$\overline{4321}$

1. Numerically solve the time-independent Schrödinger equation for the one-dimensional quantum harmonic oscillator potential like we did in lecture but for the first excited state (which is odd, so choose the appropriate boundary conditions). Use the first-order forward Euler method with a stepsize h = 0.01 and find the dimensionless energy eigenvalue ϵ to at least eight significant figures. Use any programming language that you wish. Plot the wavefunction, f(u) which is a proxy for $\psi(x)$.

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- 1. Numerically solve the time-independent Schrödinger equation for the one-dimensional quantum harmonic oscillator potential like we did in lecture but for the second excited state (which is even, so choose the appropriate boundary conditions). Use the first-order forward Euler method with a stepsize h = 0.01 and find the dimensionless energy eigenvalue ϵ to at least eight significant figures. Use any programming language that you wish. Plot the wavefunction, f(u) which is a proxy for $\psi(x)$.
- 2. Exactly solve $f'(u) + [f(u)]^2 = 0$ with boundary condition f(0) = 1. Show a plot of f(u). What is f(10)?
- 3. Numerically solve $f'(u) + [f(u)]^2 = 0$ with boundary condition f(0) = 1 using the forward Euler method and step size h = 0.01. Show a plot of f(u). What is f(10)?

Bonus: Solve as much of the other class' assignment as you can.