POLARIZATION

The sphere below (radius a) has uniform polarization \mathbf{P}_0 (which points in the z direction.) What is the total dipole moment of this sphere? A) zero B) $P_0 a^3$ C) $4\pi a^3 P_0/3$ D) P_0 E) None of these/must be more complicated

A VERY thin slab of thickness d and area A has volume charge density $\rho = Q / V$. Because it's so thin, we may think of it as a surface charge density $\sigma = Q / A$.



The relation between ρ and σ is

A)
$$\sigma = \rho$$

B) $\sigma = d \rho$
D) $\sigma = V \rho$
C) $d \sigma = \rho$
E) $V \sigma = \rho$

In the following case, is the bound surface and volume charge zero or nonzero?



$$\begin{aligned} &A.\sigma_b = 0, \ \rho_b \neq 0 \\ &B.\sigma_b \neq 0, \ \rho_b \neq 0 \\ &X.\sigma_b = 0, \ \rho_b = 0 \\ &\Delta.\sigma_b \neq 0, \ \rho_b = 0 \end{aligned}$$

Physical dipoles idealized dipoles

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Physical dipoles

idealized dipoles

$$\begin{aligned} A.\sigma_b &= 0, \ \rho_b \neq 0 \\ B.\sigma_b &\neq 0, \ \rho_b \neq 0 \\ X.\sigma_b &= 0, \ \rho_b = 0 \\ \Delta.\sigma_b &\neq 0, \ \rho_b = 0 \end{aligned}$$

A linear dielectric in the shape of a rectangular block has a uniform polarization **P** (due to an external E-field) parallel to an edge, as shown. How many of the sides of the block have a non-zero surface charge density? A) 1 B) 2 C) 4 D) 6 E) 0

 $\mathbf{P} = \text{constant}$

A dielectric slab (top area A, height h) has been polarized, with $P=P_0$ (in the +z direction) What is the surface charge density, σ_{b_1} on the bottom surface?



A) 0 B) -P₀ C) P₀ D) P₀ A h E) P₀ A

Are σ_b and ρ_b due to real charges?

- A) Of course not! They are as fictitious as it gets! (Like in the 'method of images.')
- B) Of course they are! They are as real as it gets! (Like σ and ρ in Chapter 2.)
- C) I have no idea 🛞

A dielectric sphere is uniformly polarized, $\mathbf{P} = +P_0 \hat{z}$ What is the surface charge density?

A) 0
B) Non-zero Constant
C) constant*sin(θ)
D) constant*cos(θ)
E) ??



A dielectric sphere is uniformly polarized, $\mathbf{P} = +P_0 \hat{z}$ What is the volume charge density?

A) 0

E)?

- B) Non-zero Constant
- C) Depends on r, but not $\boldsymbol{\theta}$
- D) Depends on θ , but not r



A dielectric sphere is uniformly polarized, $\mathbf{P} = +P_0 \hat{z}$

$$S_{bound} = \mathbf{P} \cdot \hat{n}$$
$$\mathcal{C}_{bound} = \nabla \cdot \mathbf{P}$$

