

Lecture 6 – The particle ZOO

Wave description of particles → interference

*All components of the wave function must be the same
amplitudes may be different*

True for force carriers also: $Z - \gamma$

Many (several hundred) “resonance states” observed

π^+ , π^- , π^0 , K^+ , K^- , K^0 , $K^(890)$, $K^*(1420)$, N^* , Λ^0 , Σ^+ , Σ^- , Ξ*

*-> Gell-Mann + Zweig proposed Quark Model: all elementary
particles are made from smaller constituents called quarks*

*Until 1975 - All of the strongly interacting particles are composites of
3 quarks : up, down, strange*

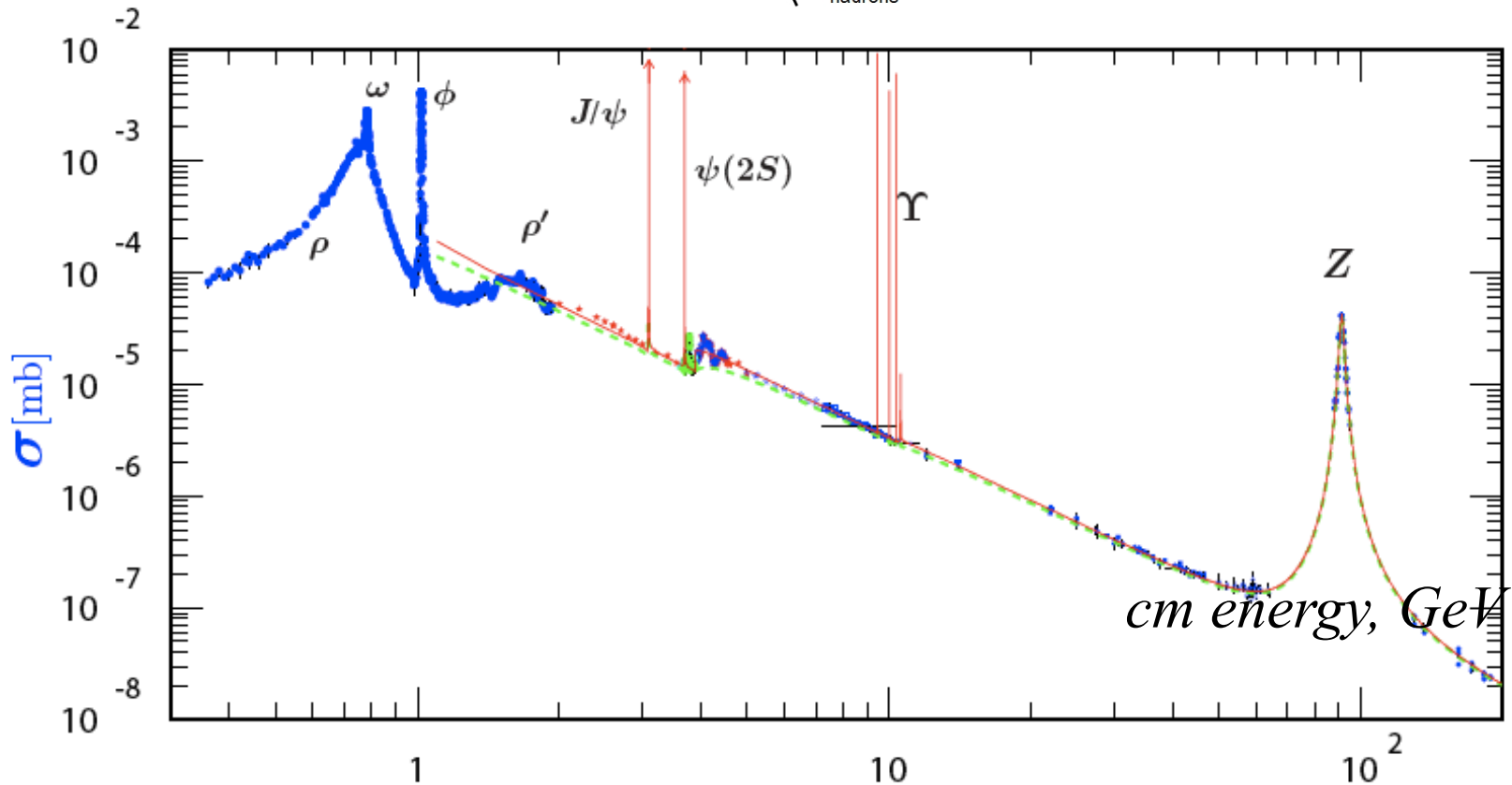
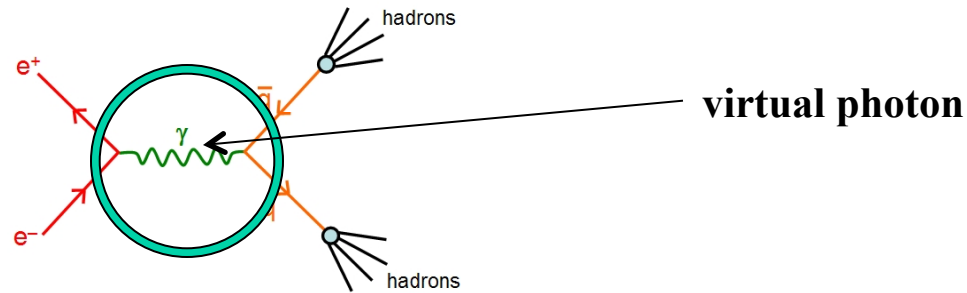
After 1975 – expanded to six quarks generically called flavors:

u – up, d – down, s – strange, c – charm, b – bottom, t -top

baryons: proton, neutron, are made out of 3 quarks

mesons: π , K , ρ , ψ are made out of quark – antiquark pairs

cross-section for e^+e^- annihilation into hadrons



σ and R in e^+e^- Collisions

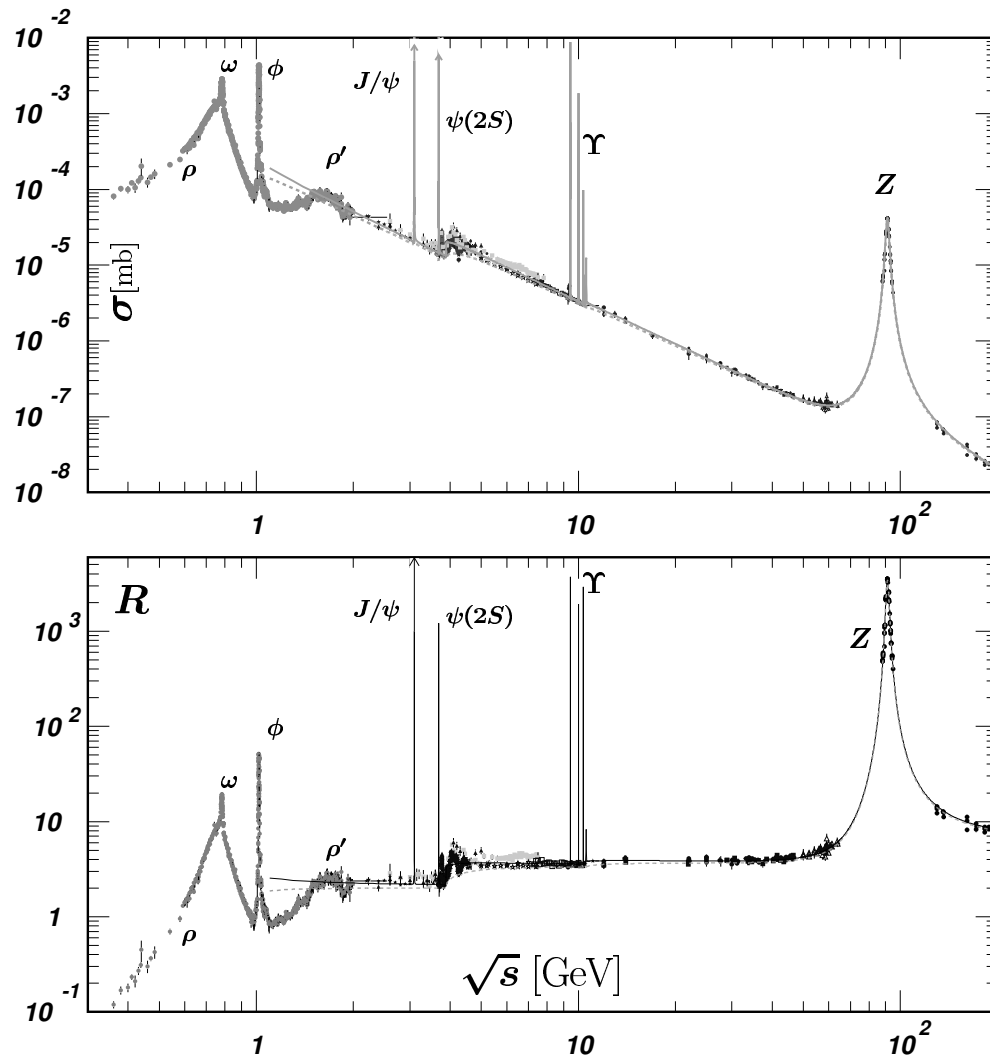
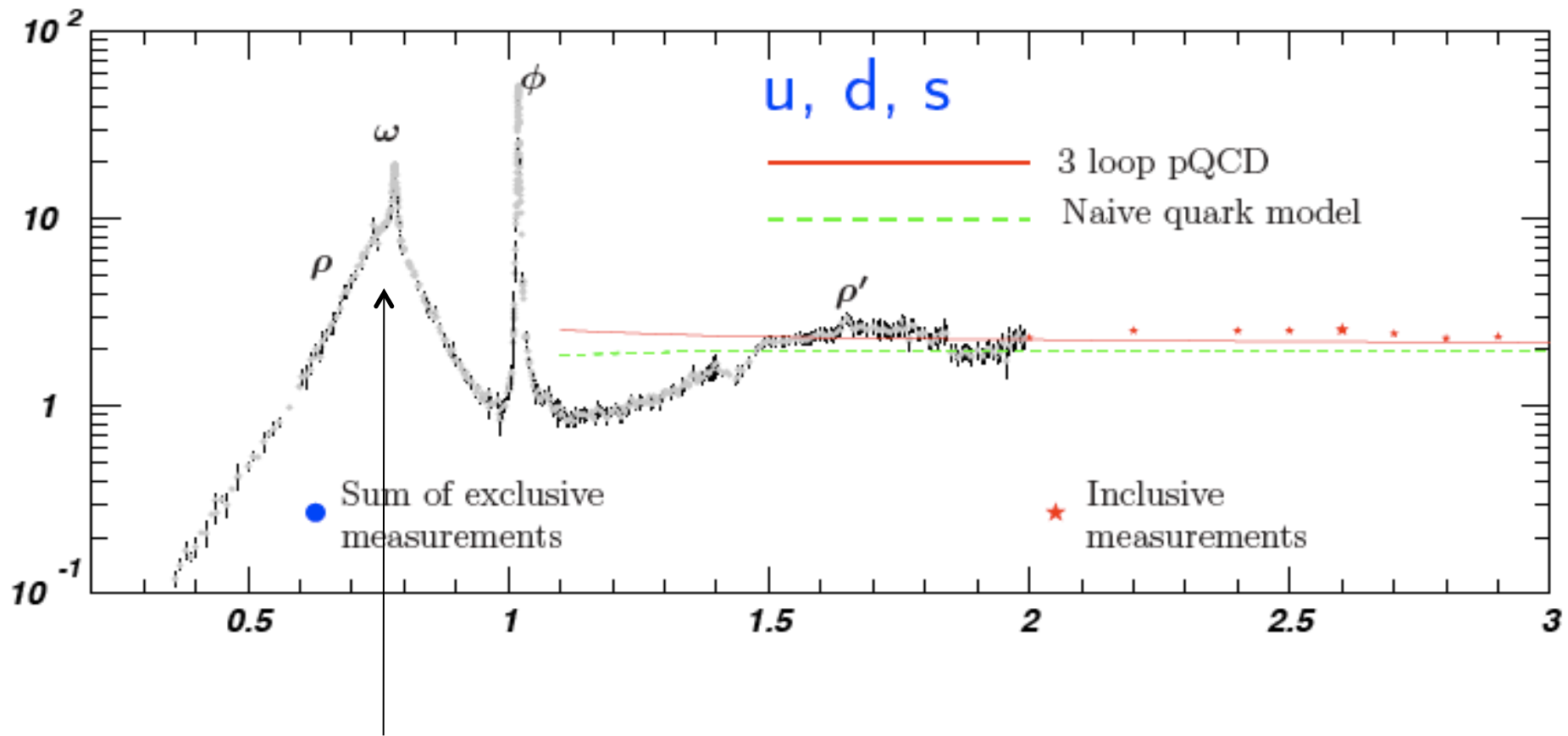


Figure 40.6: World data on the total cross section of $e^+e^- \rightarrow \text{hadrons}$ and the ratio $R(s) = \sigma(e^+e^- \rightarrow \text{hadrons}, s) / \sigma(e^+e^- \rightarrow \mu^+\mu^-, s)$. $\sigma(e^+e^- \rightarrow \text{hadrons}, s)$ is the experimental cross section corrected for initial state radiation and electron-positron vertex loops, $\sigma(e^+e^- \rightarrow \mu^+\mu^-, s) = 4\pi\alpha^2(s)/3s$. Data errors are total below 2 GeV and statistical above 2 GeV. The curves are an educative guide: the broken one is a naive quark-parton model prediction and the solid one is 3-loop pQCD prediction (see “Quantum chromodynamics” section of this Review, Eq. (9.12) or, for more details, K. G. Chetyrkin *et al.*, Nucl. Phys. B **586** (2000) 56 (Erratum *ibid.* B **634** (2002) 413). Breit-Wigner parameterizations of J/ψ , $\psi(2S)$, and $\Upsilon(nS)$, $n = 1, 2, 3, 4$ are also shown. The full list of references to the original data and the details of the R ratio extraction from them can be found in hep-ph/0312114. Corresponding computer-readable data files are available at <http://pdg.ihp.su/xsect/contents.html>. (Courtesy of the COMPAS(Protvino) and HEPDATA(Durham) Groups, August 2005. Corrections by P. Janot (CERN) and M. Schmitt (Northwestern U.)



$\rho - \omega$ interference

***Antiparticle** – a particle with the same mass but opposite charge or magnetic property*

Observations:

- *gamma conversion – creation of electron + positron pair*
- *antiproton observed as secondary negative particle with mass equal to that of a proton, can be produced in p-p collisions*
- *π mesons of opposite charges produced in collisions*
- *resonance states of opposite charge observed in scattering and collisions resulting in multi-particle production*

Problem with neutral particles:

No opposite charge - eg, π^0 , η

Explanation given by the Quark Model:

-> These particles are also their own antiparticles

Antiproton discovery (1955)

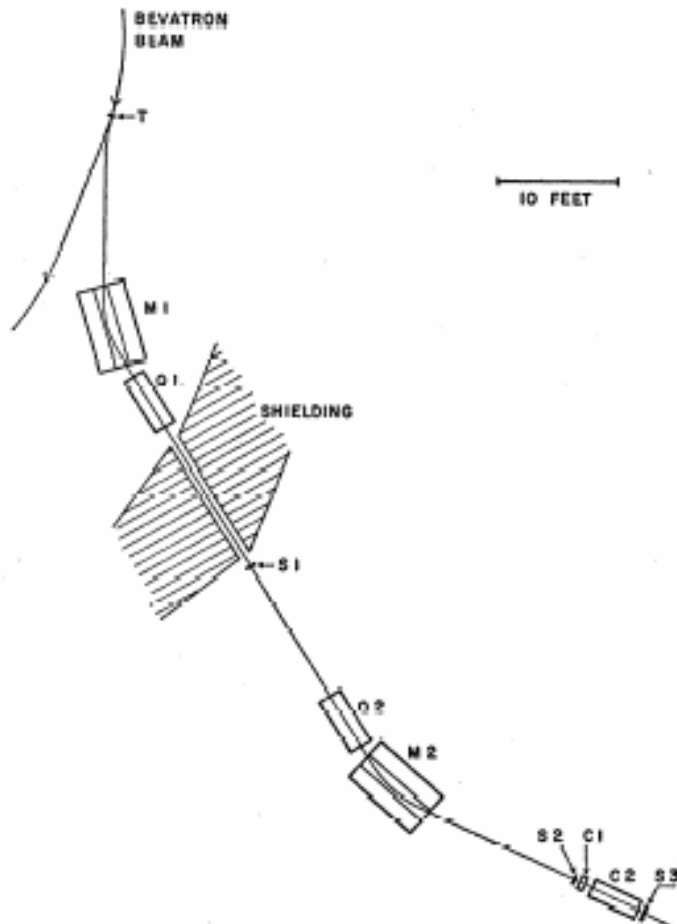
Threshold energy for antiproton (\bar{p}) production in proton – proton collisions

Baryon number conservation -> simultaneous production of \bar{p} and p (or \bar{p} and n)

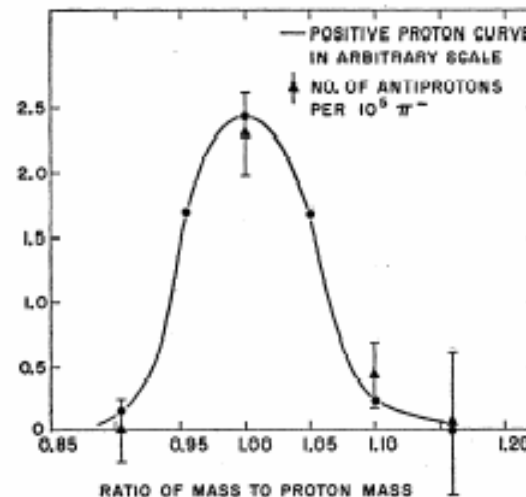
Example: $p + p \rightarrow p + p + \bar{p} + p$

Threshold energy $\sim 6 \text{ GeV}$

“Bevatron”: 6 GeV
proton synchrotron in Berkeley



- build a beam line for 1.19 GeV/c momentum
- select negatively charged particles (mostly π^-)
- reject fast π^- by Čerenkov effect: light emission in transparent medium if particle velocity $v > c/n$ (n : refraction index) – antiprotons have $v < c/n$ -> no Čerenkov light
- measure time of flight between counters S_1 and S_2 (12 m path): 40 ns for π^- , 51 ns for antiprotons



For fixed momentum, time of flight gives particle velocity, hence particle mass
 $p = mv$

Comments:

Momentum measurement in magnetic field

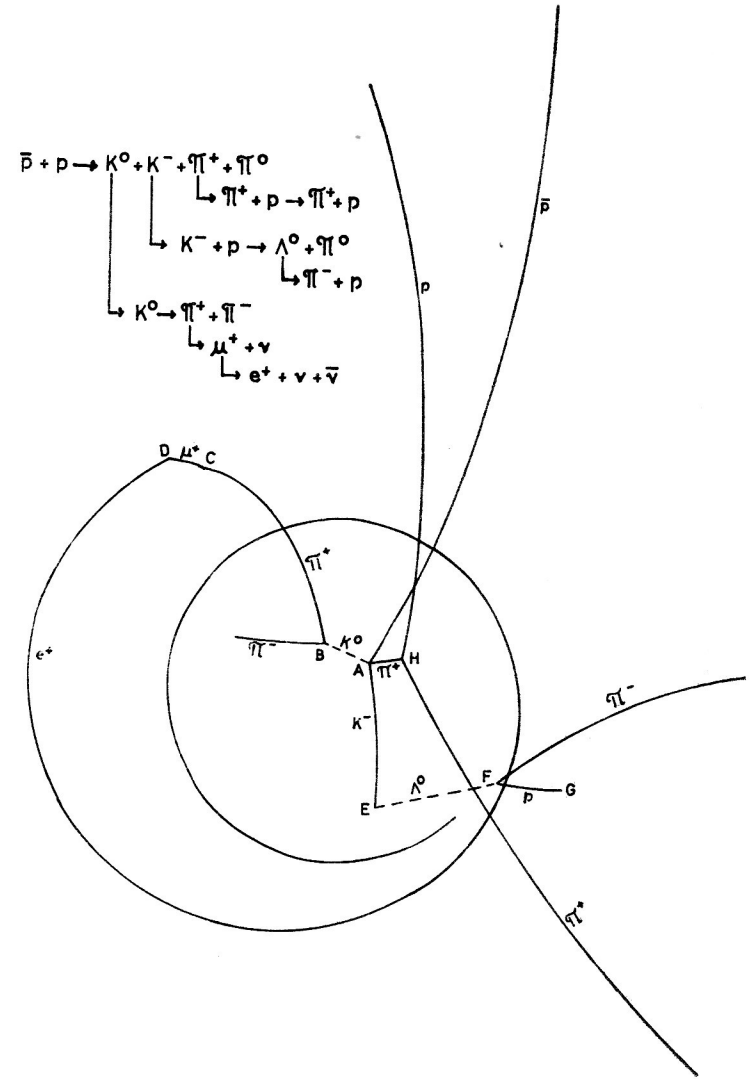
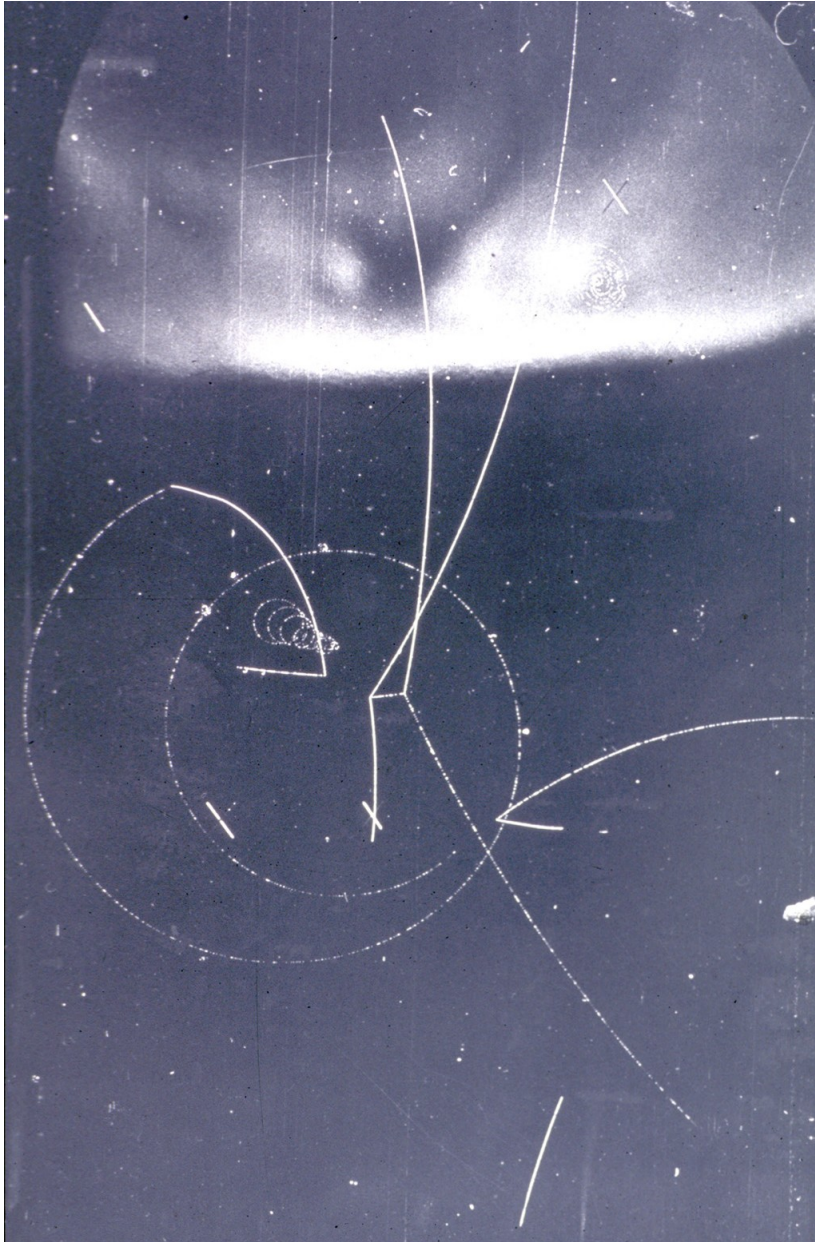
$$p \text{ (GeV/c)} = 0.3 B \text{ (Tesla)} \times \rho \text{ (curvature, m}^{-1}\text{)}$$

$$\rho = 1/R$$

Only one particle observed – second proton production implied
by conservation law

Distance + timing \rightarrow velocity \rightarrow mass = p/v

Example of antiproton annihilation at rest in a liquid hydrogen bubble chamber



Conservation laws

- *All massive particle, unless prevented by some rule, decay into lighter particles.*
- *Massless particles (photons) or very light particles (electrons, neutrinos) do not decay because all other particles are heavier.*
- *There are several general rules that come from mechanics and electromagnetic interactions:*
- *These conservation laws are:*
 - conservation of energy*
 - conservation of momentum*
 - conservation of angular momentum*
 - conservation of charge*
- *If a particle decay is allowed by the above, but is not observed, we invent new conservation laws. Baryon (3 quark states) number conservation is an example of such law.*

CONSERVED QUANTUM NUMBERS

Why is the free proton stable?

Possible proton decay modes (allowed by all known conservation laws: energy – momentum, electric charge, angular momentum):

$$p \rightarrow \pi^0 + e^+$$

$$p \rightarrow \pi^0 + \mu^+$$

$$p \rightarrow \pi^+ + \nu$$

.....

No proton decay ever observed – the proton is STABLE

Limit on the proton mean life depends on the assumed decay mode and date:

$$\tau_p > 1.6 \times 10^{33} \text{ years for decays to } \mu^+ \text{ and } \tau > 1.3 \times 10^{34} \text{ years for decays to } e^+$$

Invent a new quantum number : “Baryonic Number” **B**

B = 1 for proton, neutron

B = -1 for antiproton, antineutron

B = 0 for e^\pm , μ^\pm , neutrinos, mesons, photons

Require conservation of baryonic number in all particle processes:

$$\sum_i B_i = \sum_f B_f$$

(*i* : initial state particle ; *f* : final state particle)

Strangeness

Late 1940' s: discovery of a variety of heavier mesons (K – mesons) and baryons (“hyperons”) – studied in detail in the 1950' s at the new high-energy proton synchrotrons (the 3 GeV “cosmotron” at the Brookhaven National Lab and the 6 GeV Bevatron at Berkeley)

Examples of mass values

Mesons (spin = 0): $m(K^\pm) = 493.68 \text{ MeV}/c^2$; $m(K^0) = 497.67 \text{ MeV}/c^2$

**Hyperons (spin = $1/2$): $m(\Lambda) = 1115.7 \text{ MeV}/c^2$; $m(\Sigma^\pm) = 1189.4 \text{ MeV}/c^2$
 $m(\Xi^0) = 1314.8 \text{ MeV}/c^2$; $m(\Xi^-) = 1321.3 \text{ MeV}/c^2$**

Properties

- **Abundant production in proton – nucleus , p – nucleus collisions**
- **Production cross-section typical of strong interactions ($\sigma > 10^{-27} \text{ cm}^2$)**
- **Production in pairs (example: $p^- + p \rightarrow K^0 + \Lambda$; $K^- + p \rightarrow \Xi^- + K^+$)**
- **Decaying to lighter particles with mean life values $10^{-8} - 10^{-10} \text{ s}$ (as expected for a weak decay)**

Examples of decay modes

$K^\pm \rightarrow \pi^\pm \pi^0$; $K^\pm \rightarrow \pi^\pm \pi^+ \pi^-$; $K^\pm \rightarrow \pi^\pm \pi^0 \pi^0$; $K^0 \rightarrow \pi^+ \pi^-$; $K^0 \rightarrow \pi^0 \pi^0$; ...

$\Lambda \rightarrow p \pi^-$; $\Lambda \rightarrow n \pi^0$; $\Sigma^+ \rightarrow p \pi^0$; $\Sigma^+ \rightarrow n \pi^+$; $\Sigma^+ \rightarrow n \pi^-$; ...

$\Xi^- \rightarrow \Lambda \pi^-$; $\Xi^0 \rightarrow \Lambda \pi^0$

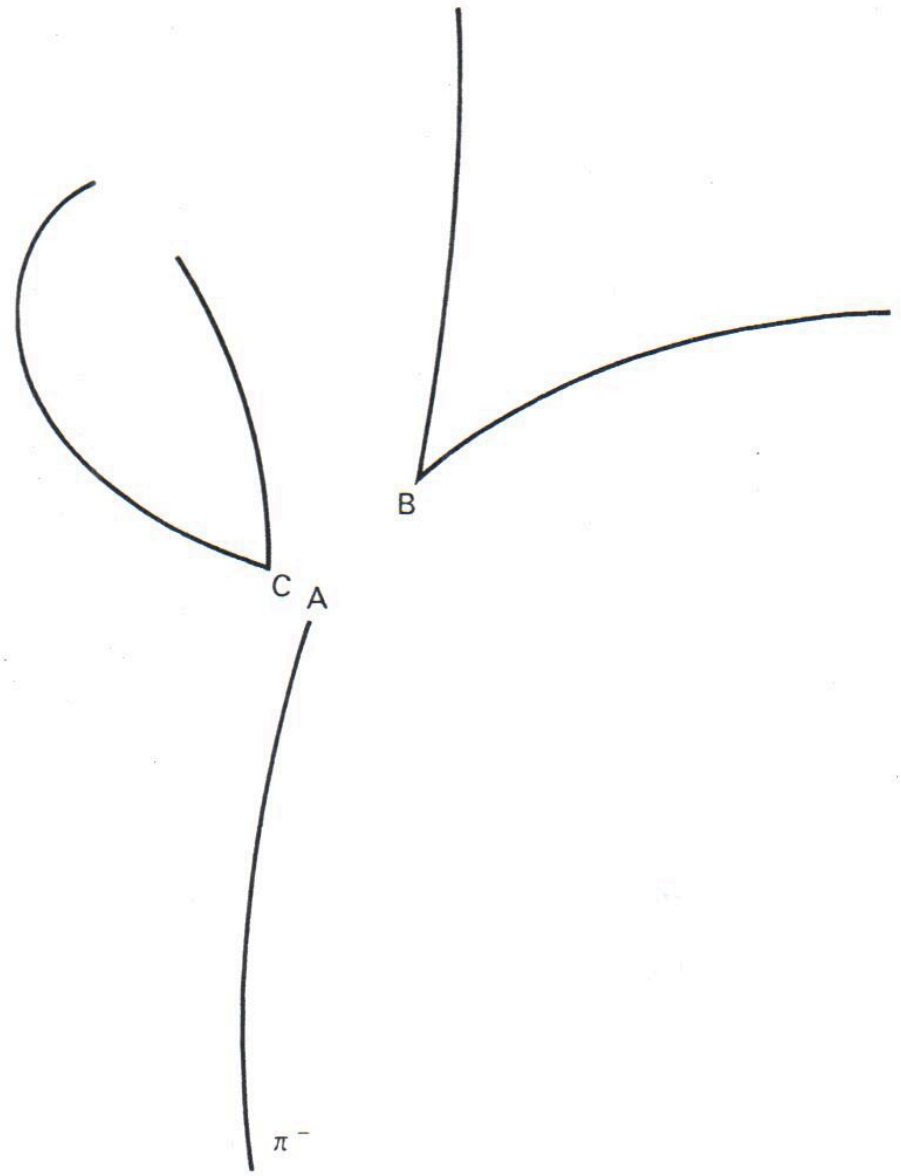


Figure 1.3 An example of associated production, due to the interaction at A of a $4\text{-GeV}/c$ negative pion in a hydrogen bubble chamber: $\pi^- + p \rightarrow \Lambda + K^0$. The Λ -hyperon decays at B according to $\Lambda \rightarrow p + \pi^-$, and the K^0 -meson at C according to $K^0 \rightarrow \pi^+ + \pi^-$. (Courtesy CERN.)

Comment on frequency of production and lifetime

Recall relative strength of strong, electromagnetic and weak interactions. In e.g., proton-proton collisions there is an abundant production of mesons and both baryonic and mesonic resonances. The resonances decay at a time scale of 10^{-23} s that we consider a typical time scale of strong interactions.

The electromagnetic decays e.g., π^0 decay to two photons has a typical lifetime of $\sim 10^{-17}$ s

The characteristic lifetime of particles decaying due to weak interactions is $\sim 10^{-6} \div 10^{-8}$ s. These are called “long-lived” particles. A particle may have e.g., both strong and weak decays. The corresponding decay branching fractions will be inversely proportional to the ratio of the relative strength of strong and weak interactions.