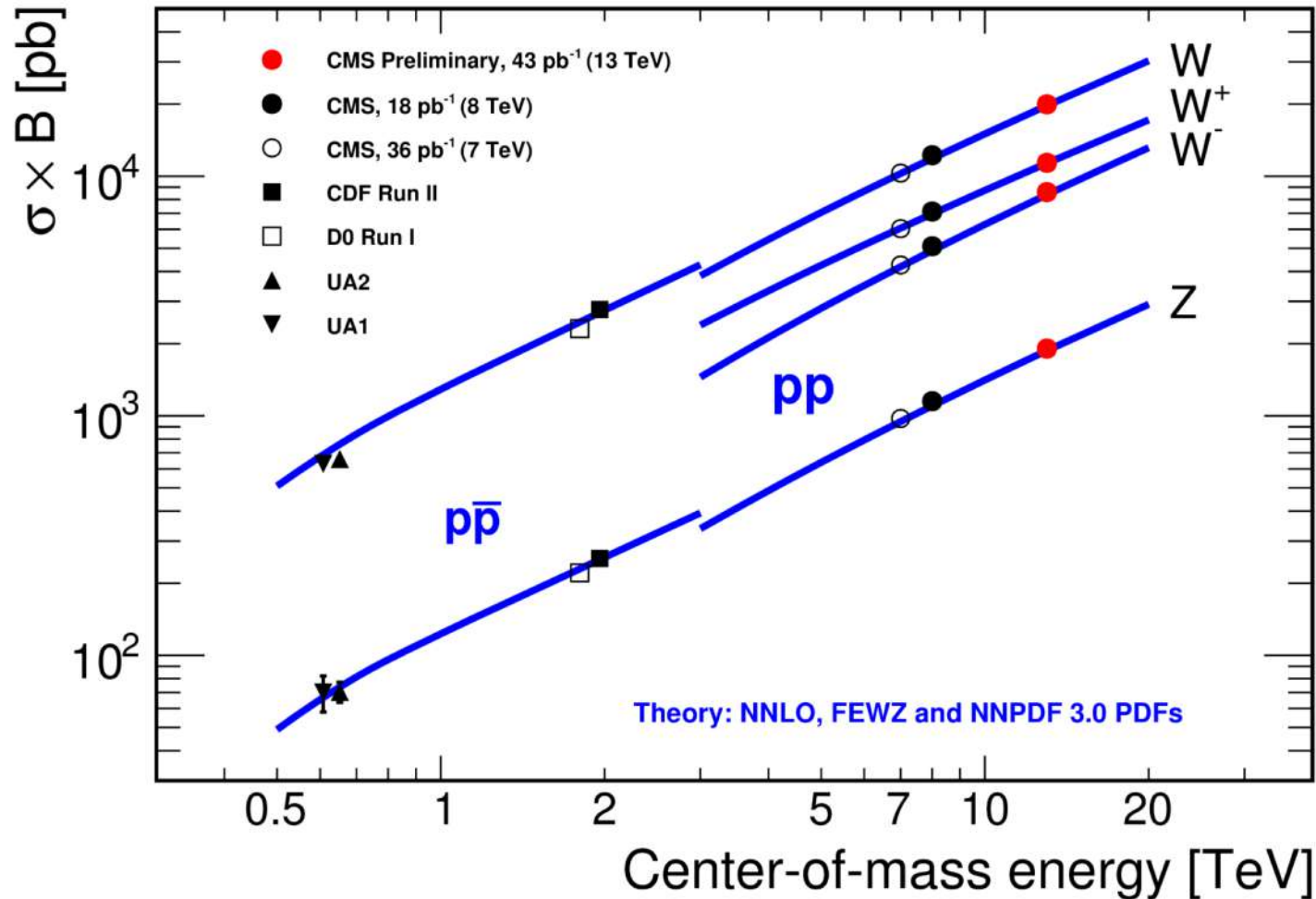
Precision measurements with W's and Z bosons



CMS Experiment at LHC, CERN
 Data recorded: Tue Sep 4 04:06:14 2012 GMT-4
 Run/Event: 202178 / 1100609921
 Lumi section: 931



W and Z Boson Production

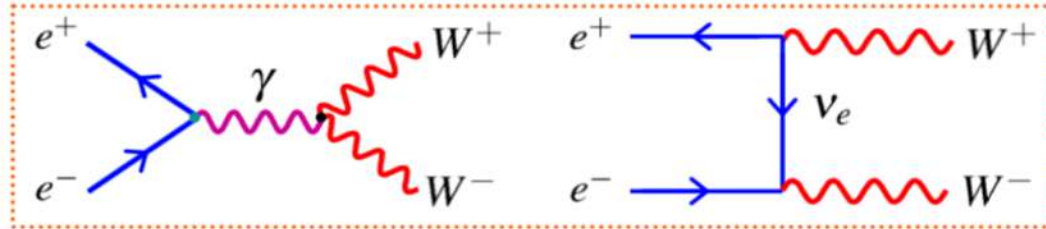


- Many detailed EWK studies possible – and done -- with the large Z,W samples

- Here we will focus on
 - $\sin^2\theta_W$
 - W-Mass
 - Lepton Universality

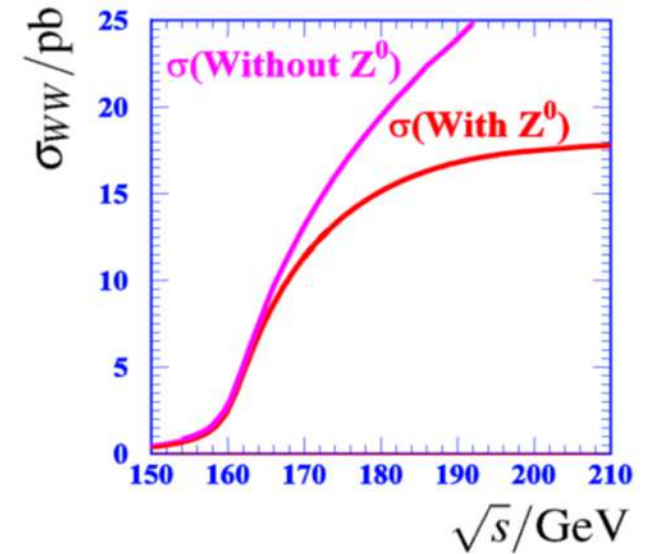
Before we proceed...
Some historical & theoretical background of the ElectroWeak model

- ★ The W^\pm bosons carry the EM charge - suggestive Weak and EM forces are related.
- ★ W bosons can be produced in e^+e^- annihilation

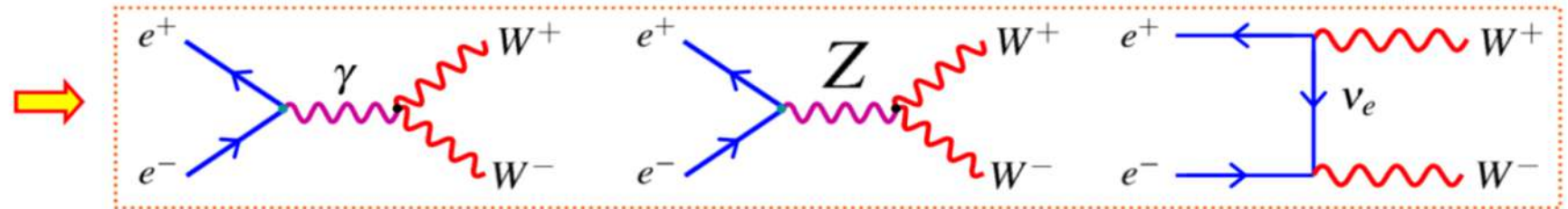


- ★ With just these two diagrams there is a problem: the cross section increases with C.o.M energy and at some point violates **QM unitarity**

UNITARITY VIOLATION: when QM calculation gives larger flux of W bosons than incoming flux of electrons/positrons



- ★ Problem can be “fixed” by introducing a new boson, the Z. The new diagram interferes negatively with the above two diagrams fixing the unitarity problem



$$|M_{\gamma WW} + M_{Z WW} + M_{\nu WW}|^2 < |M_{\gamma WW} + M_{\nu WW}|^2$$

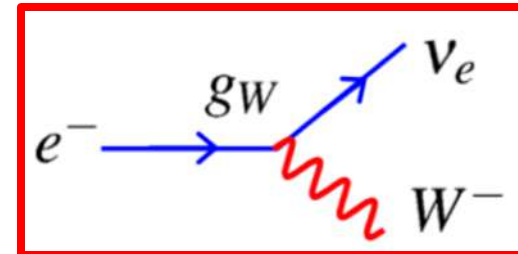
- ★ Only works if **Z, γ , W** couplings are related: need **ELECTROWEAK UNIFICATION**

SU(2)_L : The Weak Interaction – W boson



3 Gauge Bosons

$$W_1^\mu, W_2^\mu, W_3^\mu$$



- ★ Weak Interaction only couples to **LH particles/RH anti-particles**, hence only place **LH particles/RH anti-particles** in weak isospin doublets: $I_W = \frac{1}{2}$
RH particles/LH anti-particles placed in weak isospin singlets: $I_W = 0$

Weak Isospin

$$I_W = \frac{1}{2}$$

$$\begin{pmatrix} \nu_e \\ e^- \end{pmatrix}_L, \begin{pmatrix} \nu_\mu \\ \mu^- \end{pmatrix}_L, \begin{pmatrix} \nu_\tau \\ \tau^- \end{pmatrix}_L, \begin{pmatrix} u \\ d' \end{pmatrix}_L, \begin{pmatrix} c \\ s' \end{pmatrix}_L, \begin{pmatrix} t \\ b' \end{pmatrix}_L$$

$$I_W^3 = +\frac{1}{2}$$

$$I_W^3 = -\frac{1}{2}$$

$$I_W = 0$$

$$(\nu_e)_R, (e^-)_R, \dots (u)_R, (d)_R, \dots$$

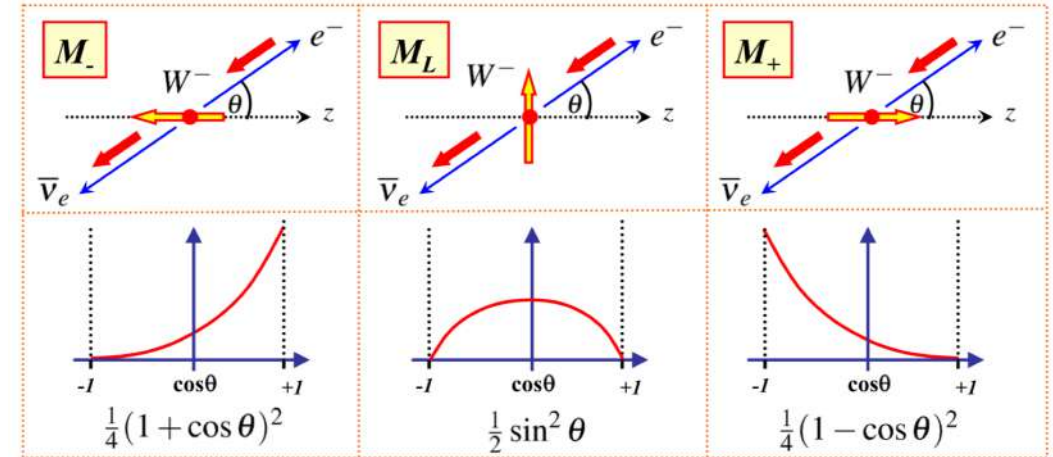
Note: RH/LH refer to chiral states

- ★ The charged current W^+/W^- interaction enters as a linear combinations of W_1, W_2

$$W^{\pm\mu} = \frac{1}{\sqrt{2}}(W_1^\mu \pm W_2^\mu)$$

W Spin-1 – 3 possible polarizations:
W helicity affects the kinematics
of the outgoing leptons

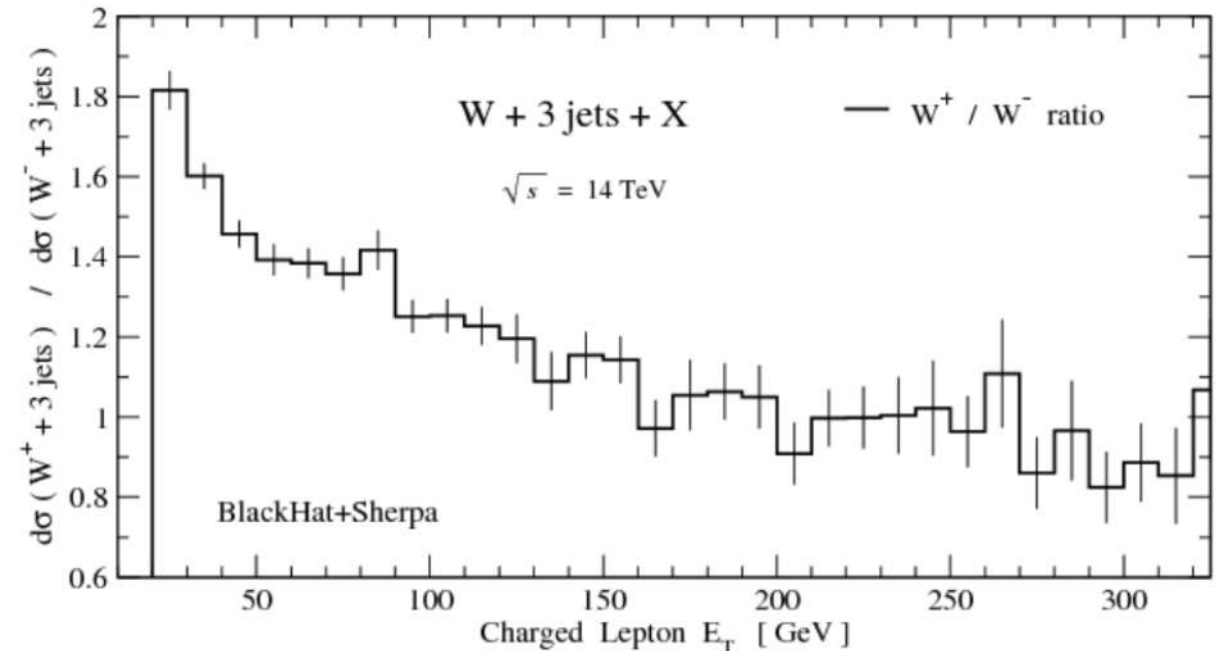
Both W+ and W- bosons produced with high pT at the LHC have a dominant left-handed polarization along their direction of flight



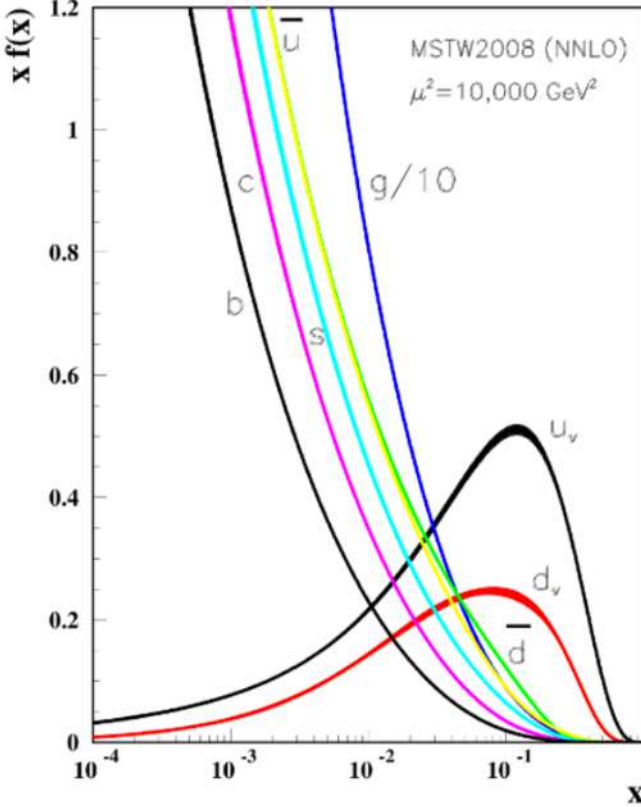
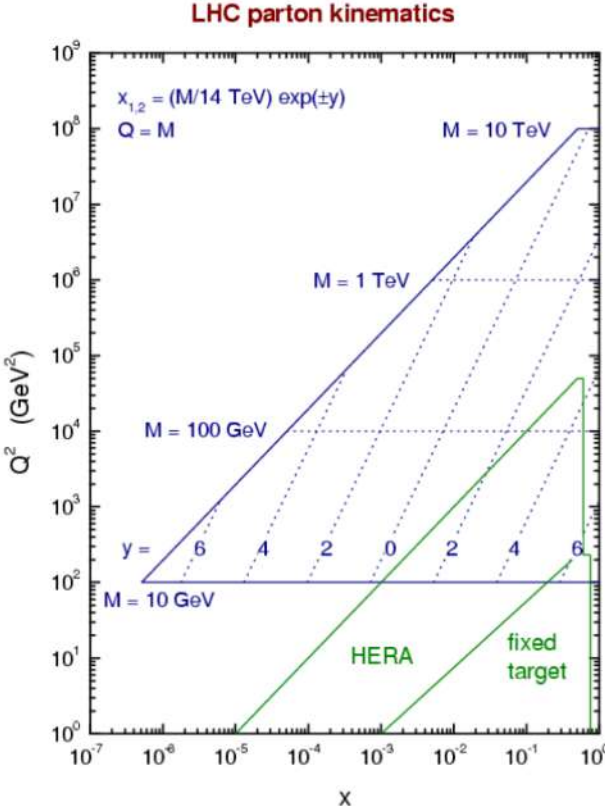
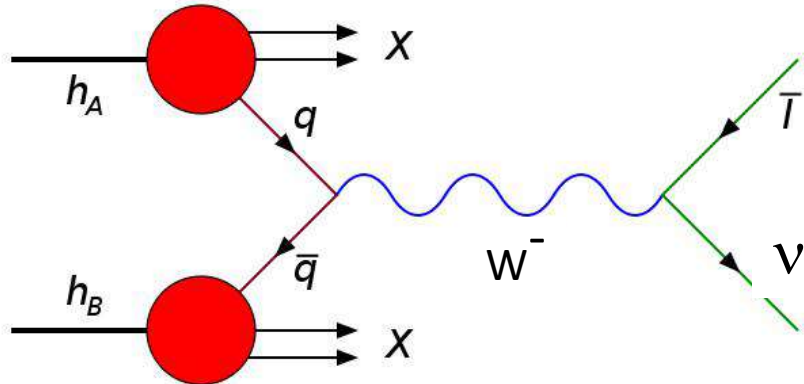
$$\frac{d\sigma_{l+}}{d\cos\theta^* d\phi^*} = f_L \frac{(1 - \cos\theta^*)^2}{4} + f_0 \frac{\sin^2\theta^*}{2} + f_R \frac{(1 + \cos\theta^*)^2}{4}$$

When left-handed W+ is produced in the transverse plane, its decay left-handed neutrino will be preferentially emitted along the flight direction

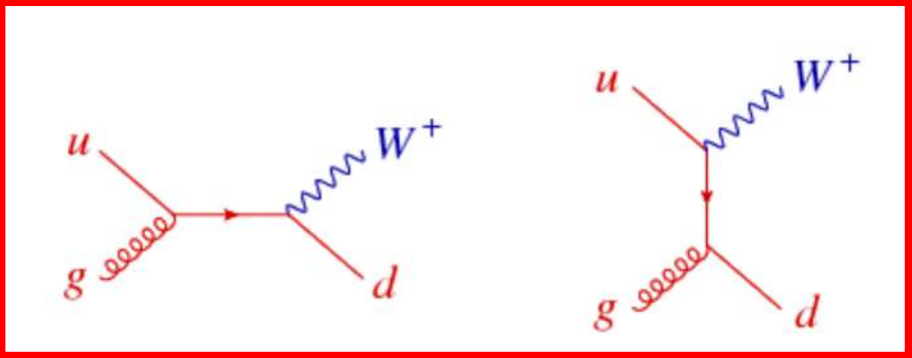
While for left-handed W-, the charged lepton will fly preferentially in the same direction of the W, and the right-handed anti-neutrino will choose the other direction.



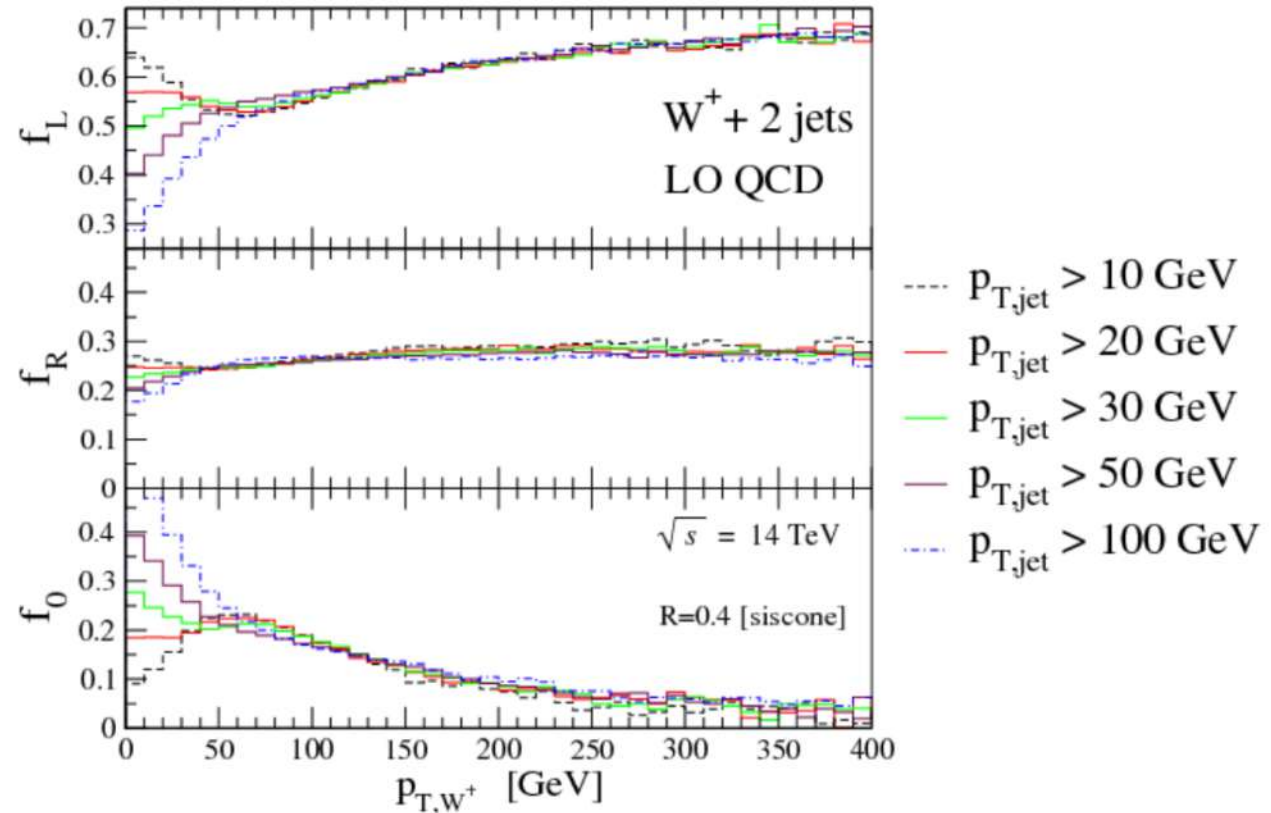
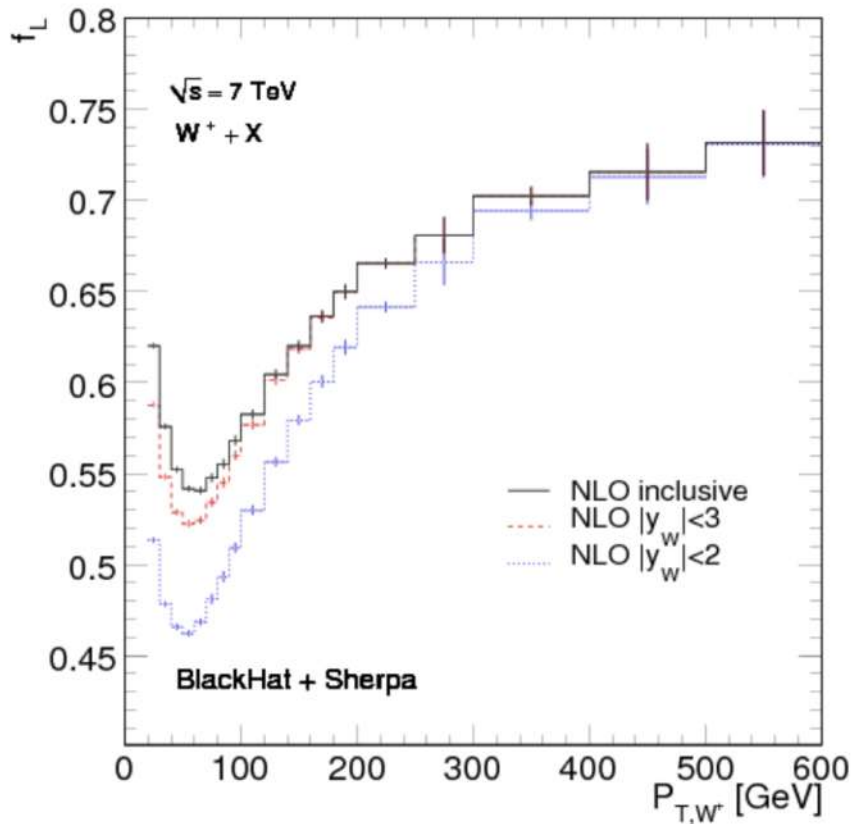
W helicity and best production mechanism of W with high momentum transfer



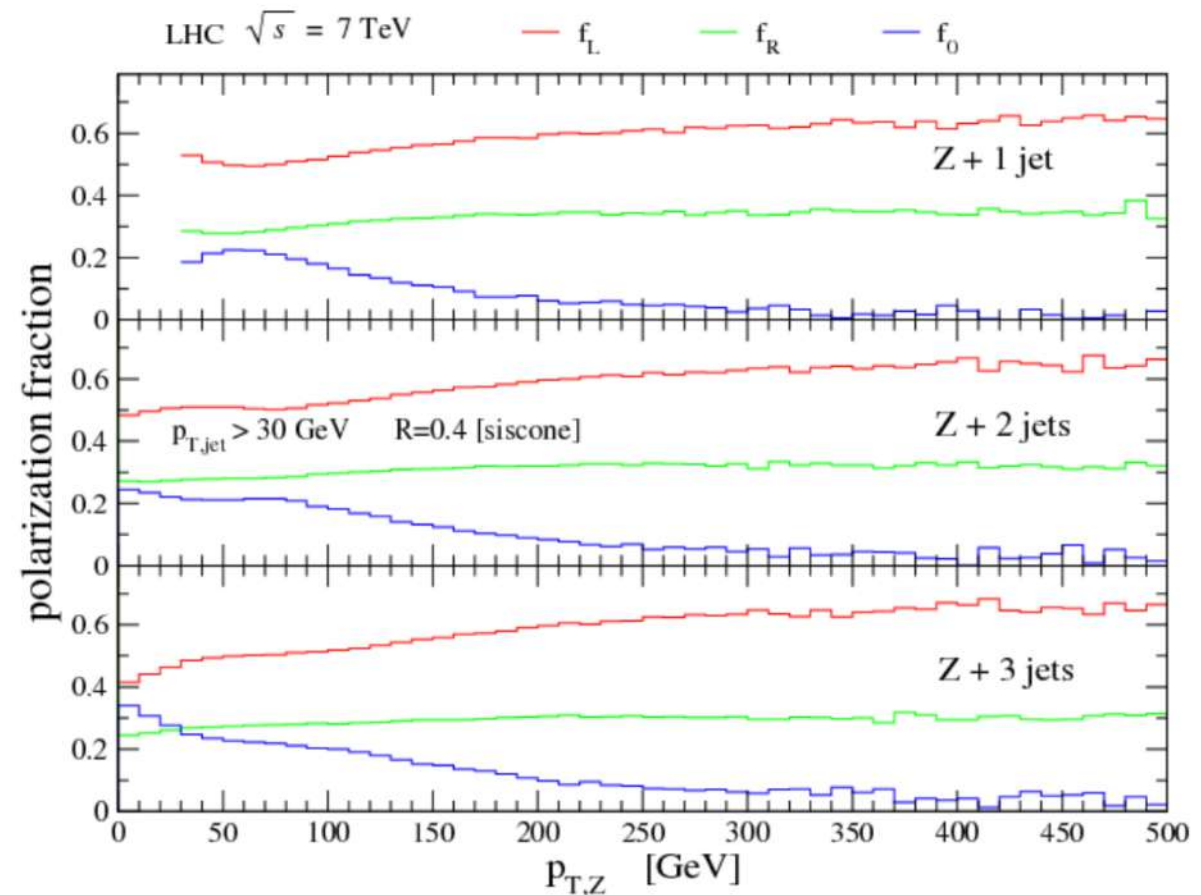
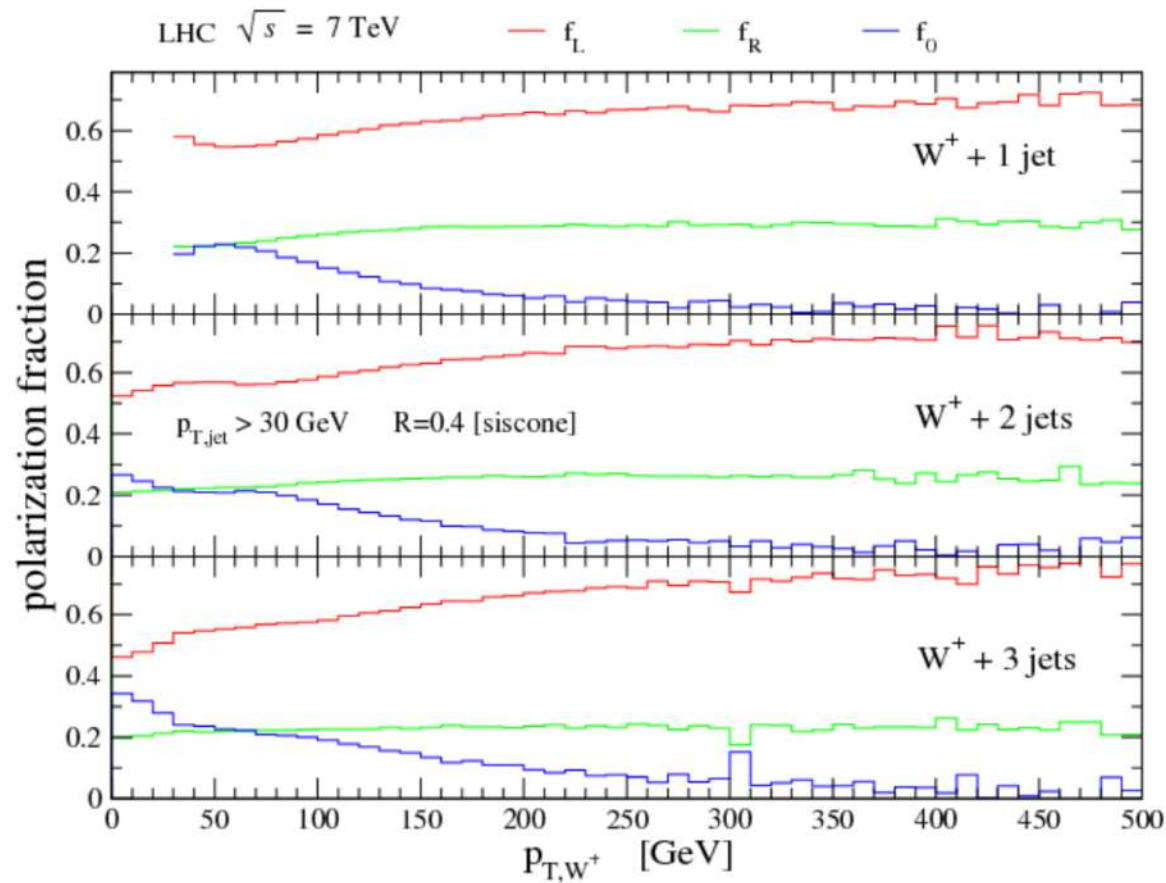
Dominates when starting from valence quarks



Polarization fraction depend not only on θ , ϕ , but also P_T and pseudorapidity y

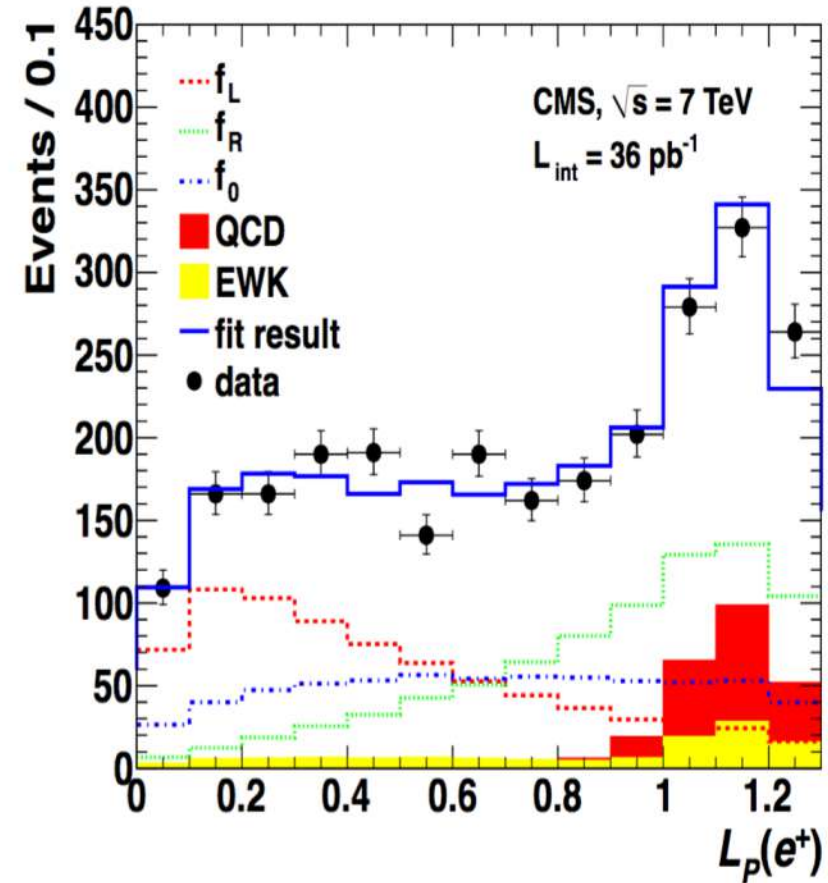
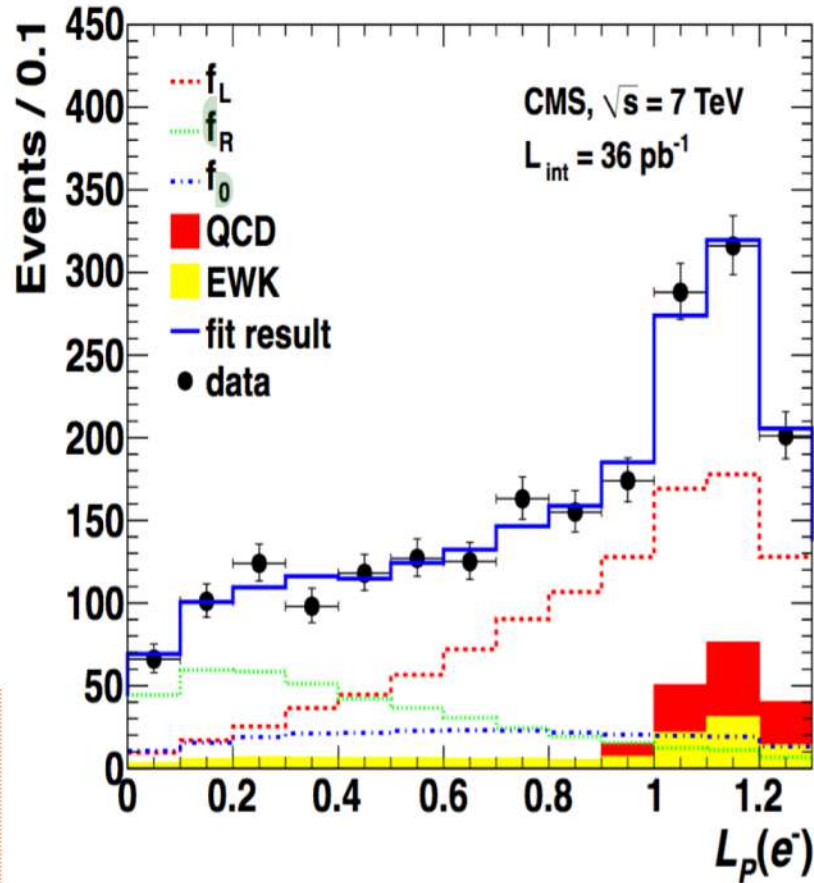
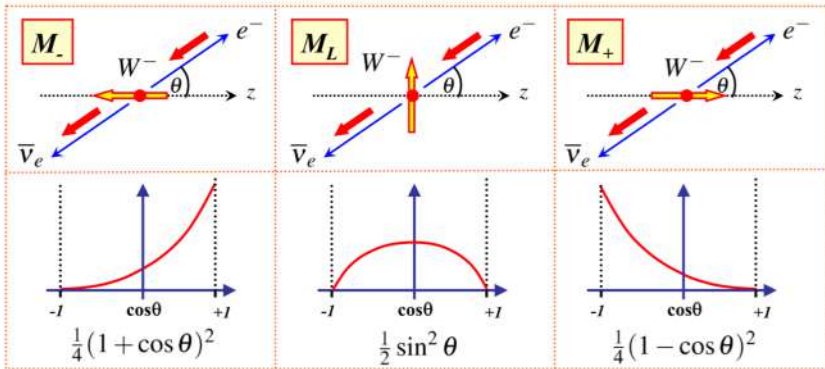


But independent of the number of jets for W
with high p_T



Aside: W helicity sensitive to the u & d fraction on the proton

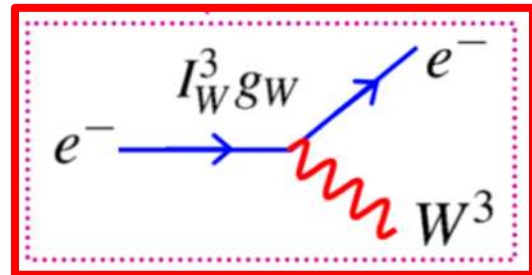
A priori, the values of the f_i parameters are not expected to be the same for both charges, since for partons which carry a large fraction of the proton's momentum, the ratio of valence u quarks to sea quarks is higher than that for valence d quarks



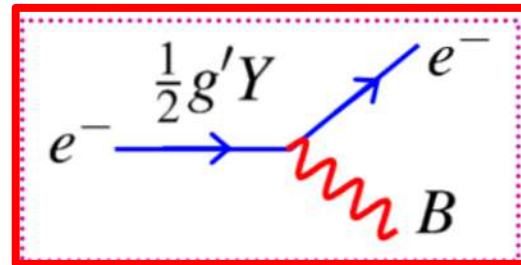
$$L_P = \frac{\vec{p}_T(\ell) \cdot \vec{p}_T(W)}{|\vec{p}_T(W)|^2}$$

Asymmetry
is created

SU(2)_L : The Weak Interaction – Z boson



+



$$Y = 2Q - 2I_W^3$$

Q is the EM charge of a particle
 I_W^3 is the third comp. of weak isospin

$$\sin^2 \theta_W \approx 0.23$$



The **physical** bosons (the Z and photon field, A) are:

$$A_\mu = B_\mu \cos \theta_W + W_\mu^3 \sin \theta_W$$

$$Z_\mu = -B_\mu \sin \theta_W + W_\mu^3 \cos \theta_W$$

θ_W is the weak mixing angle

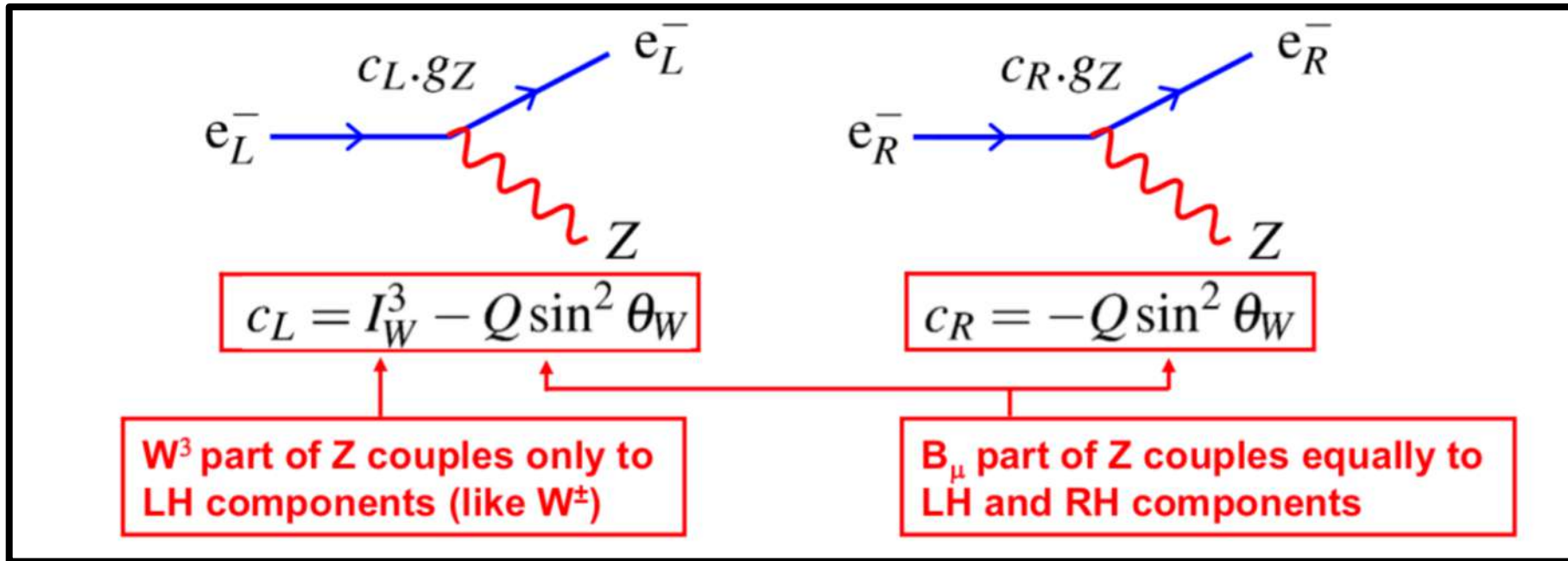
$$e = g_W \sin \theta_W = g' \cos \theta_W$$

(i.e. equate coefficients of L and R terms)

$$M_Z = \frac{M_W}{\cos \theta_W}$$

$$e = g_Z \cos \theta_W \sin \theta_W$$

i.e. $g_Z = \frac{g_W}{\cos \theta_W}$



★ Which in terms of **V** and **A** components gives:

with $c_V = c_L + c_R = I_W^3 - 2Q \sin^2 \theta_W$ $c_A = c_L - c_R = I_W^3$

★ Hence the vertex factor for the Z boson is:

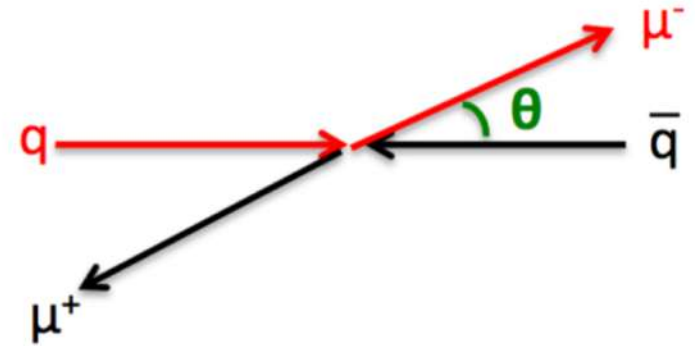
$-ig_Z \frac{1}{2} \gamma_\mu [c_V - c_A \gamma_5]$

NEUTRAL WEAK INTERACTIONS		
Neutral vector and axial vector coupling in GWS model :		
<i>f</i>	<i>c_V</i>	<i>c_A</i>
<i>v_e, v_μ, v_τ</i>	$\frac{1}{2}$	$\frac{1}{2}$
<i>e⁻, μ⁻, τ⁻</i>	$-\frac{1}{2} + 2 \sin^2 \theta_w$	$-\frac{1}{2}$
<i>u, c, t</i>	$\frac{1}{2} - \frac{4}{3} \sin^2 \theta_w$	$\frac{1}{2}$
<i>d, s, b</i>	$-\frac{1}{2} + \frac{2}{3} \sin^2 \theta_w$	$-\frac{1}{2}$

Presence of vector and axial-vector couplings (and weak mixing angle) introduces a forward-backward asymmetry. This is a **parton-level phenomenon** that we measure at **proton-level**.

$$A_{FB} = \frac{N(\cos \theta^* > 0) - N(\cos \theta^* < 0)}{N(\cos \theta^* > 0) + N(\cos \theta^* < 0)}$$

$$\frac{d\sigma}{d \cos \theta^*} \propto \frac{3}{8} A(1 + \cos^2 \theta^*) + B \cos \theta^*$$

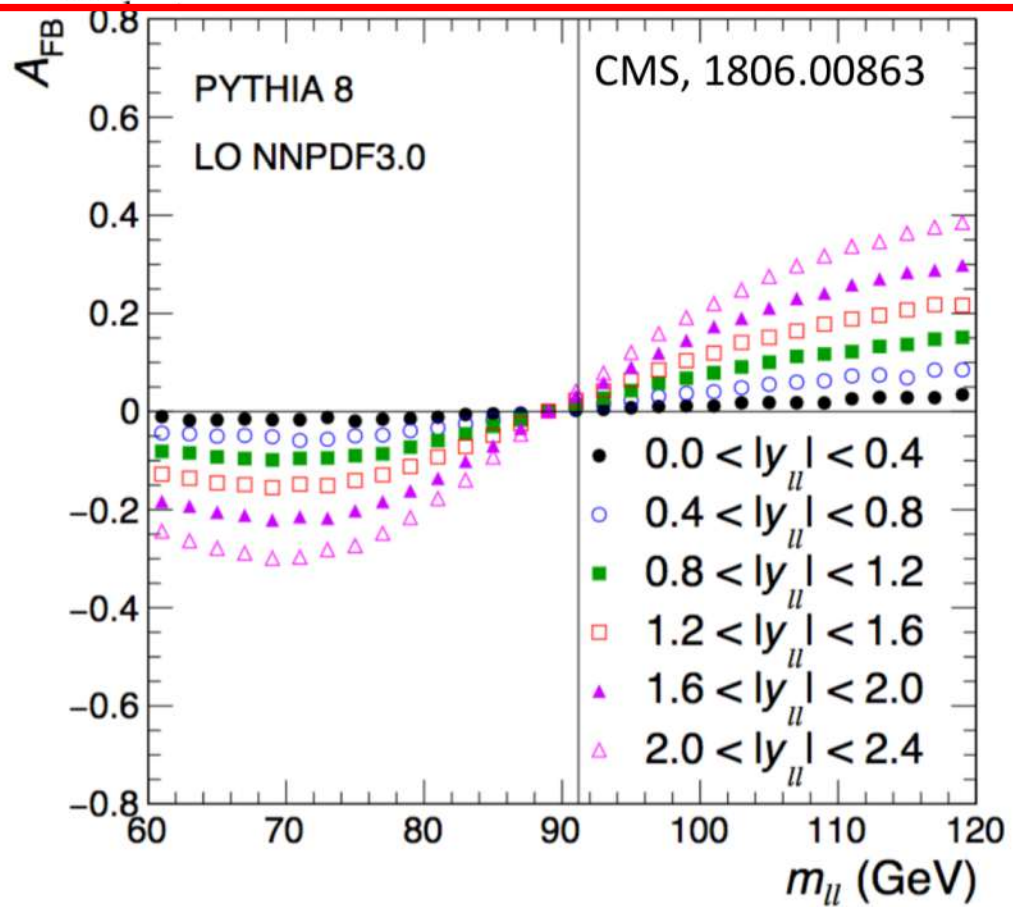


$$\cos \theta^* = \frac{2(P_1^+ P_2^- - P_1^- P_2^+)}{\sqrt{m_{\ell\ell}^2(m_{\ell\ell}^2 + p_{T,\ell\ell}^2)}} \times \frac{p_{z,\ell\ell}}{|p_{z,\ell\ell}|}$$

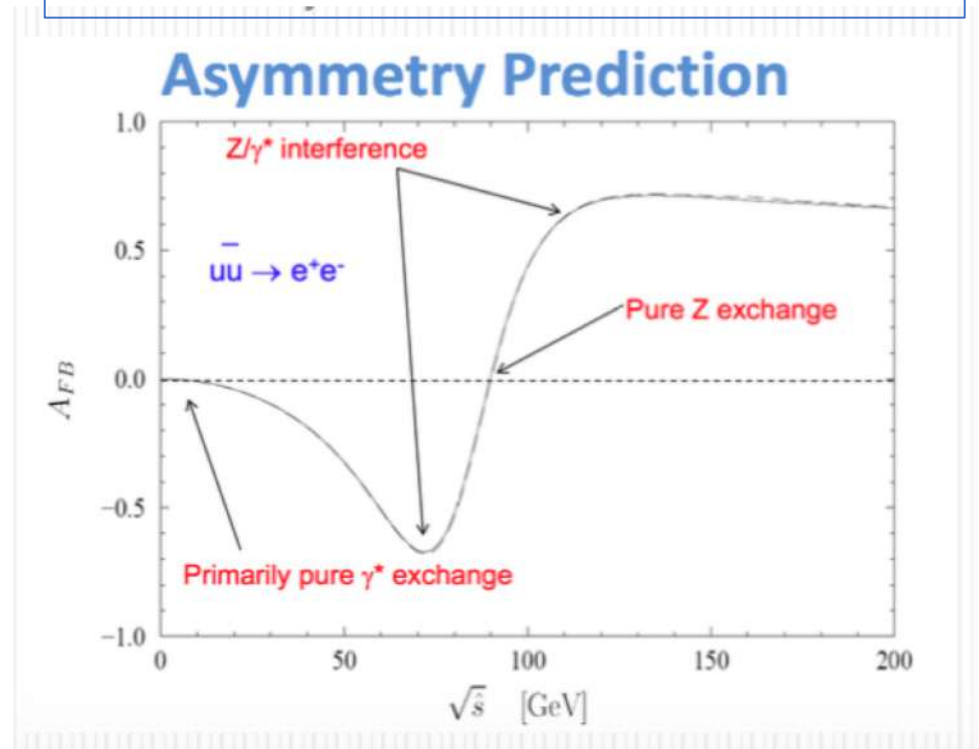
$$P_i^\pm = \frac{1}{\sqrt{2}}(E_i \pm p_{z,i})$$

How to measure $\sin^2 \theta_W$ at the LHC using
 $pp \rightarrow Z$?

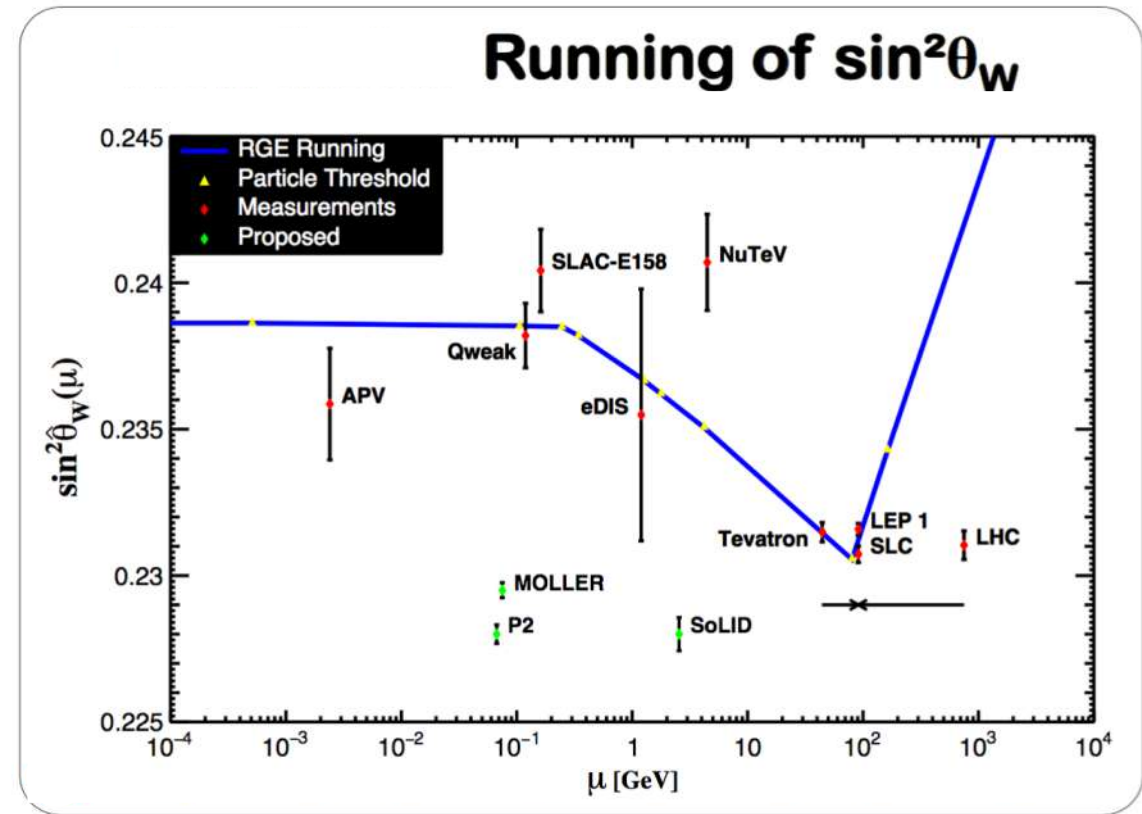
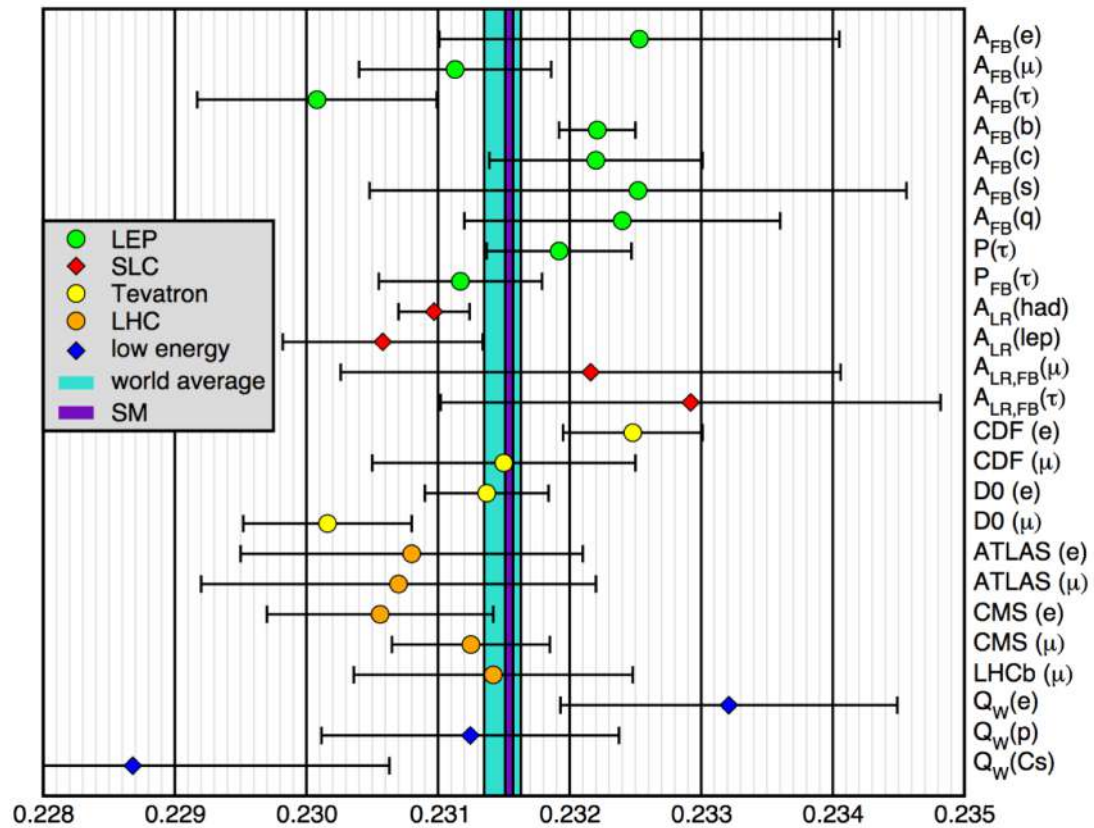
$$\sin^2 \theta_{\text{eff}}^{\text{lept}} = 0.23101 \pm 0.00036(\text{stat}) \pm 0.00018(\text{syst}) \pm 0.00016(\text{theory}) \pm 0.00030(\text{pdf})$$



Quantum Mechanical Effects



Interplay between γ & Z^0 and the Vector and Axial-Vector nature of the Z^0



WORLD AVERAGE: Including LHC Results based on FB asymmetries in Z-decays

Motivation for precise measurement of the W-mass

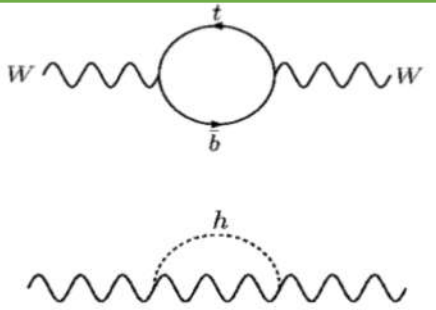
- SM at LO the W boson mass depends on parameters known with high precision:

$$\sin^2 \theta_W = 1 - m_W^2 / m_Z^2$$

- Beyond LO : corrections depending on m_H and m_{top}

$$m_W = \frac{\pi\alpha}{\sqrt{2}G_F \sin^2 \theta_W} \frac{1}{(1 + \Delta r)}$$

$$\Delta r_{\text{top}} \approx -\frac{3G_F m_t^2}{8\sqrt{2}\pi^2 \tan^2 \theta_W} \propto m_t^2$$

$$\Delta r_{\text{Higgs}} \approx \frac{11G_F M_Z^2 \cos^2 \theta_W}{24\sqrt{2}\pi^2} \ln \frac{m_h^2}{M_Z^2} \propto \ln(m_h)$$


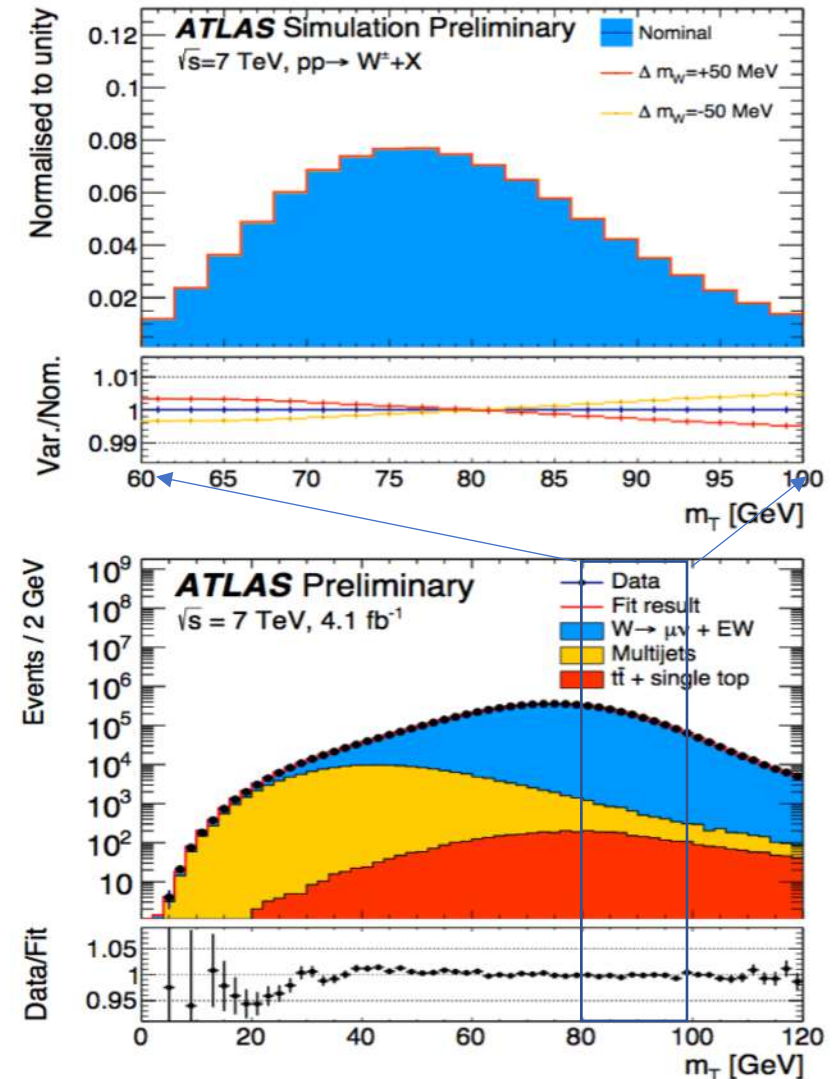
- Test of SM: compare measured m_W to prediction from SM EWK fit
- SM fit without m_W : $m_W = 80354 \pm 7 \text{ MeV}$ (arXiv:1803.01853)
- Previous combined measurements :
 - LEP $m_W = 80376 \pm 33 \text{ MeV}$
 - Tevatron $m_W = 80387 \pm 16 \text{ MeV}$

W-Mass Determination

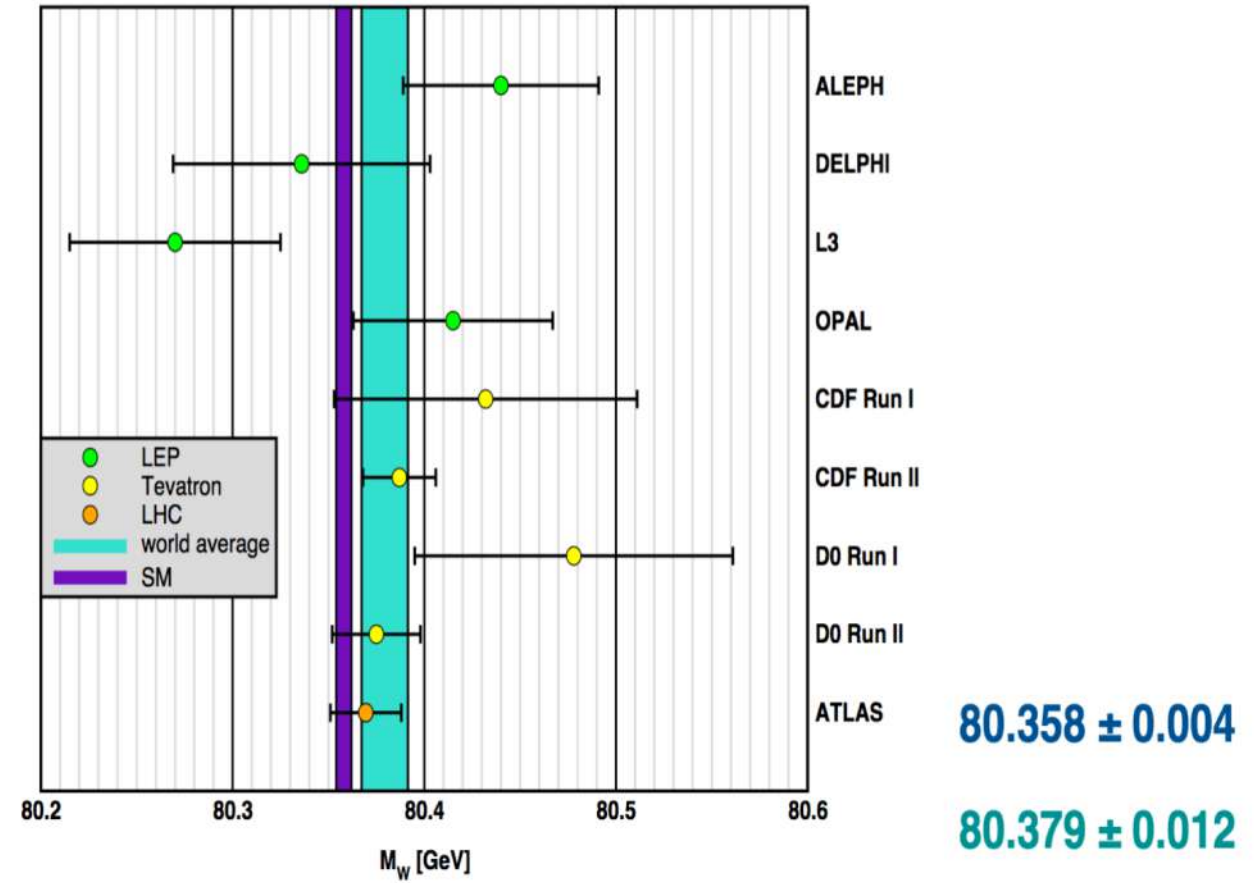
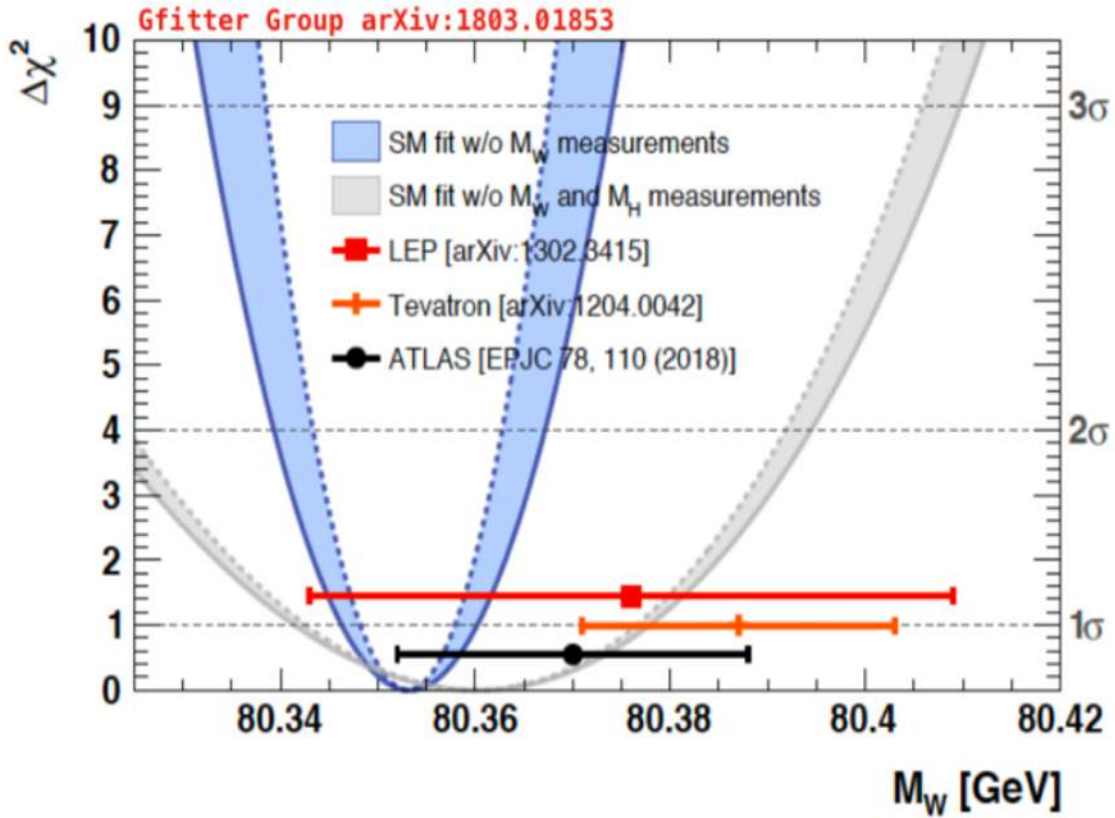
$$m_W = 80370 \pm 7 \text{ (stat.)} \pm 11 \text{ (exp. syst.)} \pm 14 \text{ (mod. syst.) MeV}$$
$$= 80370 \pm 19 \text{ MeV,}$$

- Measurement based on 7 TeV data (4.6 fb^{-1}). It takes time to get the systematic uncertainties under control for precision!!
- Included $\sim 14 \cdot 10^6$ W leptonically decaying W candidates
- Technique uses template fits to the W- p_T and m_T predictions

Calibration of energy scale, recoil response and efficiency studies using the large Z sample. Modelling of helicity effects constrained by W and Z data.

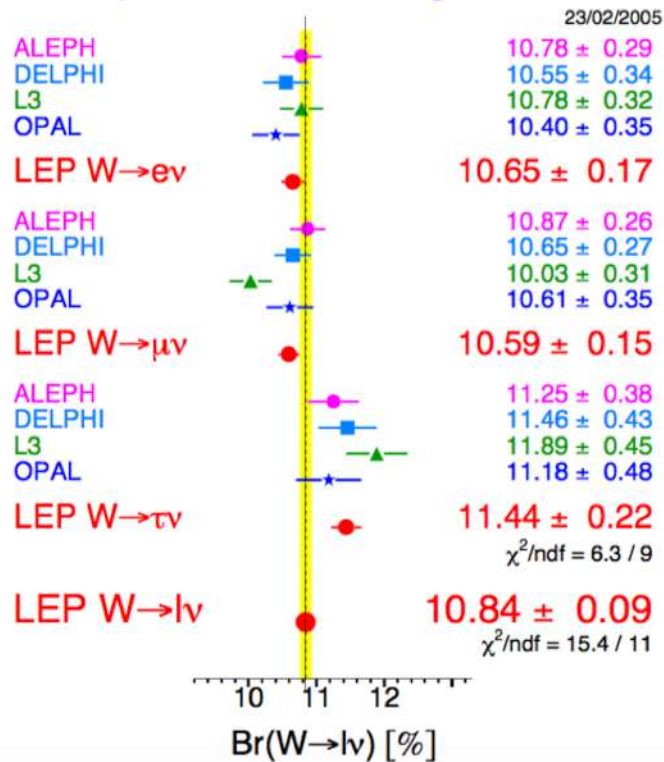


- Good agreement with predicted m_W from SM EWK fit.



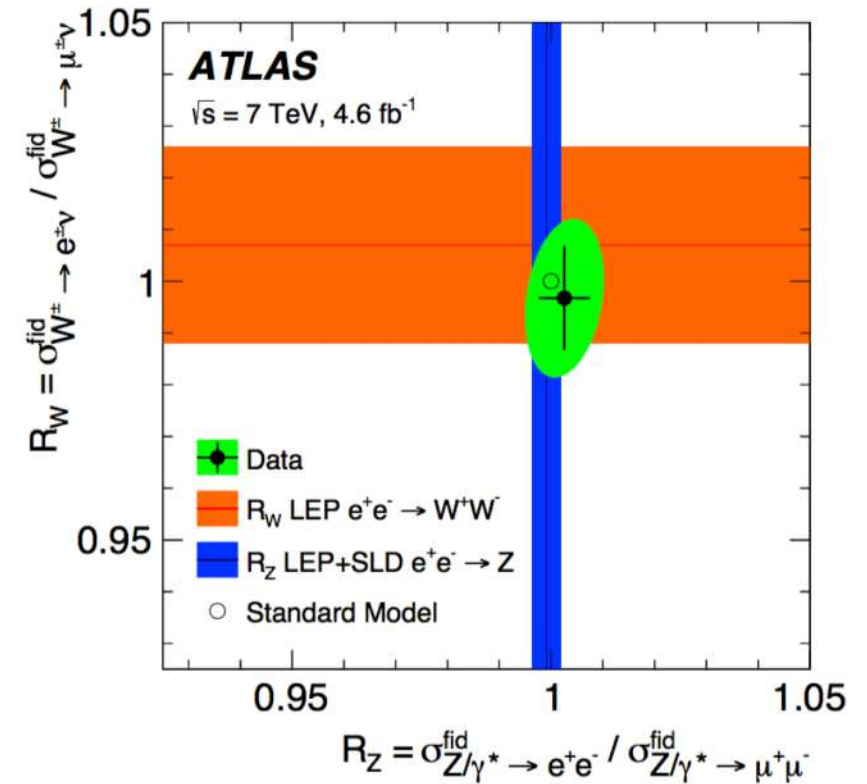
W Mass Measurement

W Leptonic Branching Ratios



No change
Since 2005...

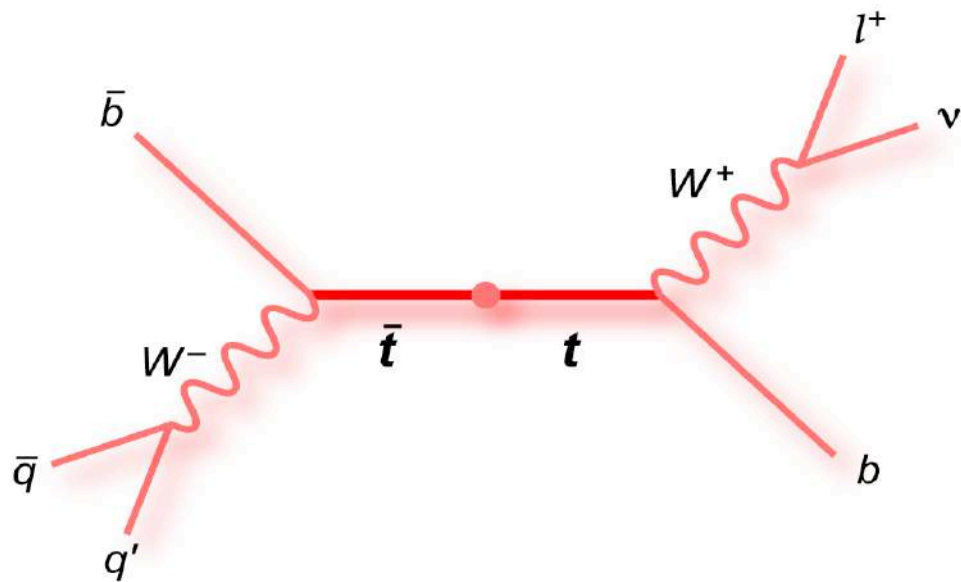
τ BR $\sim 2.7 \sigma$
larger than e/μ



Lepton Universality in W-decays

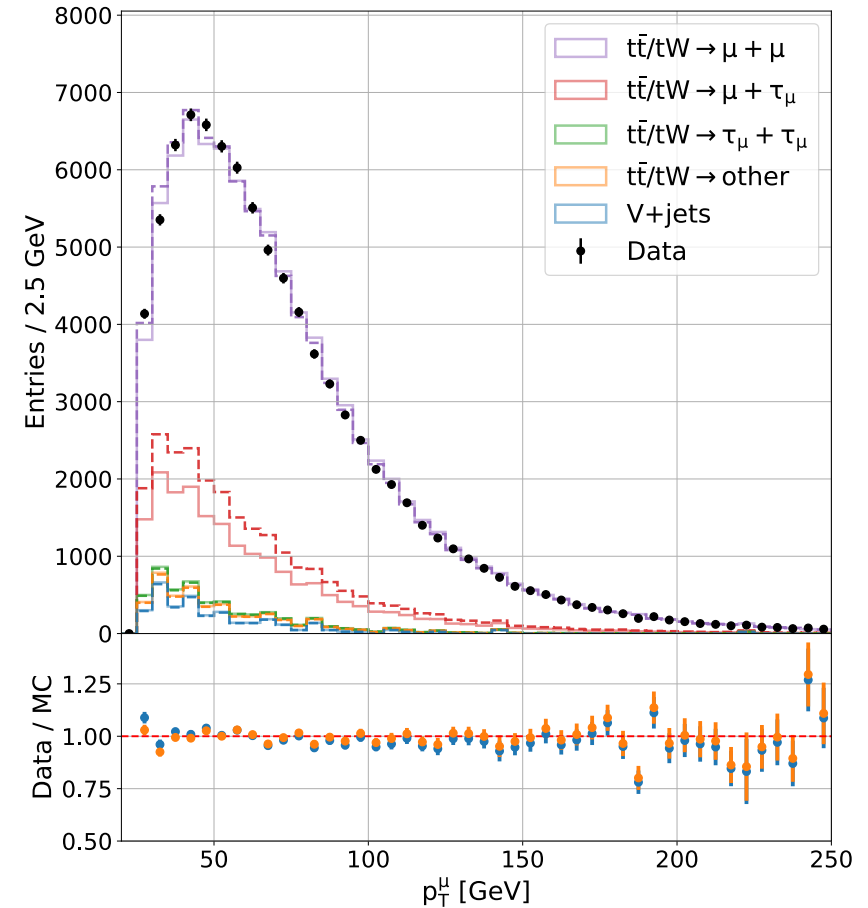
If anomalies in b-meson decays into τ 's ($D^* \tau \nu$) persists, it becomes more important to revise our assumptions on Lepton Universality

Possible because
 $t\bar{t}$ and tW are
 a great source of W^\pm



Becoming harder to maintain low energy thresholds for single lepton triggers level @ the LHC

→ Future requires new trigger schemes



More tomorrow...

Backup

