

$$\langle x_1^2 \rangle_A = \langle \psi_A | x_1^2 | \psi_A \rangle = \frac{1}{2} [\langle x^2 \rangle_a + \langle x^2 \rangle_b] = \langle x_2^2 \rangle_A$$

$$\psi_A = \sqrt{\frac{1}{2}} [\psi_a(x_1) \psi_b(x_2) - \psi_b(x_1) \psi_a(x_2)]$$

$$\langle x_1 x_2 \rangle_A = \langle x \rangle_a \langle x \rangle_b - |\langle x \rangle_{ab}|^2$$

$$\Rightarrow \langle \Delta x^2 \rangle_A = \underbrace{\langle x^2 \rangle_a + \langle x^2 \rangle_b}_{= \langle \Delta x^2 \rangle_c} - 2 \langle x \rangle_a \langle x \rangle_b + 2 / |\langle x \rangle_{ab}|^2$$

$$\langle \Delta x^2 \rangle_s \leq \langle \Delta x^2 \rangle_c \leq \langle \Delta x^2 \rangle_A$$

$s_{1/2}$ antisymmetric
 $s_{1/2} - 0$ singlet
 $(\frac{1L+1L}{\sqrt{2}})$

$s_{1/2}$ symmetric
 $s_{1/2} - 1$ triplet



Electric (Coulomb)
 bonding.

Metallic Binding

Ashcroft & Mermin figure 19.3

Covalent bond expands until there \rightarrow appreciable electron density throughout interstitial regions in direct space, and band overlap in k -space.

\Rightarrow Drude Model - treat electrons, ^{free} like a gas with Maxwell-Boltzmann statistics.

\Rightarrow Sommerfeld Model. - free electron gas but with Fermi-Dirac statistics.

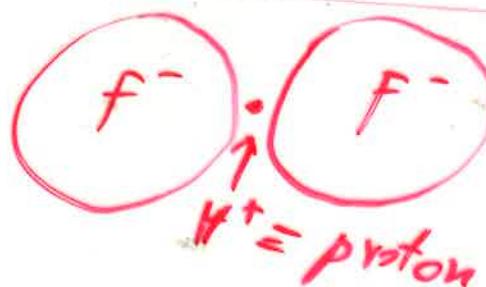
\rightarrow electron kinetic energy is lower than in an isolated atom.

Hydrogen Binding

special case

H^+ is really small

e.g. DNA



Elastic waves in X talk \rightarrow more in Ch 4 & 5.

In general, very complicated.

Even for cubic system, only special directions $(1,0,0) + (1,1,0), (1,1,1)$, have energy propagation \vec{k} along (longitudinal¹) or perpendicular (transverse²) to particle motion.

\uparrow
polarizations