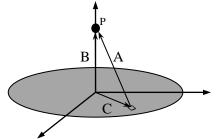
## Warmup 2: Coulomb's Law and Gauss' Law

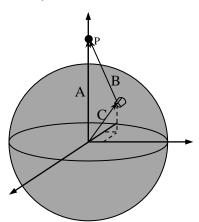
Using the (standard) notation of Griffiths (see his Fig 2.3 in section 2.1.3): On each of the

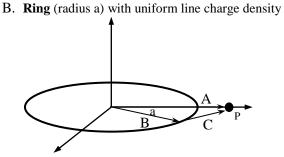
diagrams below, identify the labeled vectors (A, B, and C) with either  $\vec{r}$ ,  $\vec{r}'$  and  $\vec{\iota}$ . NOTE that you may choose more than one of these for any given vector!

A. Disk (radius a) of uniform surface charge density

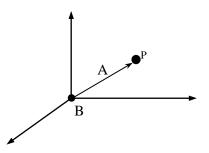


C. Solid (radius a) sphere with uniform volume charge density

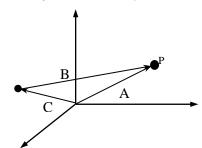




D. Point charge at the origin



E. Point charge at an arbitrary location



Match each of the diagrams above (A-E) with the correct formula for the magnitude of  $\vec{\iota}$ . Note that there may be more than one correct form, select ALL that are appropriate for a given diagram. (Here,  $\theta'$  is measured from the z-axis)

$$\begin{split} \tau_{1} &= \sqrt{x^{2} + y^{2} + z^{2}} = r \\ \tau_{2} &= \sqrt{(x - x')^{2} + (y - y')^{2} + (z - z')^{2}} \\ \tau_{3} &= \sqrt{r^{2} + r'^{2} - 2rr'\cos(\theta')} \\ \end{split}$$

$$\begin{split} \tau_{4} &= \sqrt{r^{2} + a^{2} - 2ra\cos(\theta')} \\ \tau_{5} &= \sqrt{r^{2} + r'^{2}} \\ \tau_{6} &= \sqrt{r^{2} + a^{2}} \\ \tau_{6} &= \sqrt{r^{2} + a^{2}} \\ \end{split}$$

$$\end{split}$$



You have a thin spherical shell of uniform positive charge +Q centered at the origin with no other charge anywhere (i.e. all the charge is concentrated in a hollow shell at r=R).

Where in space (if anywhere) is the divergence of E NON-zero? Select all that you think are correct.

- a) At the origin
- b) Throughout the region r < R
- c) On the surface r=R
- d) Throughout the region r>R
- e) At infinity
- f) None of these

Please explain your reasoning:

Where in space (if anywhere) does the curl of E vanish? Select all that you think are correct.

- a) At the origin
- b) Throughout the region r < R
- c) On the surface r=R
- d) Throughout the region r>R
- e) At infinity
- f) None of these

Please explain your reasoning: